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# Time-Varying Filtering Techniques for RF Front-Ends

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University of California, Los Angeles

# Acknowledgements

## Research done by several graduate students...

- Dr. Mansour Rachid
- Dr. Sameed Hameed
- Dr. Neha Sinha
- (soon to be Dr.) Shi Bu

## Research sponsored by...

- National Science Foundation

# Outline

- Problem and prior art
- Filtering-by-Aliasing
  - Concept of using sampling aliases for sharp filtering
  - Designing FA filters: some examples
- Example applications
  - Agile RF front ends
  - Spectrum scanners

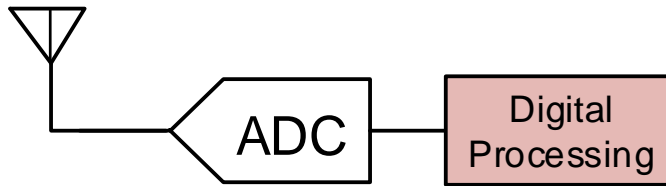
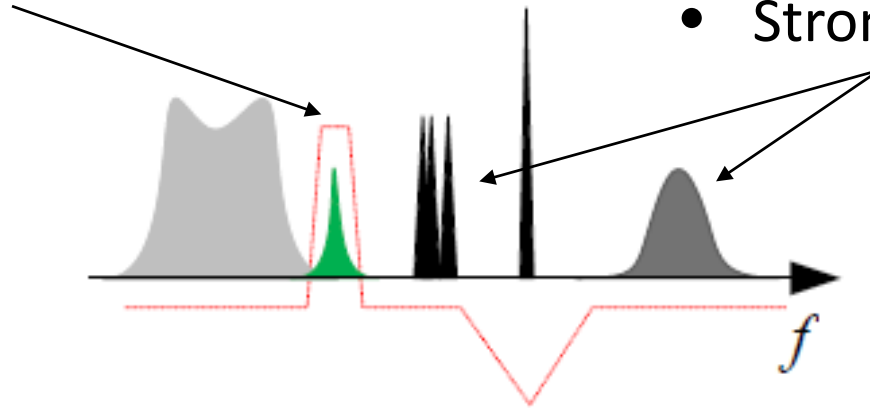
# The RF Front End Problem

## Desired signal:

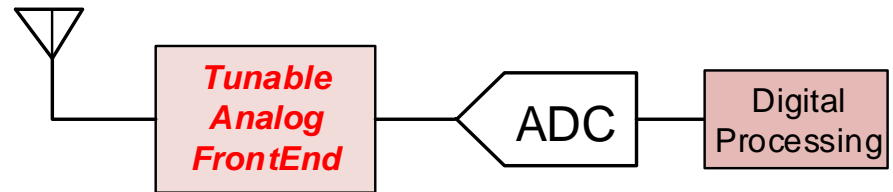
- Varying freq. location
- Weak

## Interferers:

- Varying freq. location
- Strong

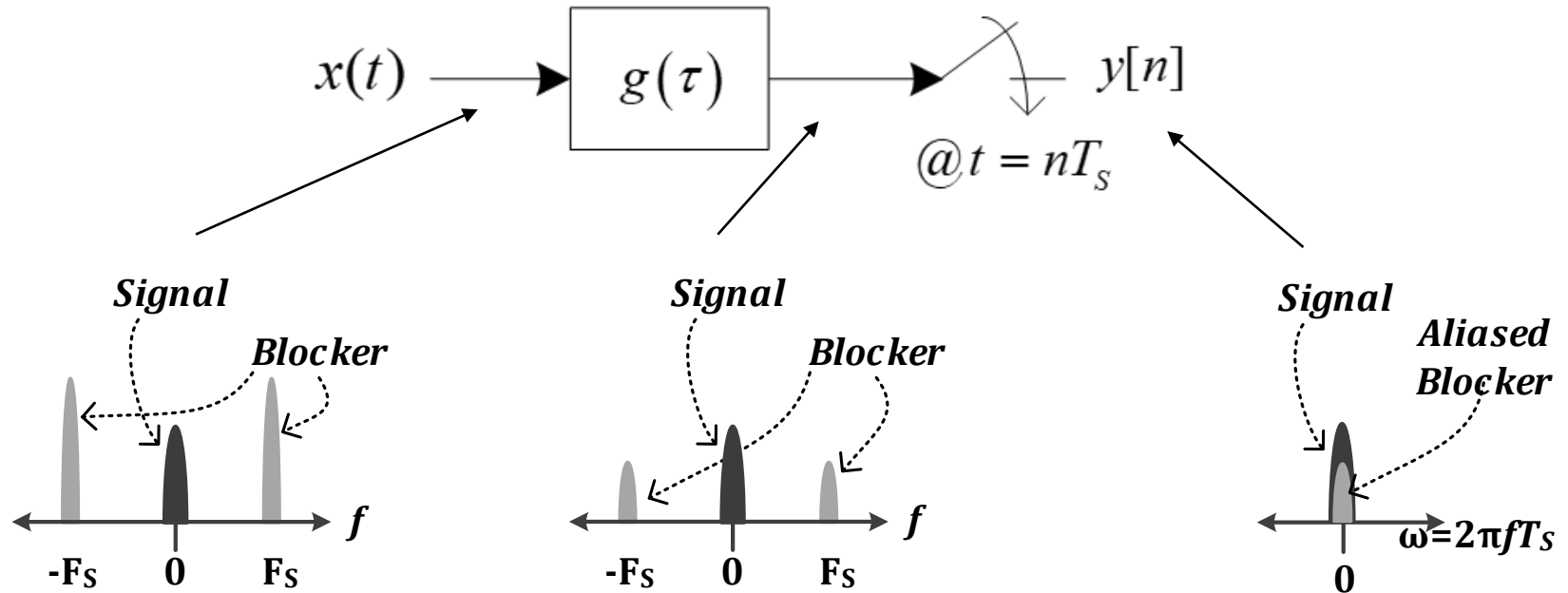


*Feasible only in measurement equipment!*



*Sharpness vs tunability vs linearity tradeoffs!*

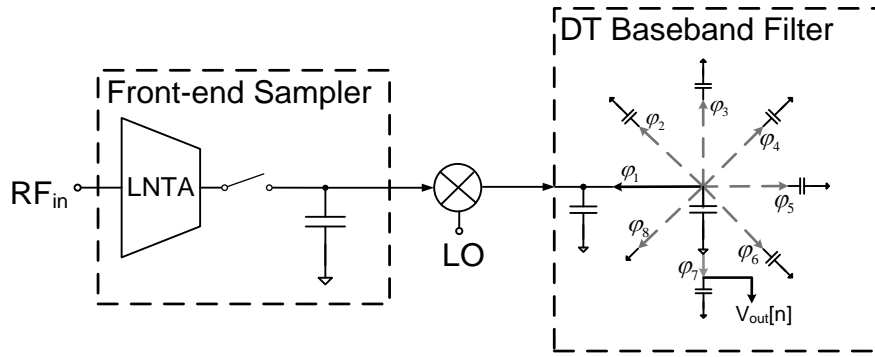
# Aliasing Is The Problem



- Blockers alias upon sampling & corrupt the desired signal
- Age-old wisdom: sharp filtering prior to sampling to avoid aliases!
- Filtering is difficult
  - Passive filters (SAW/BAW/MEMS...) are linear but bulky, not programmable
  - Active filters are programmable, but not linear enough

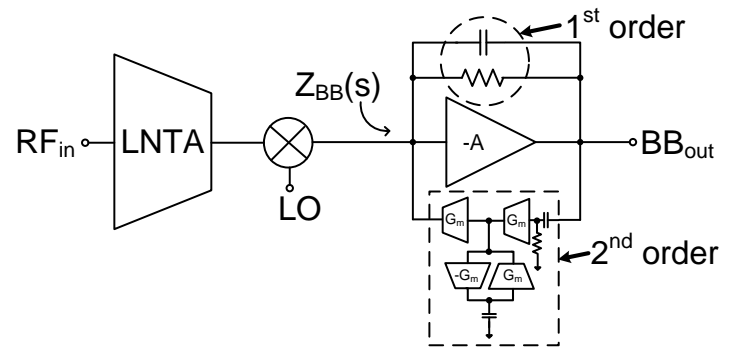


# Active RF Front-End Prior Art



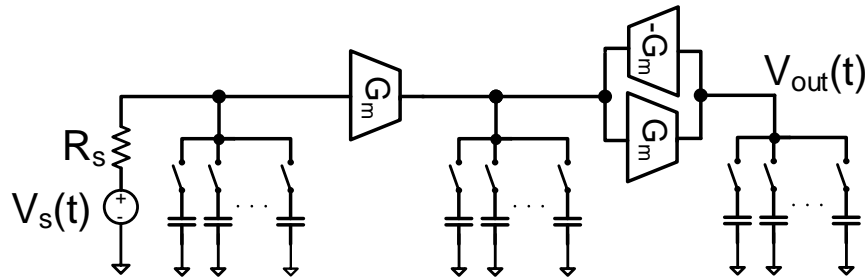
## Charge-domain filtering

[Tohidian, et.al. ISSCC '14]



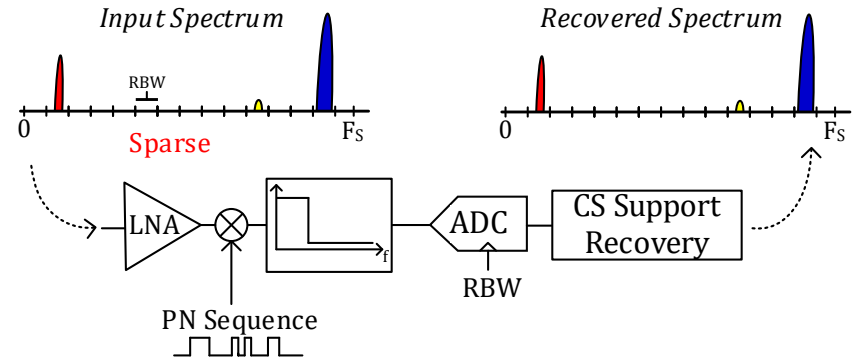
## Mixer-first receivers

[Chen, ISSCC '15, Murphy JSSC'12]



## N-path Circuits

[Darvishi ISSCC'13, Lien ISSCC'17, ...]



## Compressive Sampling

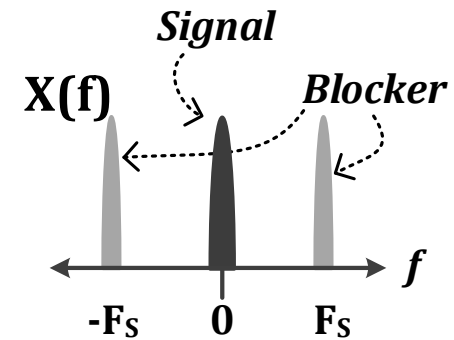
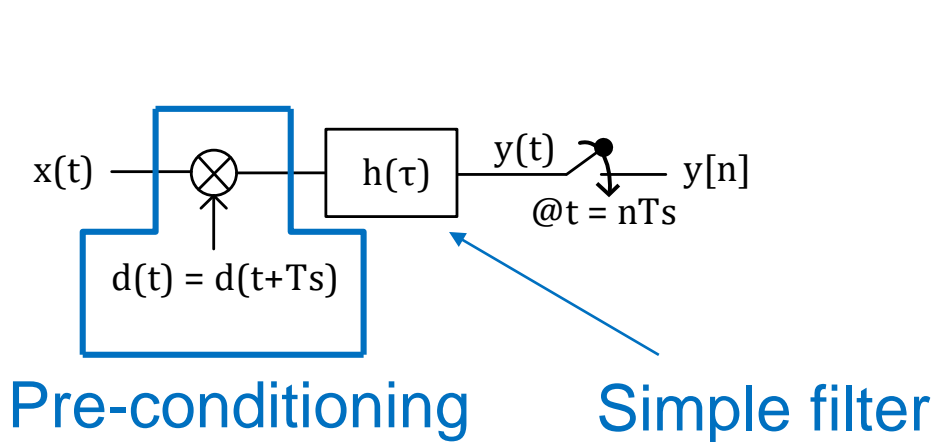
[Mishali IET CDS'11, Yazicigil ISSCC'15]

# Outline

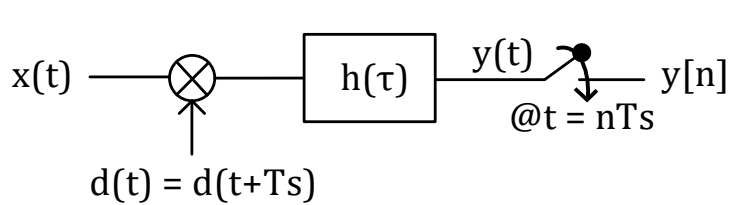
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# Filtering by Aliasing (FA)

Pre-condition signal such that sampling aliases combine destructively!



# Filtering by Aliasing: Time-Domain

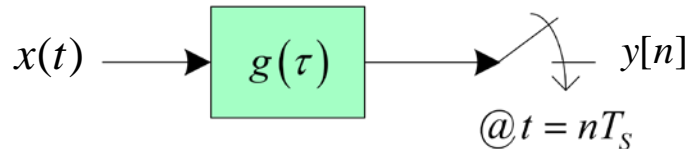


$$y[n] = \int_0^{\infty} h(\tau) \cdot d(t - \tau) \cdot x(t - \tau) \cdot d\tau \Big|_{t=nT_s}$$



$$d(nT_s - \tau) = d(-\tau) \Rightarrow$$

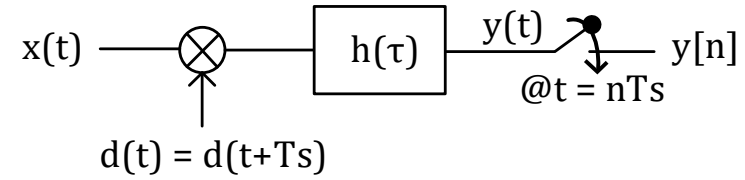
$$y[n] = \int_0^{\infty} \underbrace{h(\tau) \cdot d(-\tau)}_{\triangleq g(\tau)} \cdot x(t - \tau) \cdot d\tau \Big|_{t=nT_s}$$



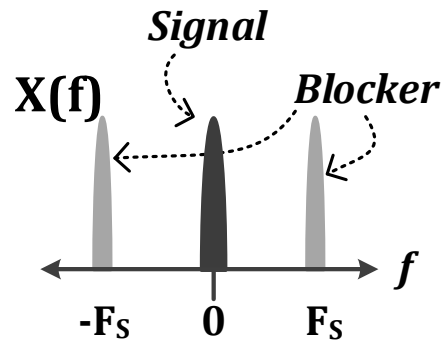
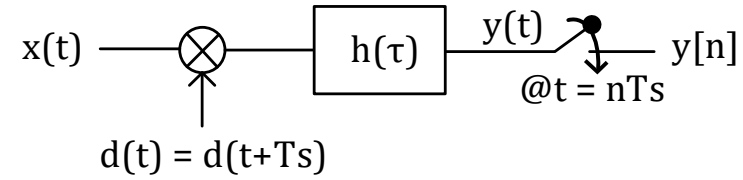
Effective impulse response,  $g(t)$ , can be precisely engineered:

- Use a simple filter,  $h(t)$ , with good linearity and low power consumption
- Use advanced D/A converter techniques to realize  $d(t)$  precisely

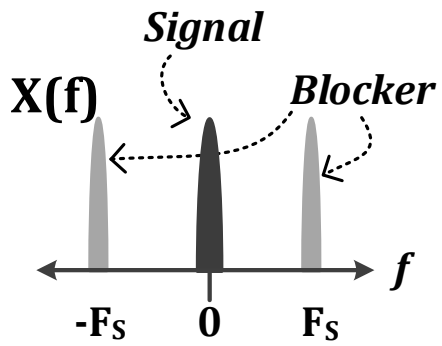
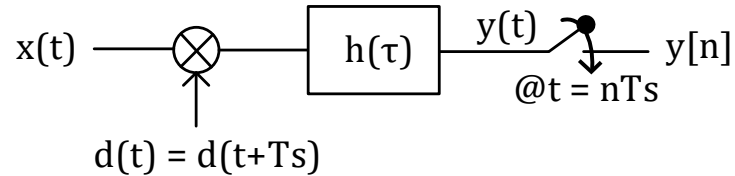
# FA: Frequency Domain



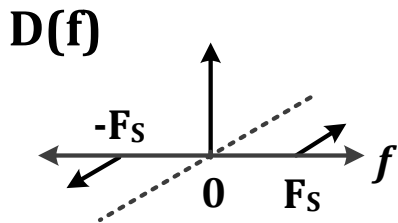
# FA: Frequency Domain



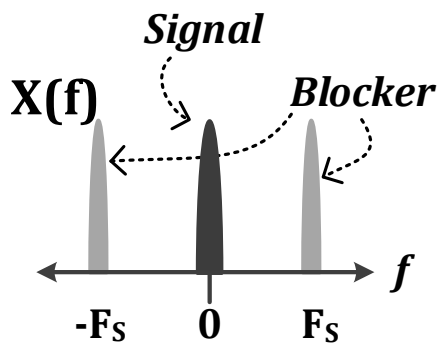
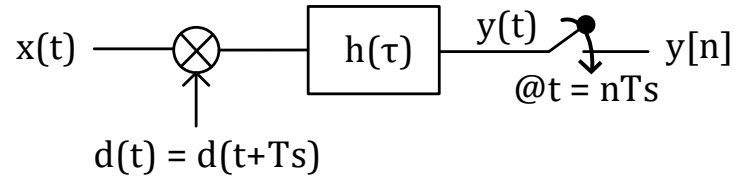
# FA: Frequency Domain



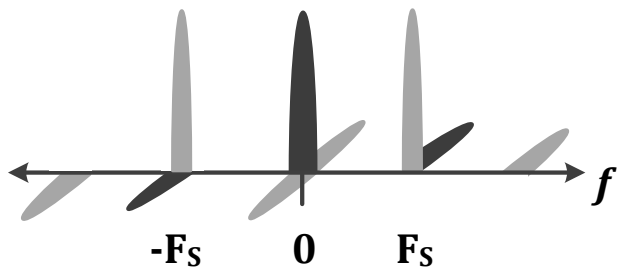
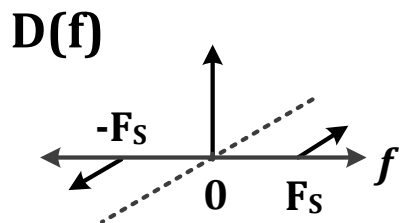
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# FA: Frequency Domain

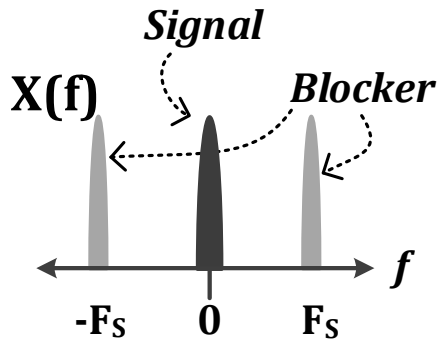
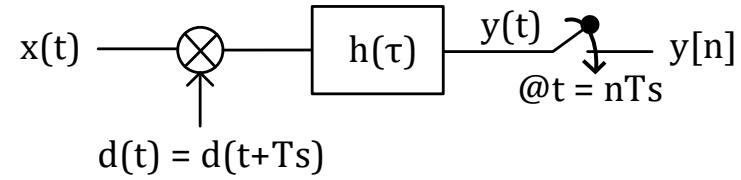


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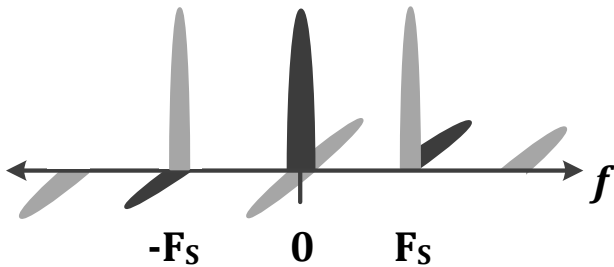
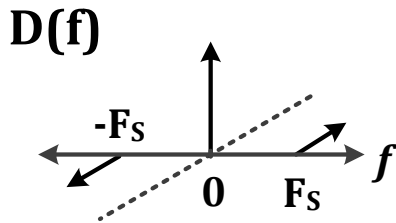




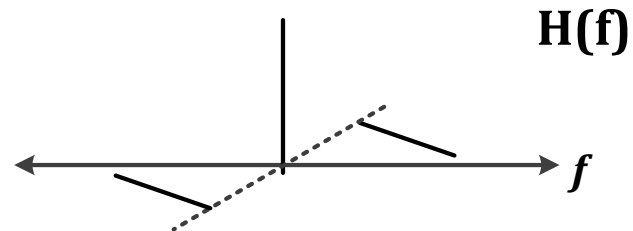
# FA: Frequency Domain



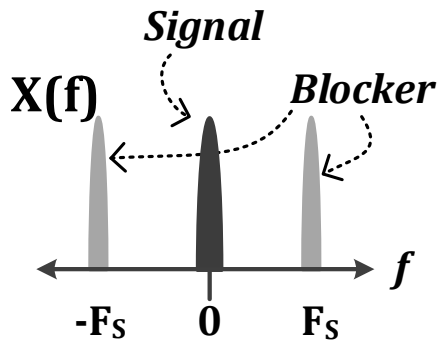
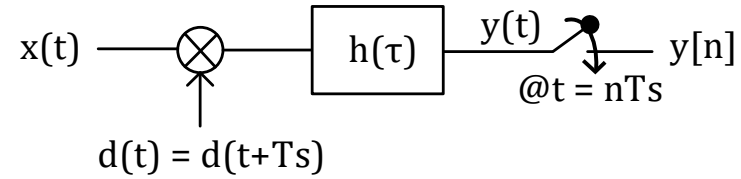
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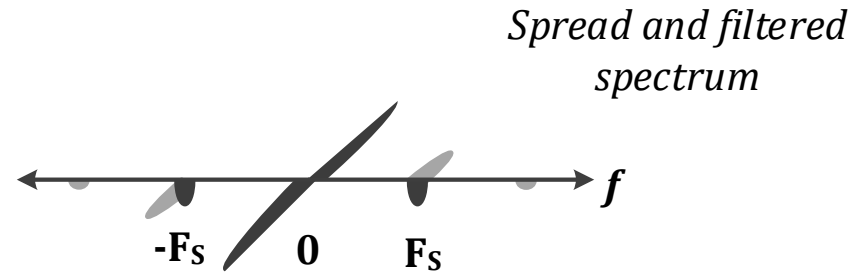
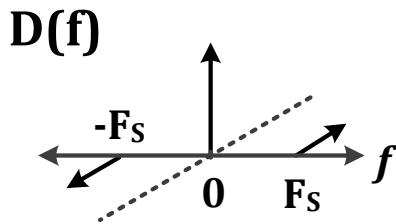
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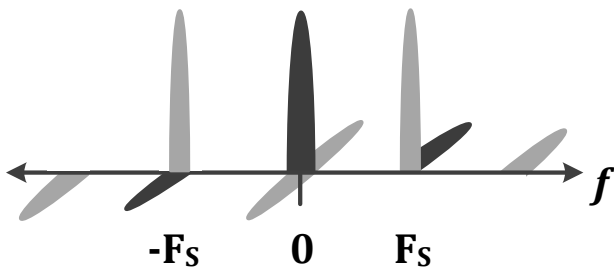
# FA: Frequency Domain



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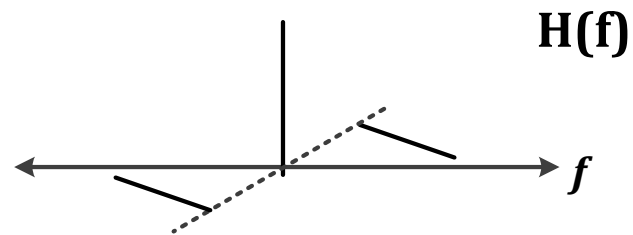


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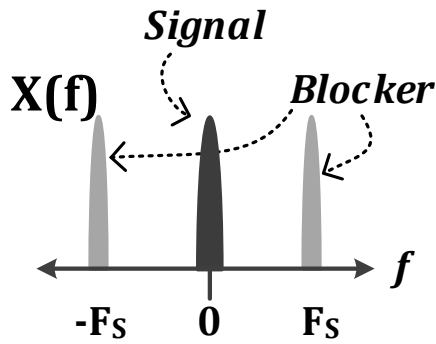
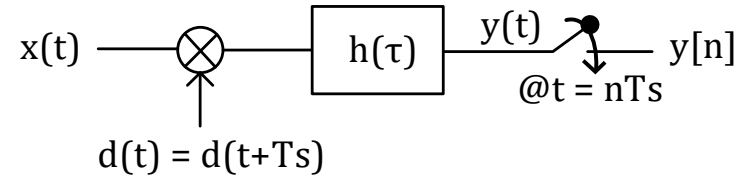


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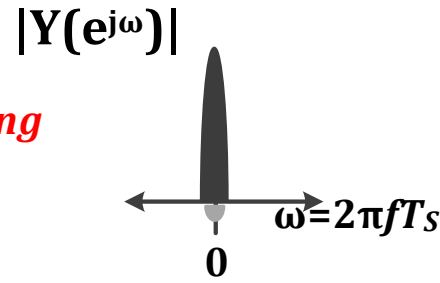
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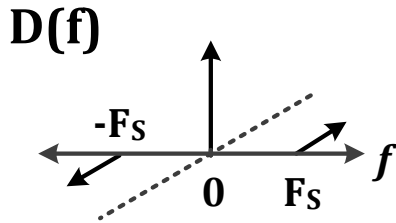
# FA: Frequency Domain



*Filtering by Aliasing*



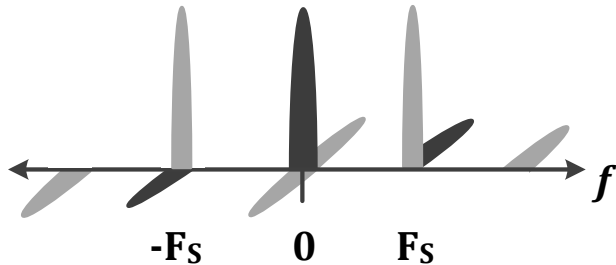
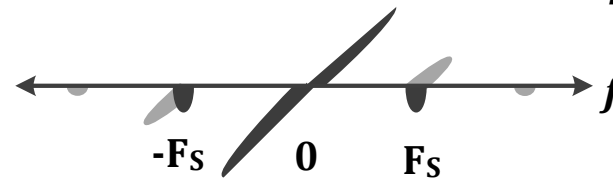
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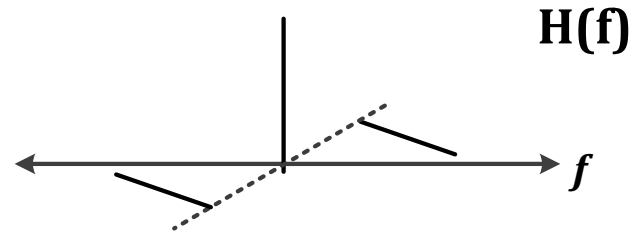
Sampling @  $F_s$



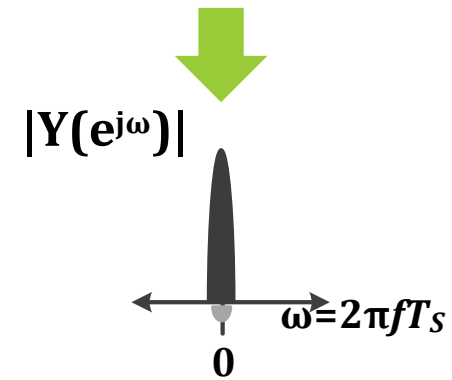
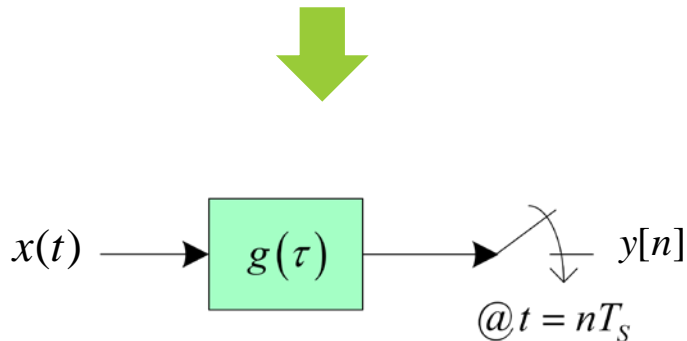
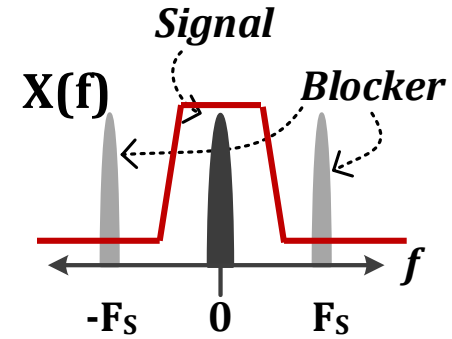
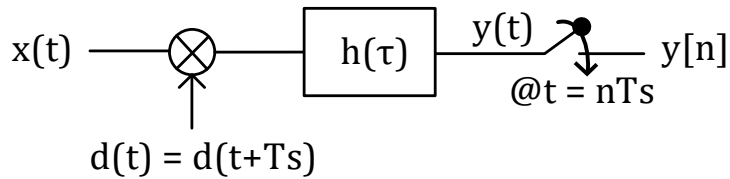
Spread and filtered spectrum



×



# Filtering by Aliasing: Summary



$$g(\tau) = h(\tau) d(-\tau)$$

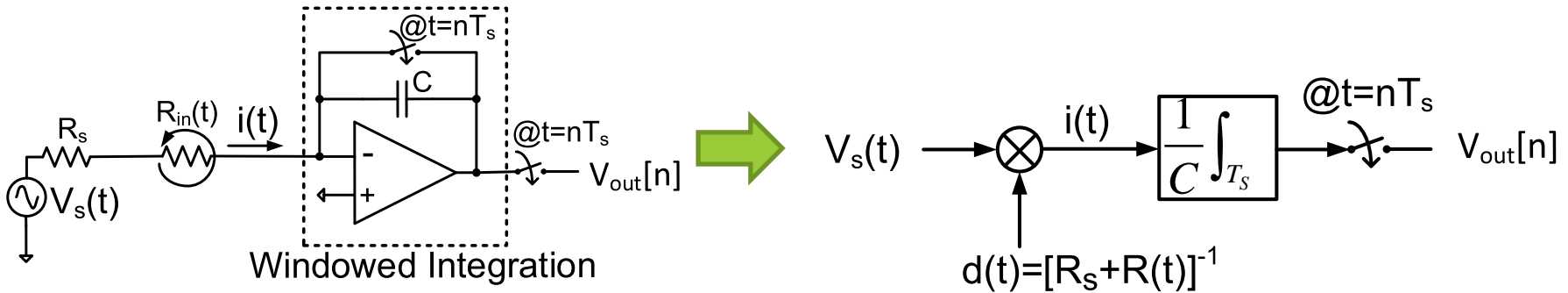
Effective impulse response,  $g(t)$ , can be precisely engineered:

- Use a simple filter,  $h(t)$ , with good linearity and low power consumption
- Use advanced D/A converter techniques to realize  $d(t)$  precisely

# Outline

- Problem and prior art
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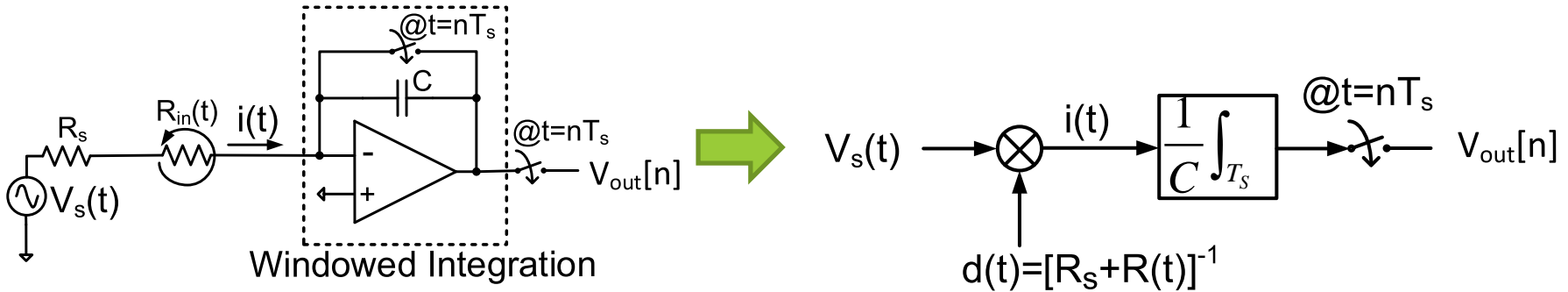
# FA Example #1: Active RC



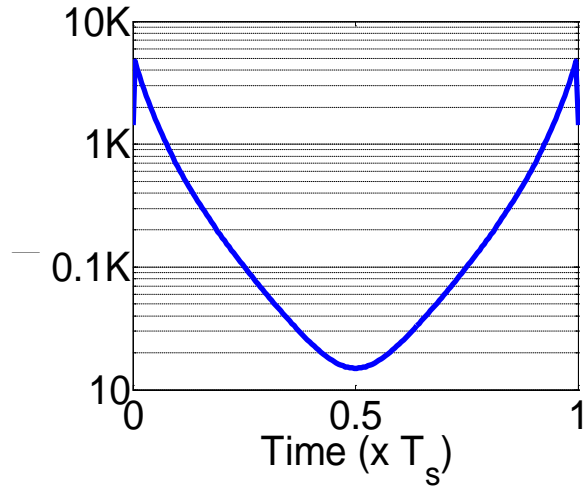
$$g(\tau) = d(-\tau) \cdot h(\tau) = \frac{1}{C [R_s + R(-\tau)]} \quad 0 \leq \tau < T_s$$

- Equivalent filter,  $g(\tau)$ , is simply an analog FIR filter
- Standard discrete-time FIR design methods apply, after discretization

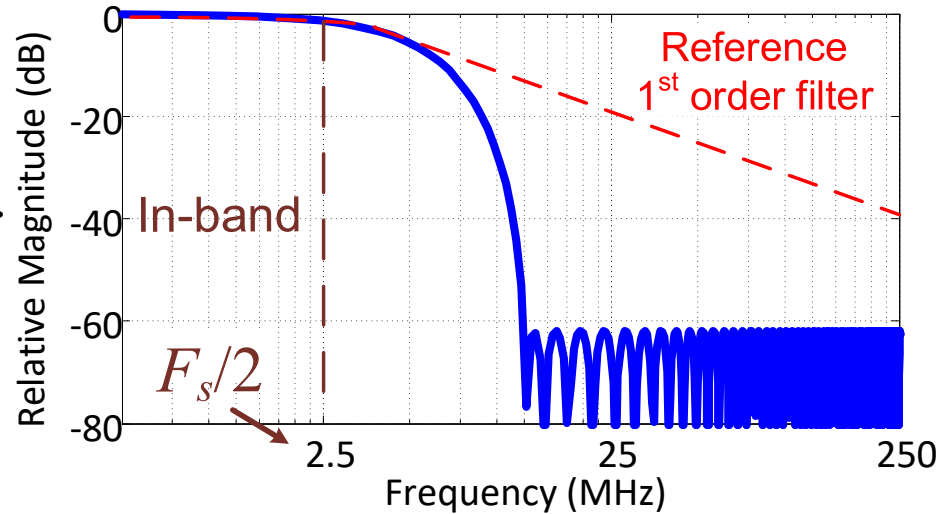
# FA Example #1: Active RC



Periodic  $R(t)$  with  $T_s=0.2\mu s$

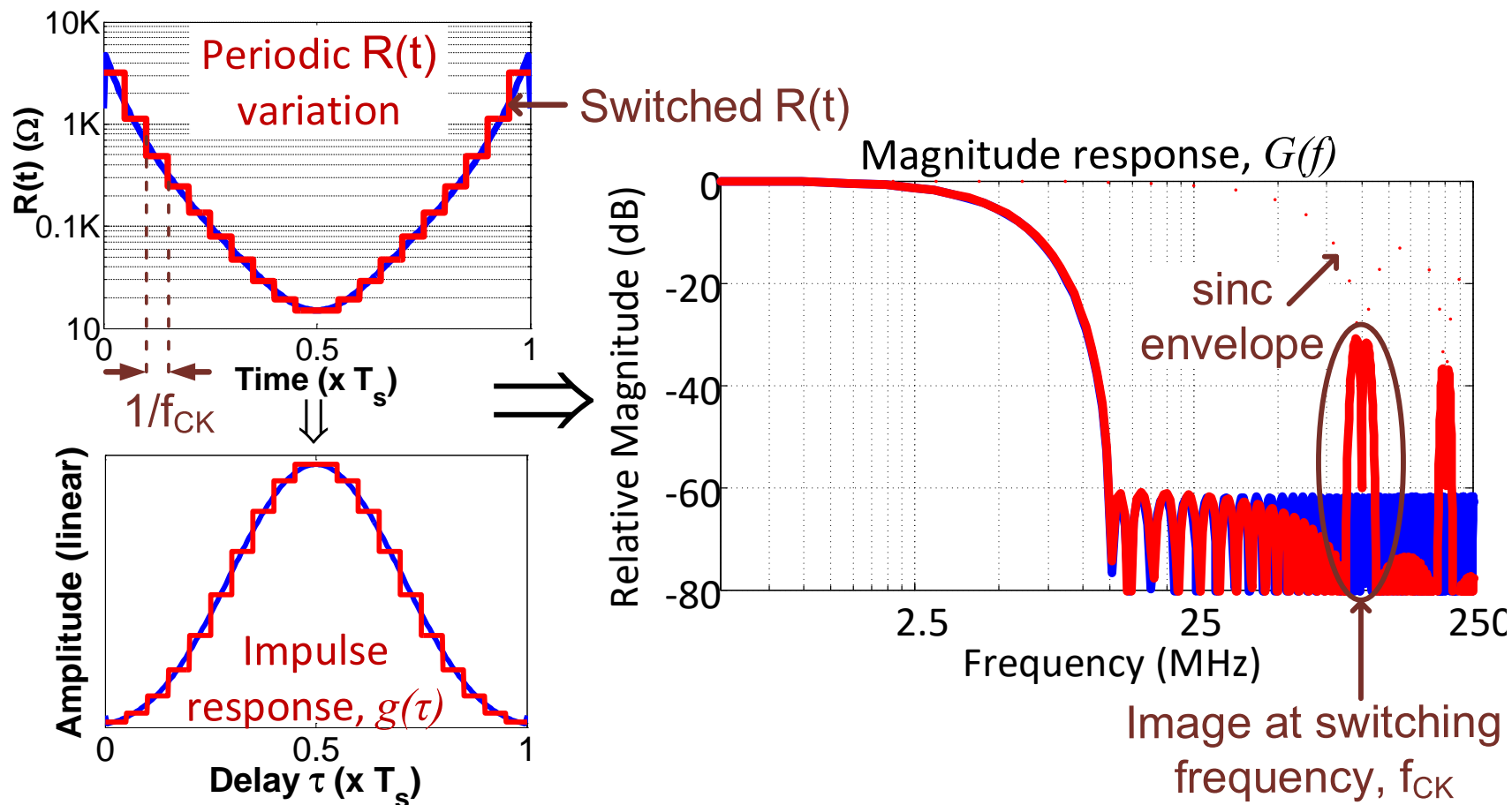


Effective filter at sampled output



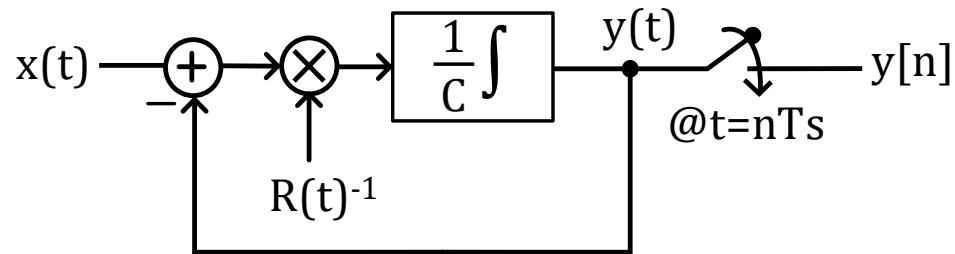
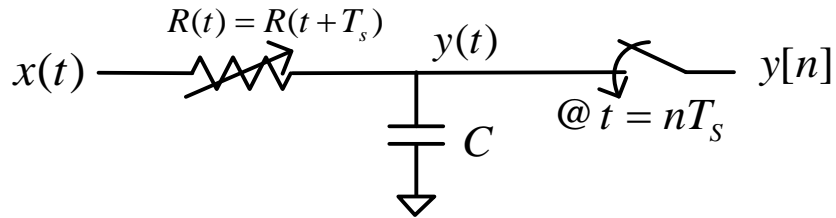
# Time-Varying Resistor Implementation

- $R(t)$  is switched in steps  $\rightarrow$  Images in freq response
  - High enough switching rate  $\rightarrow$  Images below filter floor

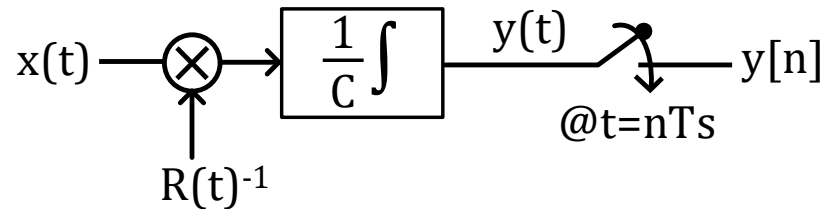




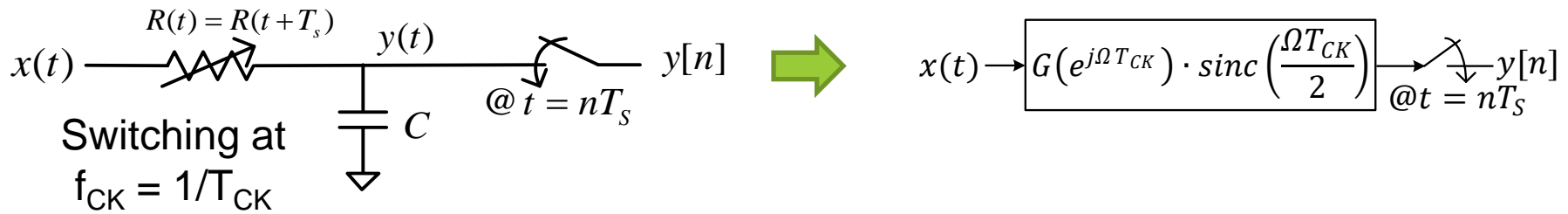
# FA Filter Example #2: Passive RC



**Good approximation for out-of-band signals**



# FA Filter Example #2: Passive RC

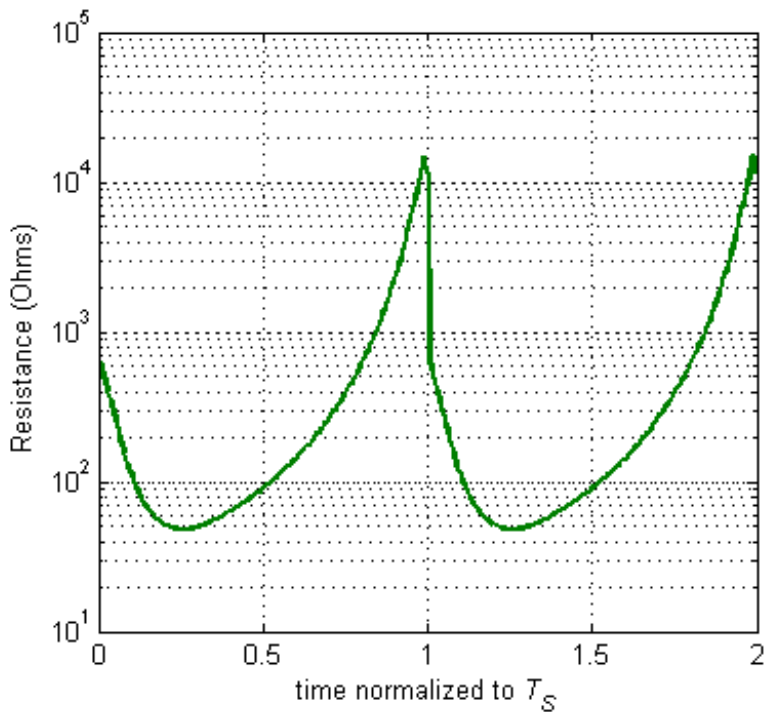
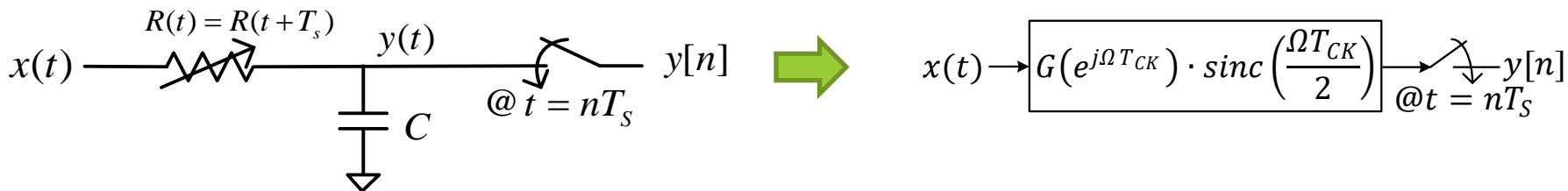


$$G(z) = \frac{\alpha_0 + \alpha_1 \beta_0 z^{-1} + \alpha_2 \beta_1 \beta_0 z^{-2} + \dots + \alpha_{K-1} \beta_{K-2} \dots \beta_0 z^{-(K-1)}}{1 - \beta_{K-1} \dots \beta_0 z^{-K}}$$

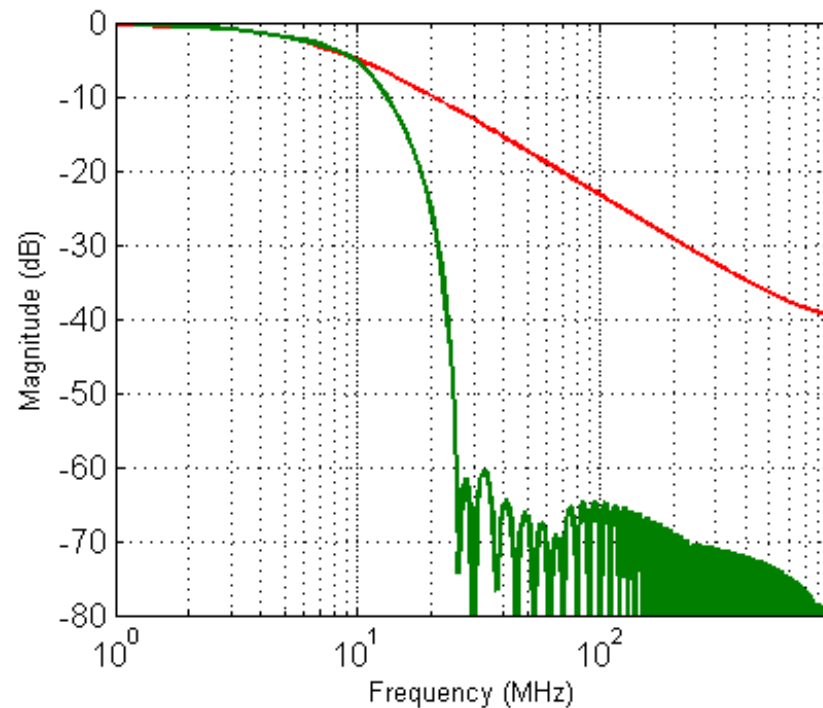
where  $\alpha_\eta = \frac{T_{CK}}{R(-\eta T_{CK})C}$ ,  $\beta_\eta = 1 - \alpha_\eta$ , and  $K = \frac{T_s}{T_{CK}}$

- Discrete-time filter design techniques can be used to chose  $R(t)$  to achieve desired filter response

# FA Filter Example #2: Passive RC



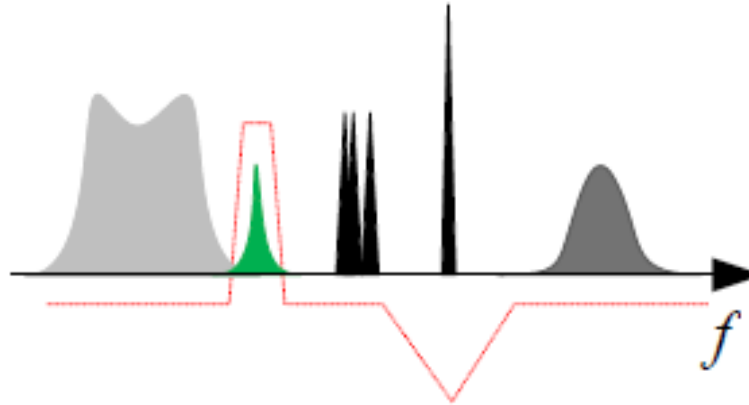
*Example resistor variation*



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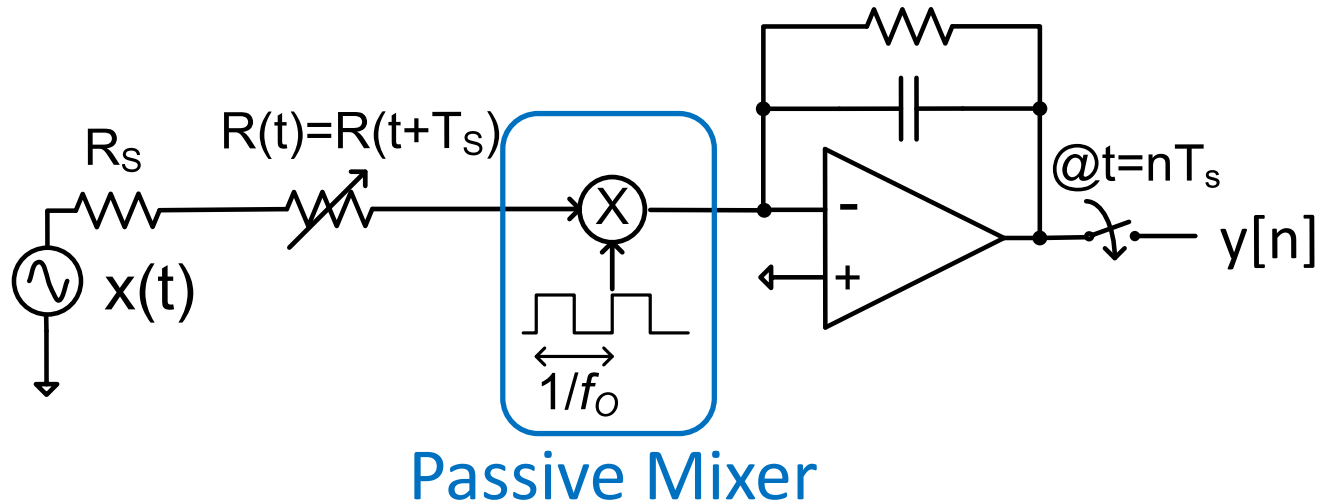
# Agile RF Front-End: Requirements



- BPFs with programmable center frequency, BW
- Antenna impedance matching
- Blocker suppression/tolerance
  - Sharp filtering, good linearity, and low noise figure

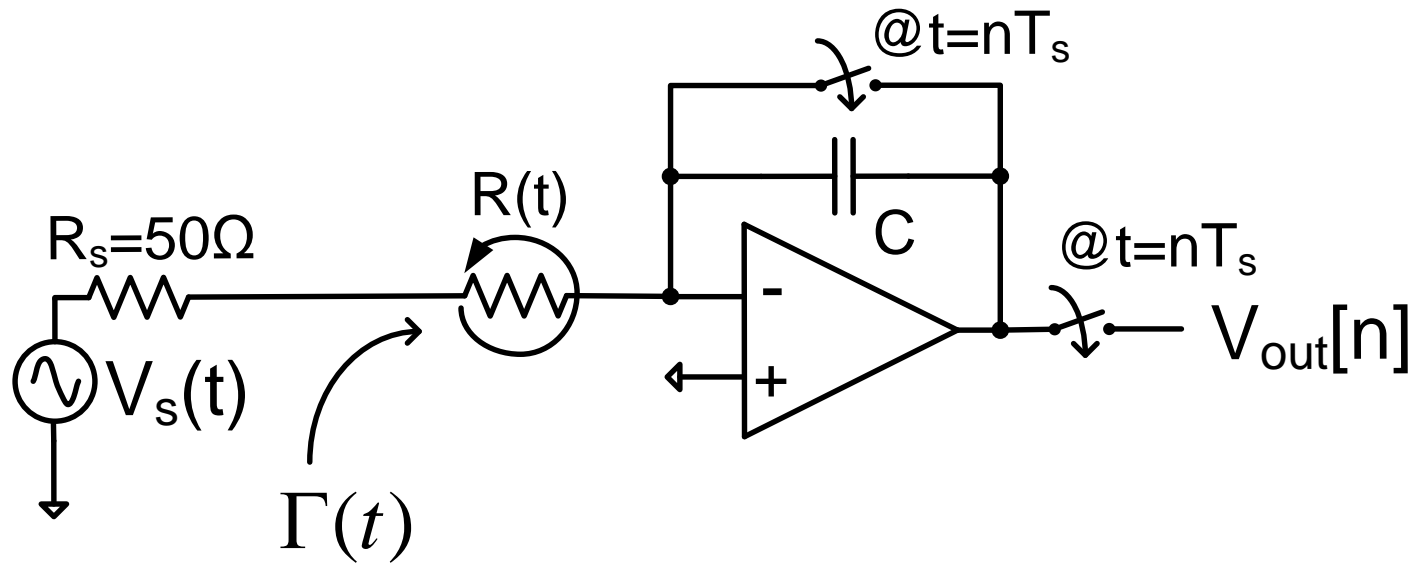
# FA Bandpass Filter

[Hameed ISSCC 2016]



- LO mixing converts sharp FA LPF to a sharp FA BPF

# Achieving Input Match



Reflection Coefficient

$$\Gamma(t) = \frac{V_R(t)}{V_I(t)} = \frac{R(t) - R_s}{R(t) + R_s}$$

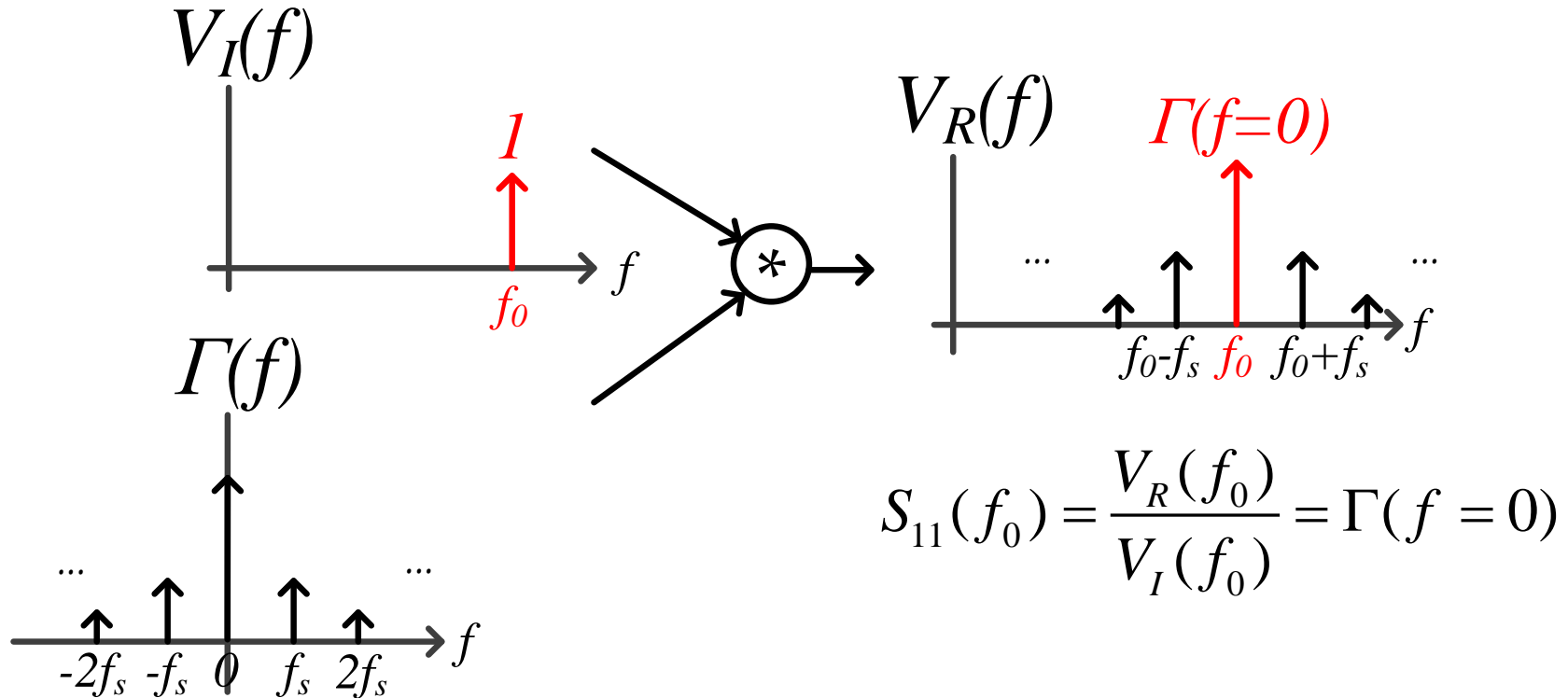
# Achieving Input Match

$$V_I(t) = \sin(2\pi f_0 t) \Rightarrow V_R(t) = \Gamma(t) \sin(2\pi f_0 t)$$



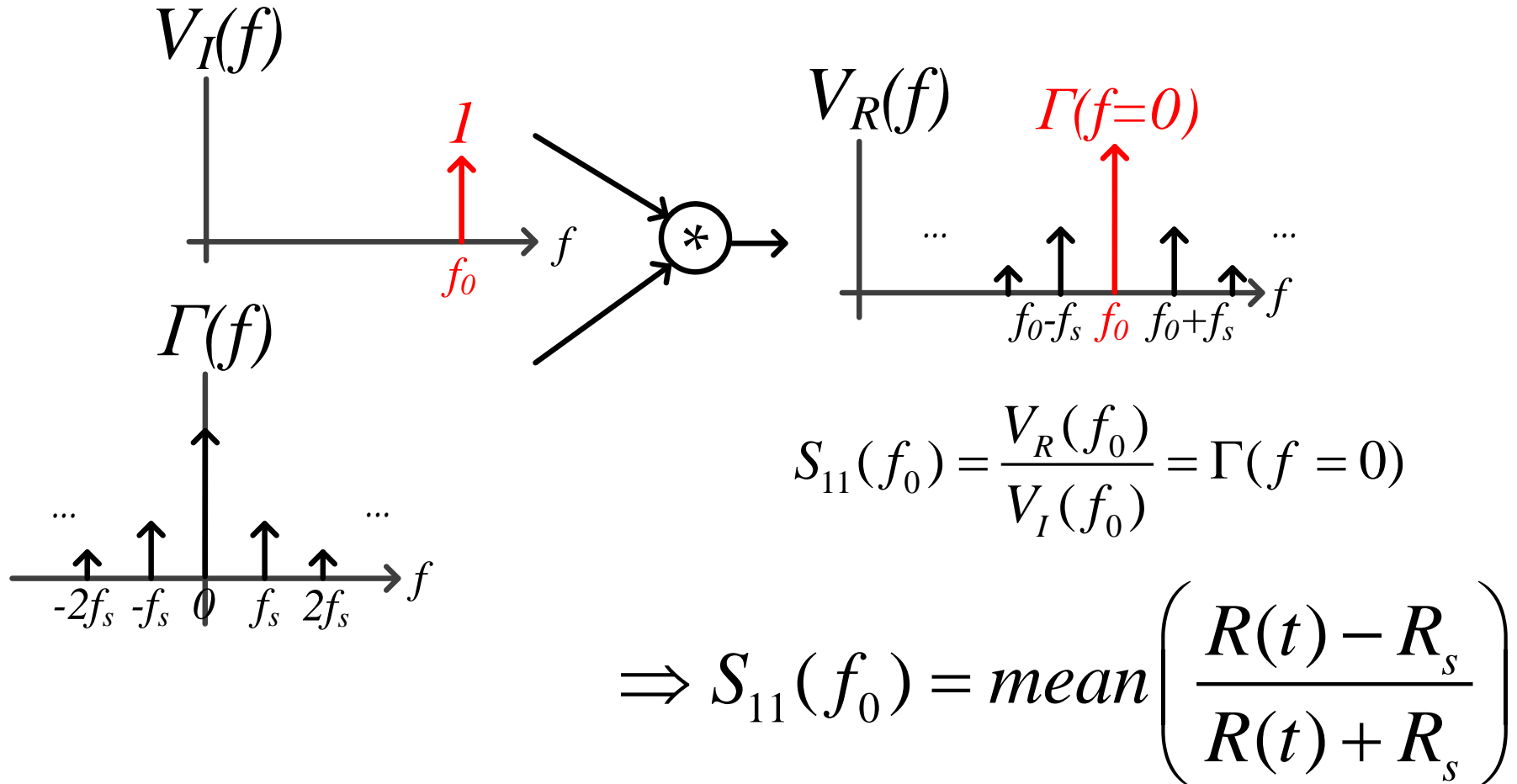
# Achieving Input Match

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# Achieving Input Match

$$V_I(t) = \sin(2\pi f_0 t) \Rightarrow V_R(t) = \Gamma(t) \sin(2\pi f_0 t)$$



# Achieving Input Match

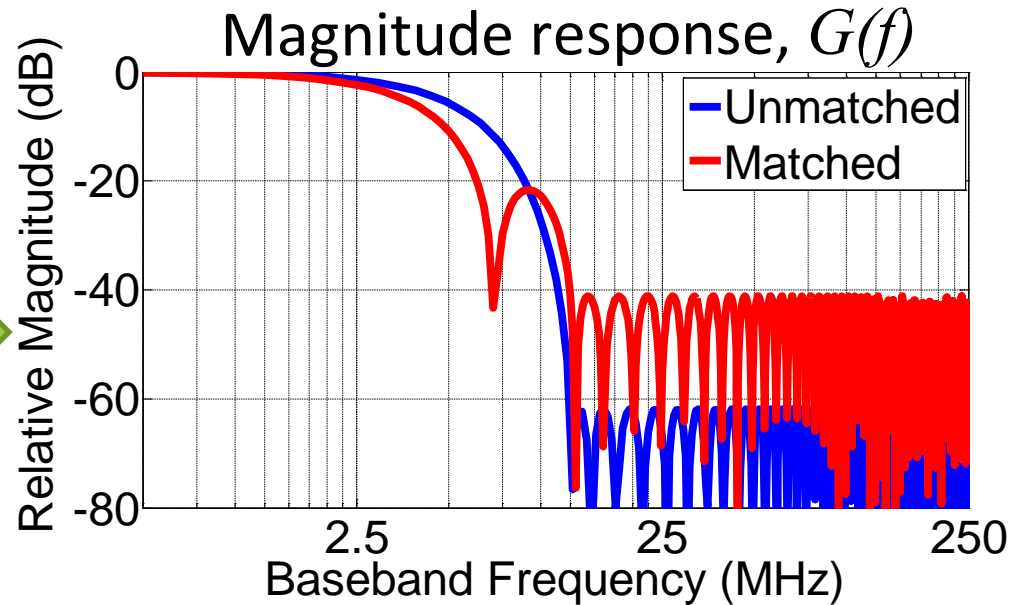
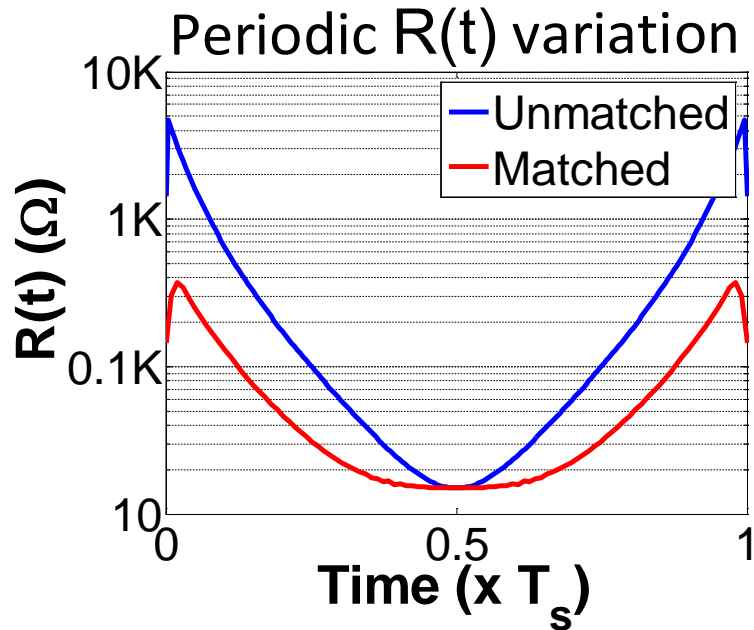
Matching Constraints

$$\left\{ \begin{array}{l} R(\tau) > R_S \\ S_{11} = \text{mean} \left[ \frac{R(\tau) - R_S}{R(\tau) + R_S} \right] < \alpha \end{array} \right.$$

$T_s$ , Filter BW,  
Transition BW

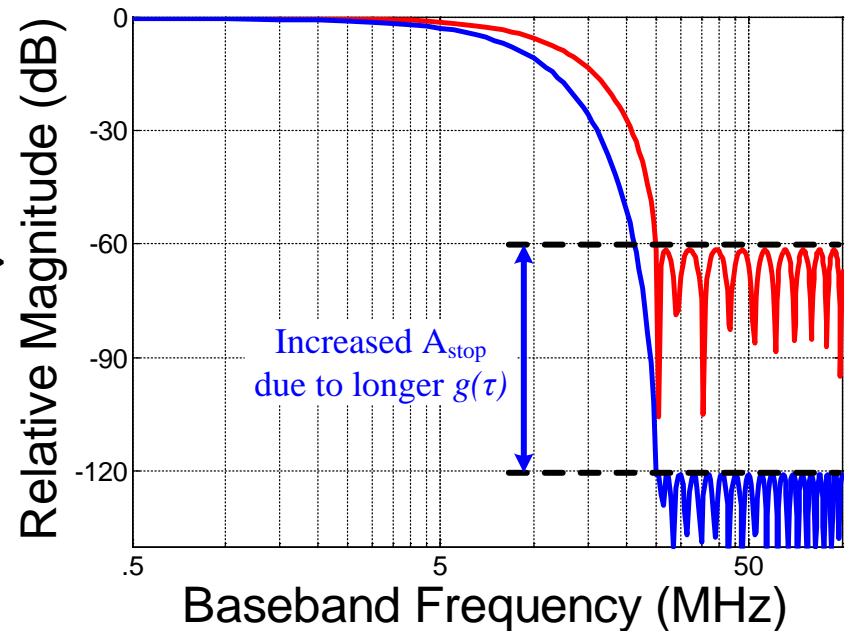
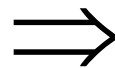
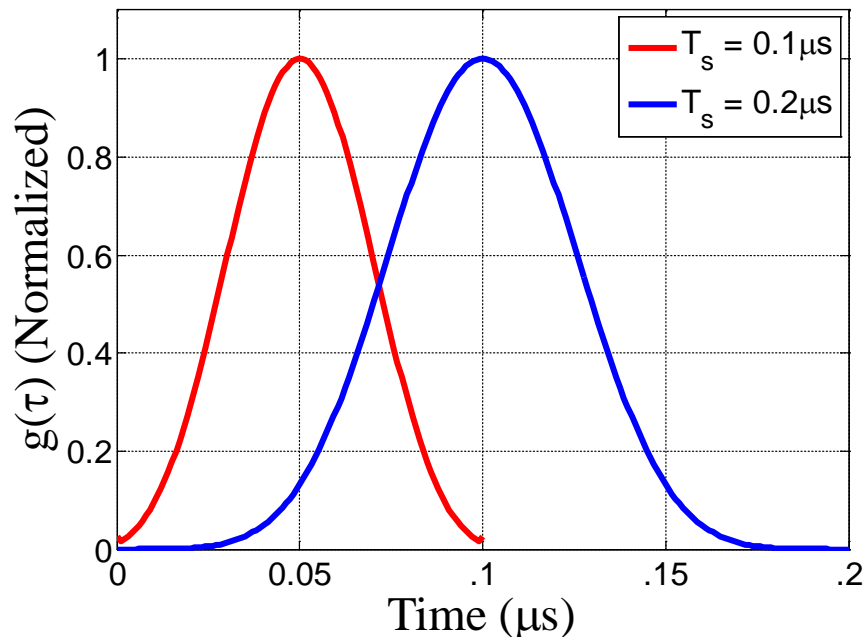


Optimal  $R(\tau)$



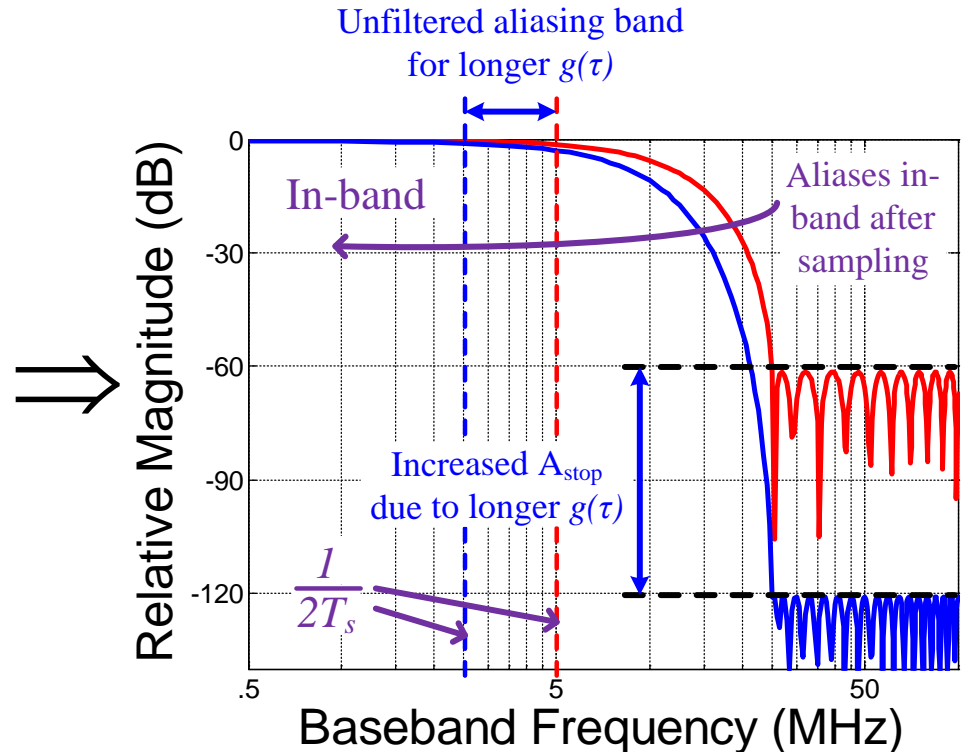
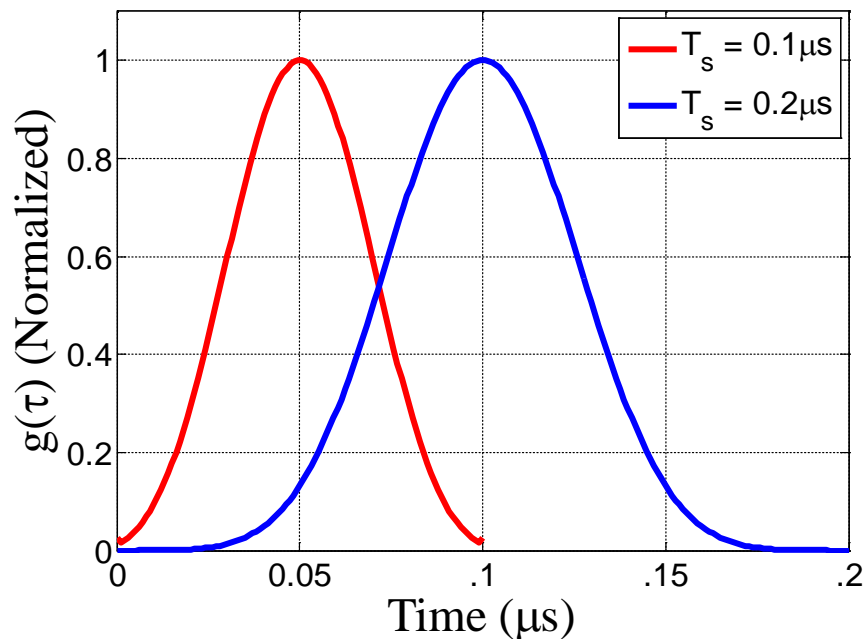
# Improving Stop-band Attenuation

- Increase  $A_{\text{stop}}$  with longer  $g(\tau)$ ?



# Improving Stop-band Attenuation

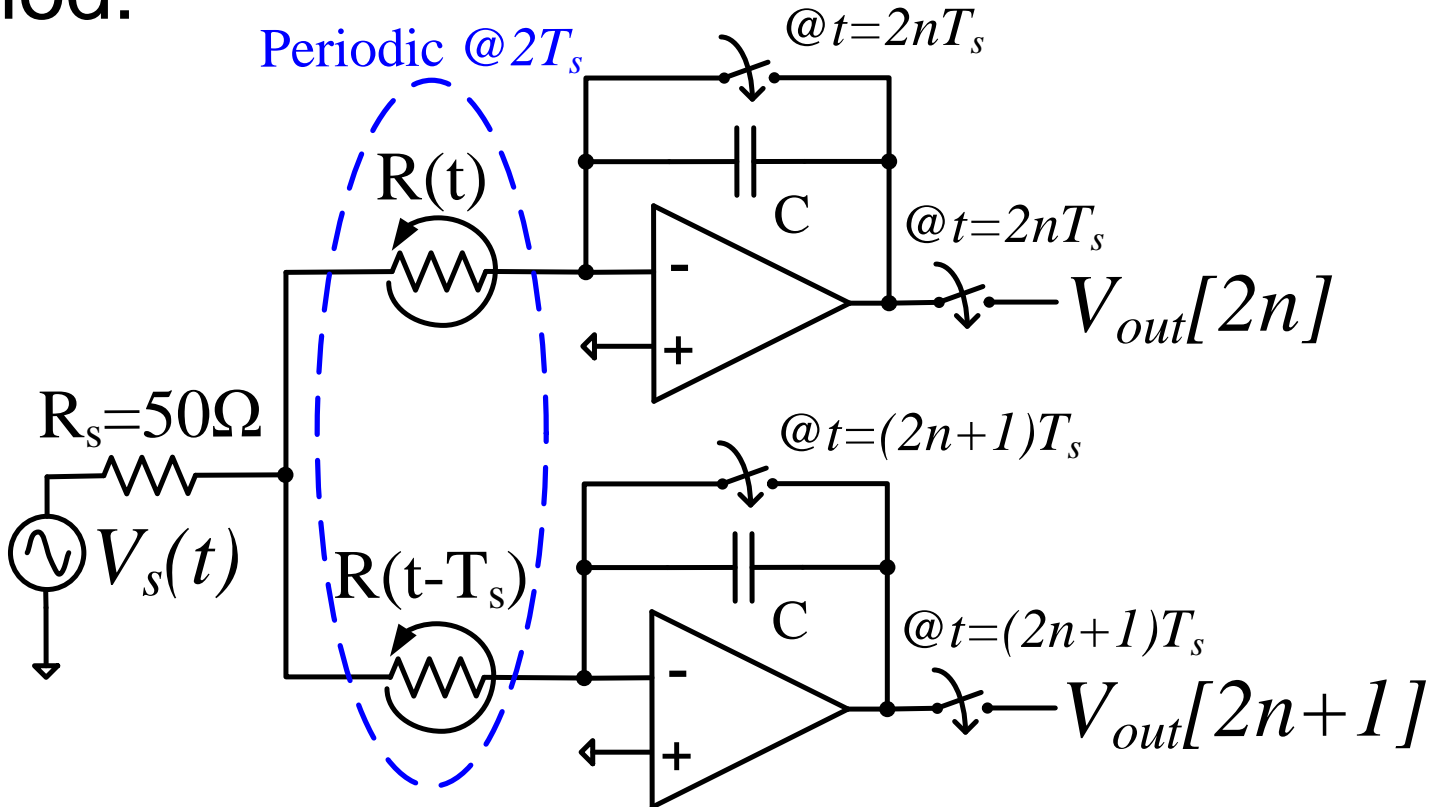
- Increase  $A_{\text{stop}}$  with longer  $g(\tau)$ ?
  - Unfiltered aliasing frequency bins
  - Sampling period same as length of  $g(\tau)$



# Time-Interleaved FA

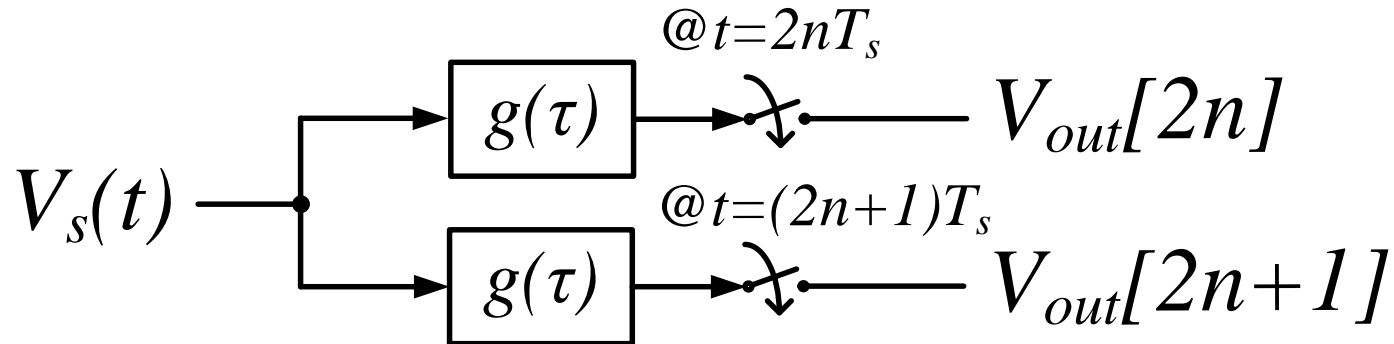
[Hameed ISSCC 2017]

Use time-interleaving to maintain sampling period:



# Time-Interleaved FA

Sampling period is  $T_s$ :



But  $g(\tau)$  length is  $2T_s$ :

$$g(\tau) = \frac{R(T_s - \tau)}{[R(-\tau) + R(T_s - \tau)]} \frac{1}{[R_s + R(-\tau) \parallel R(T_s - \tau)] C}$$

$$0 \leq \tau \leq 2T_s$$

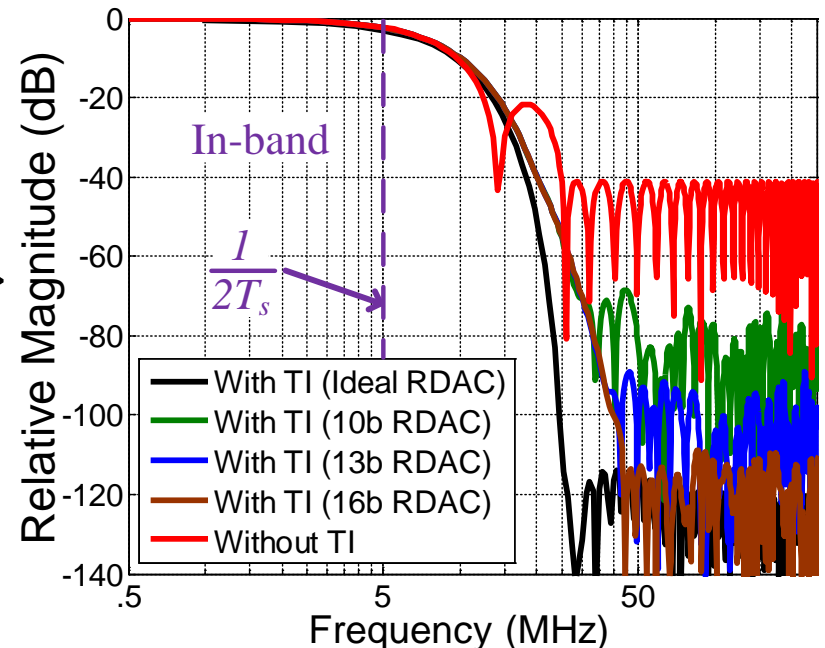
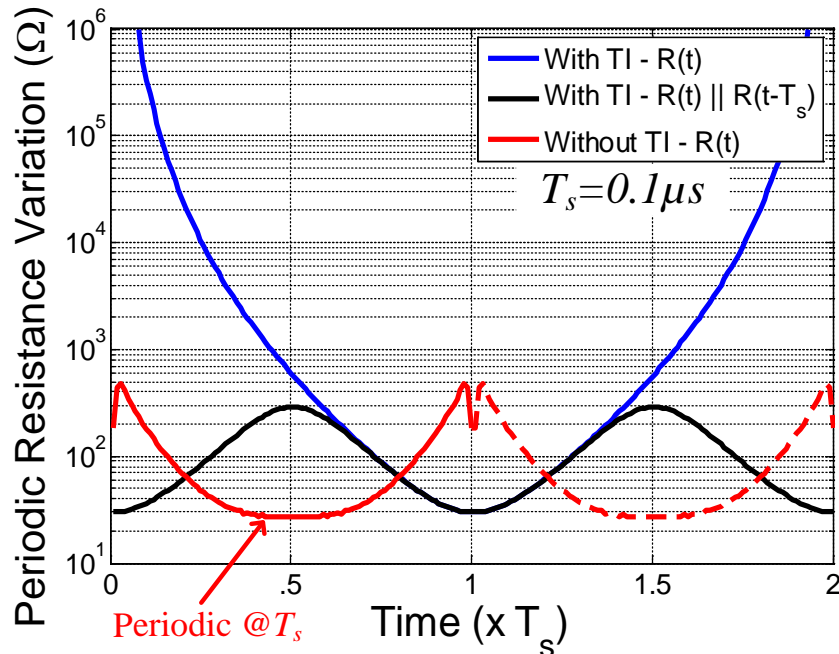
# Time-Interleaved FA

➤ Matching is easier

–  $S_{11} \sim f(R(t) // R(t-T_s))$

➤ Much higher  $A_{\text{stop}}$

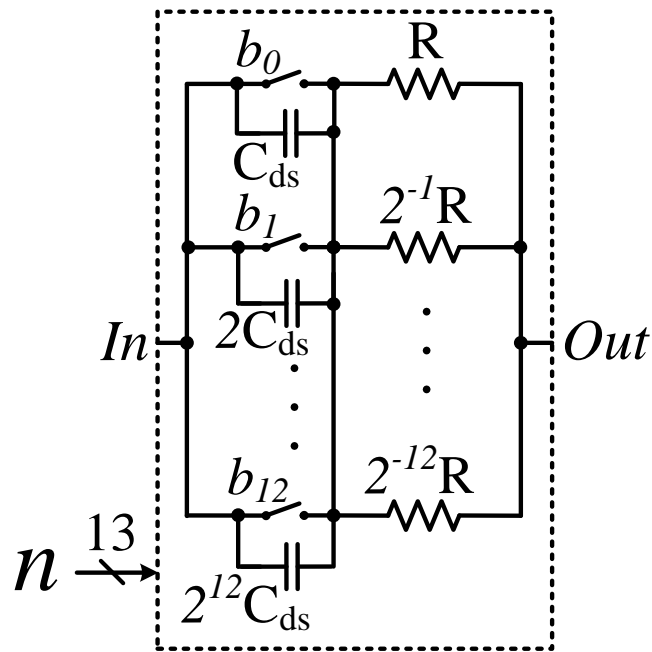
– 70dB  $A_{\text{stop}}$  with 10b RDAC dynamic range



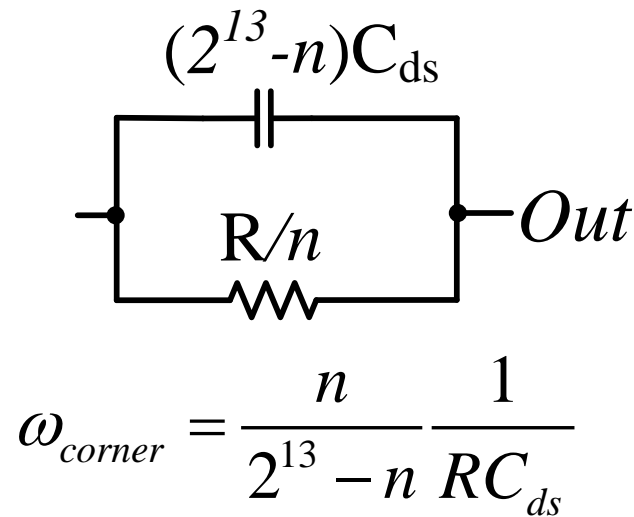


# LPTV Resistor

- Built as 13b binary scaled resistor DAC
  - Switch resistance : Poly resistance set to 1:4
- Circuit parasitics limit dynamic range
  - e.g.,  $C_{ds}$  across switches



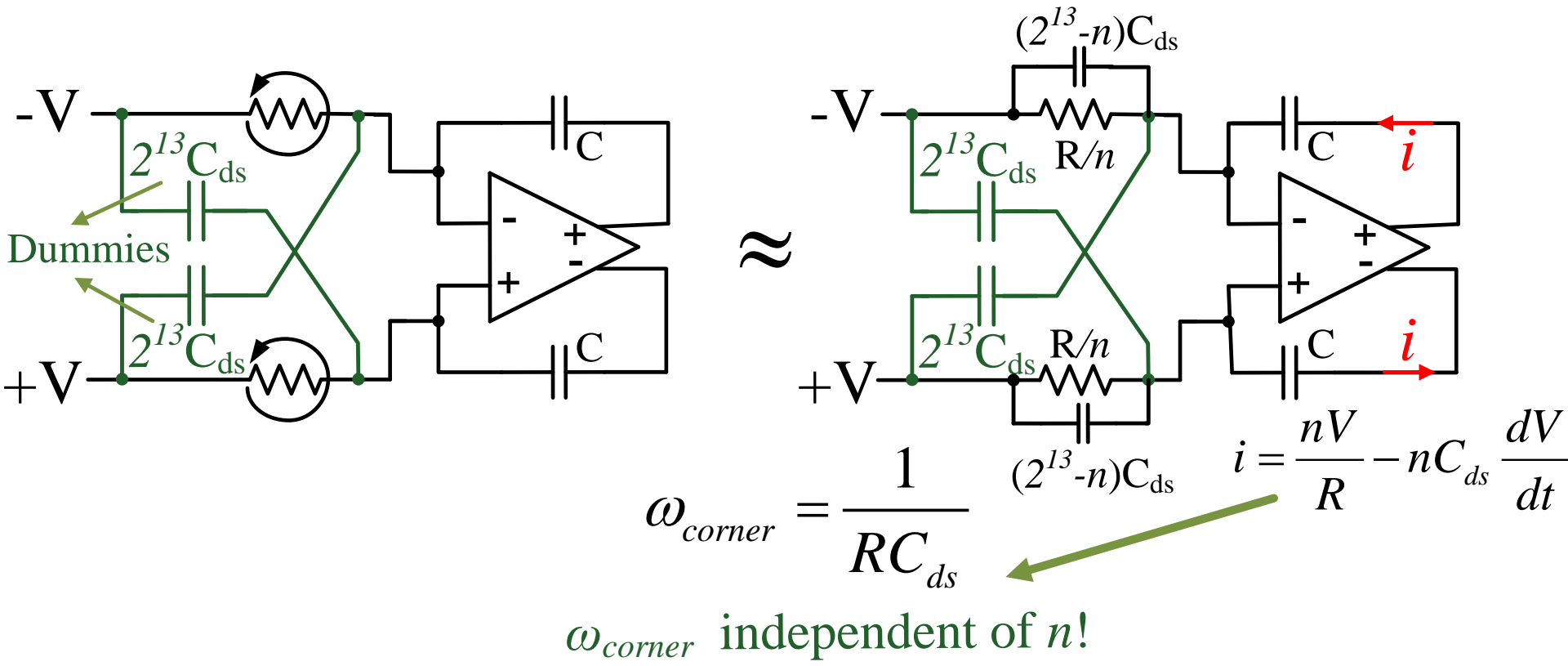
$\approx$



$\omega_{corner} \downarrow$  for  
small  $n$ !

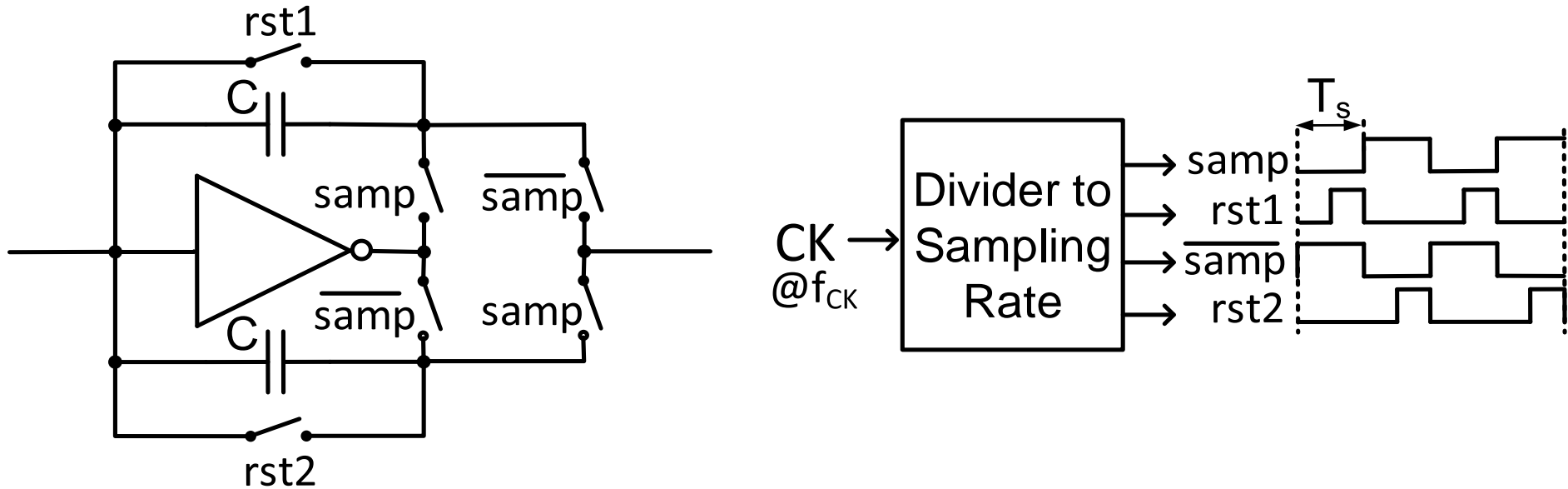
# LPTV Resistor

- Alleviated in differential configuration
  - Corner freq. constant with addition of dummies



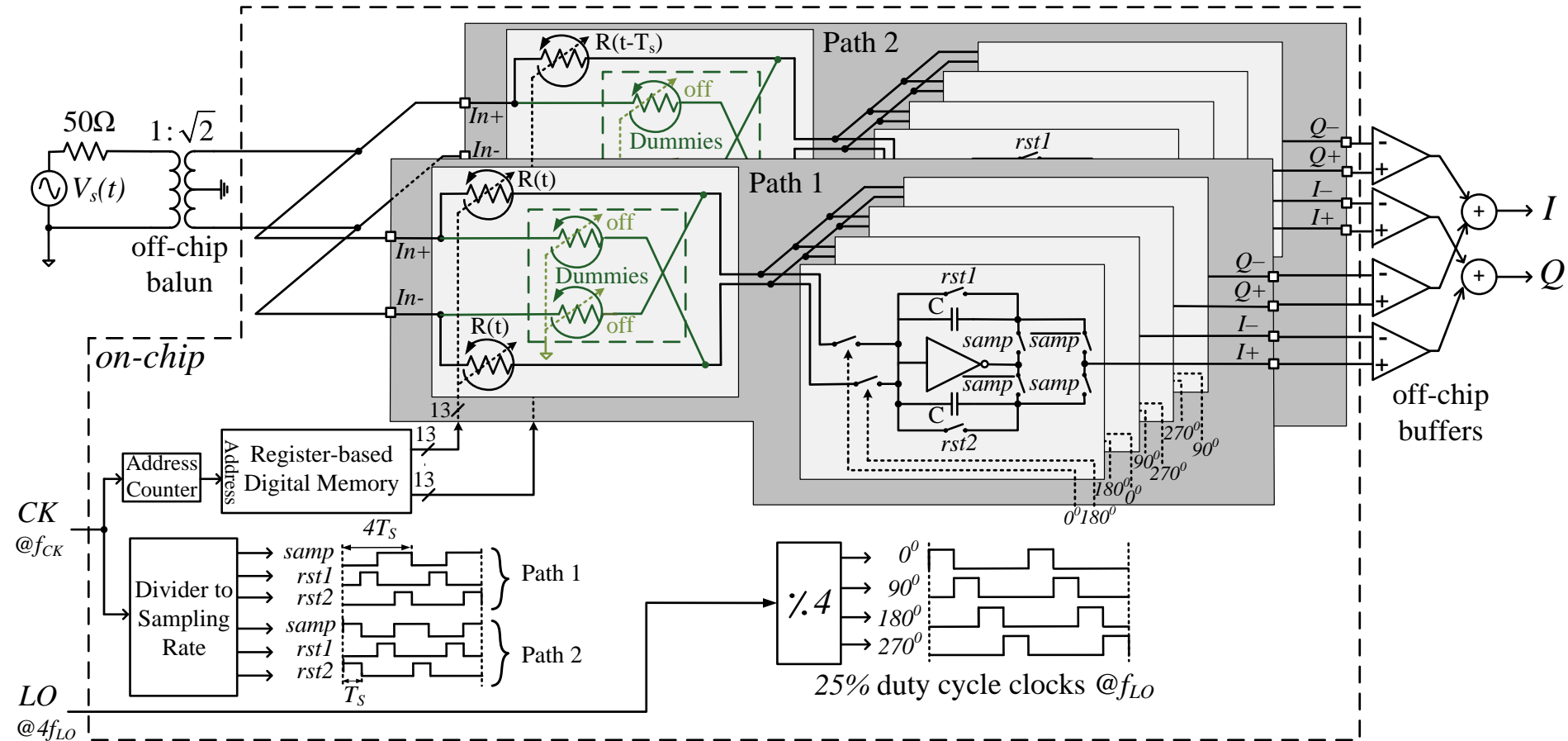
$\omega_{corner}$  independent of  $n$ !

# Baseband Integrator



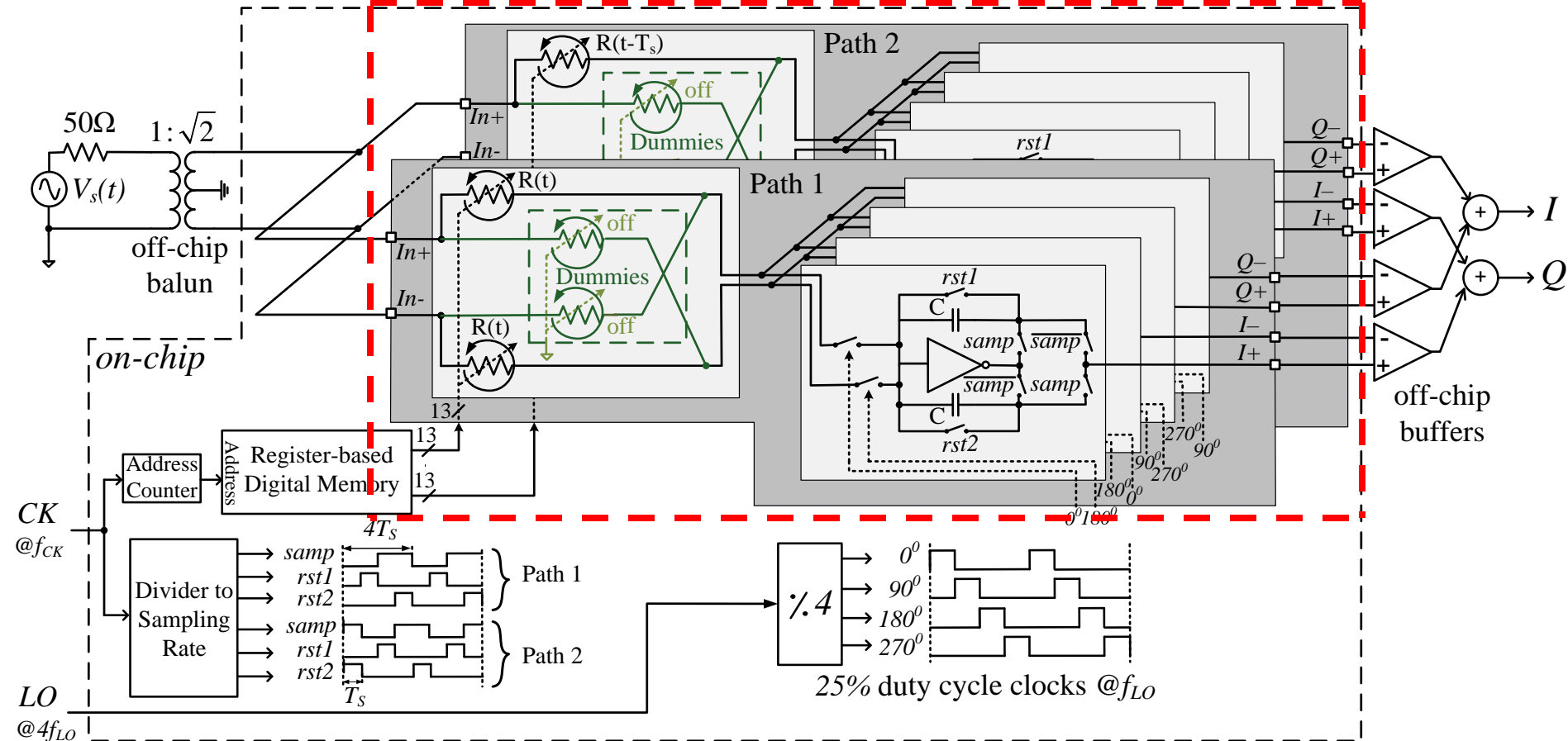
- Inverter-based op-amp
  - Self-biased due to periodic reset
- Feedback caps implemented as ping-pong structures
  - Capacitors implemented using MIM caps

# System Block Diagram

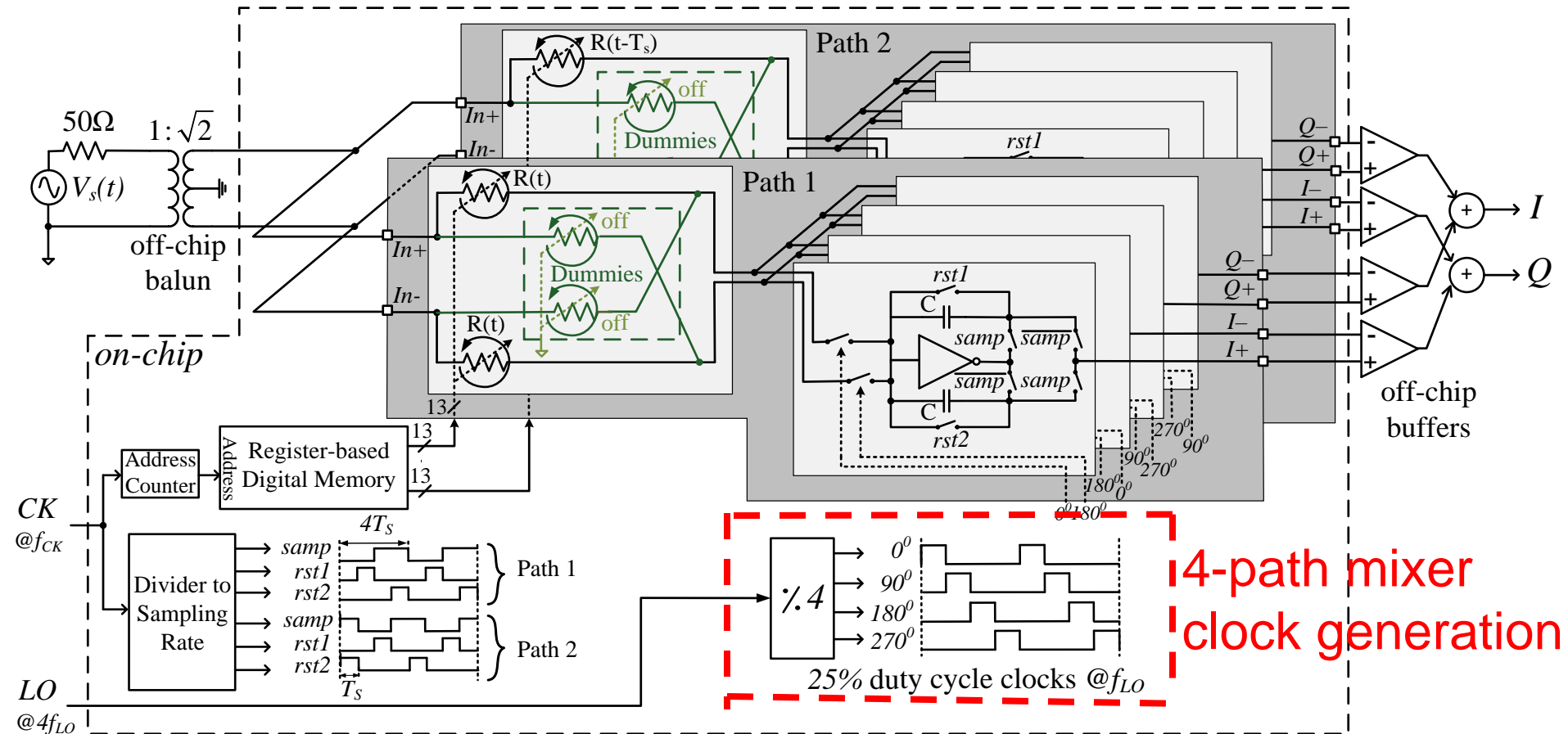


# System Block Diagram

## 2xTI 4-path FA Blocks



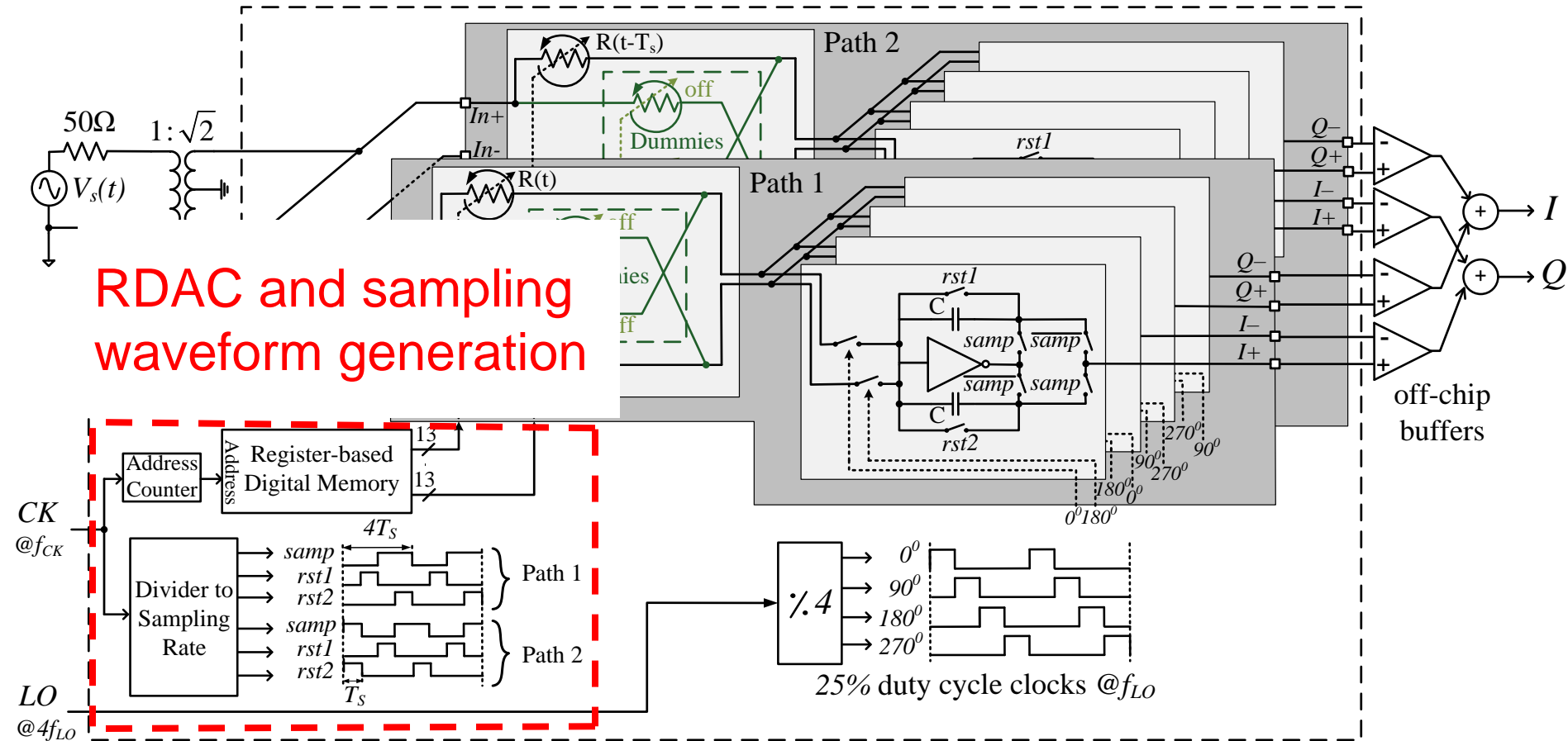
# System Block Diagram



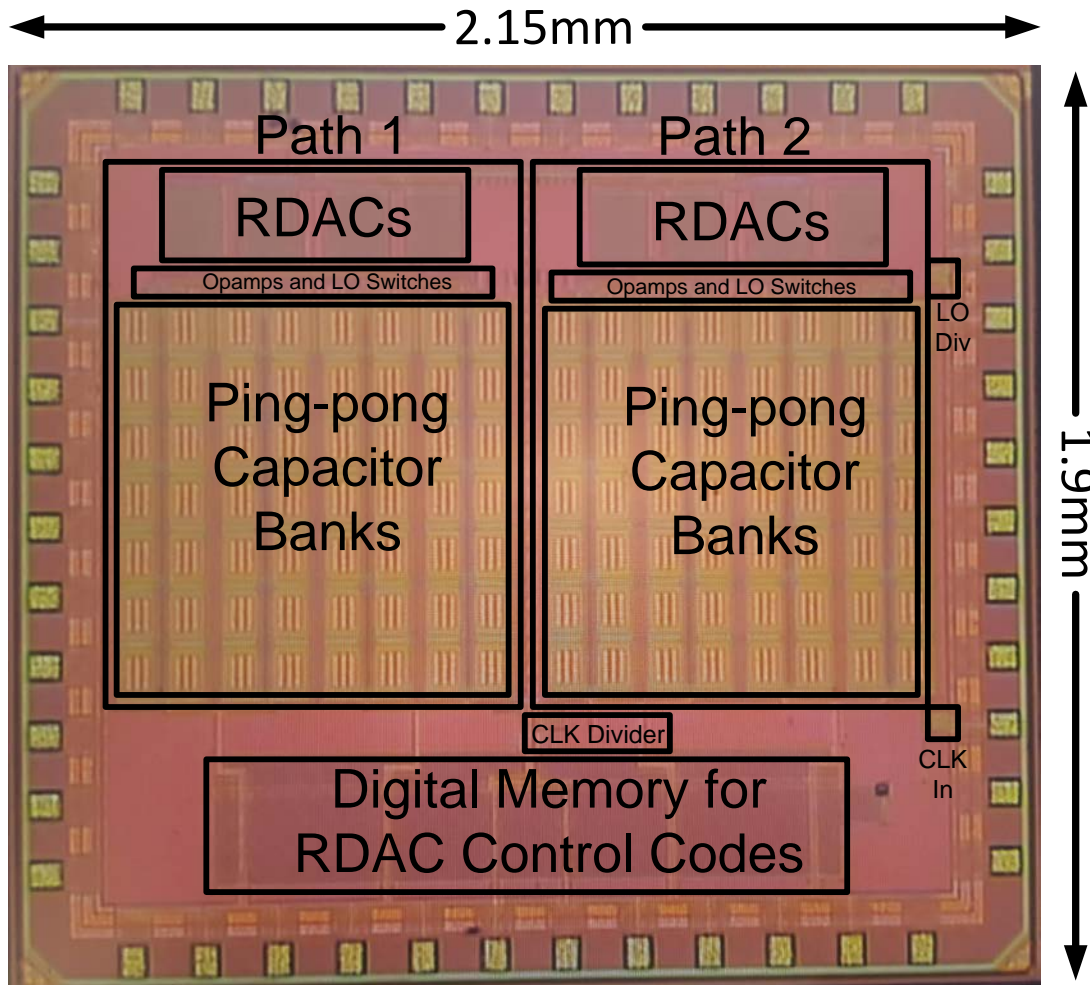
4-path mixer  
clock generation

# System Block Diagram

RDAC and sampling waveform generation



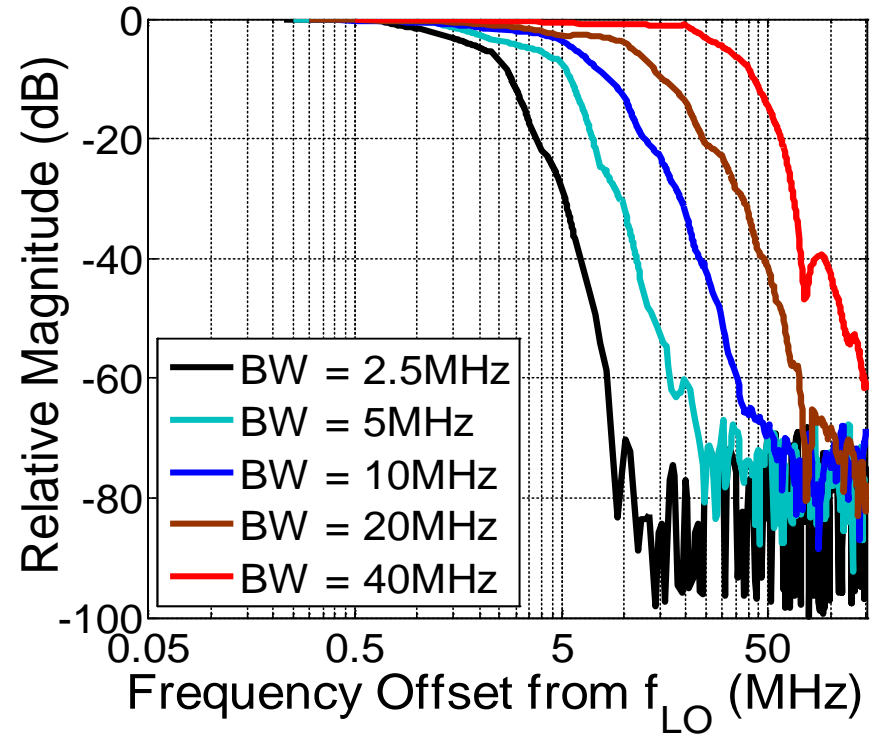
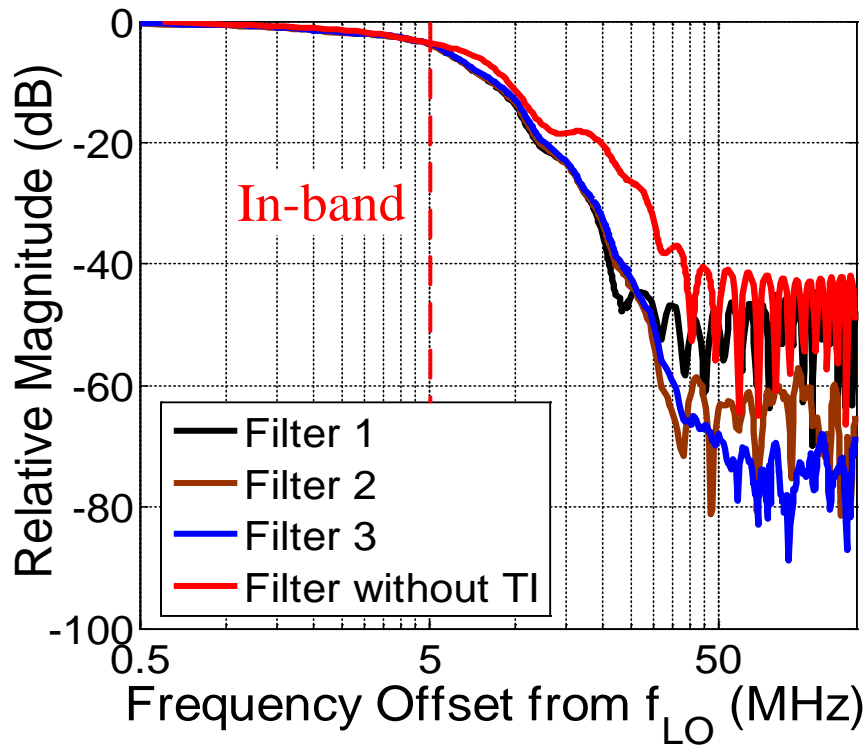
# Implemented IC



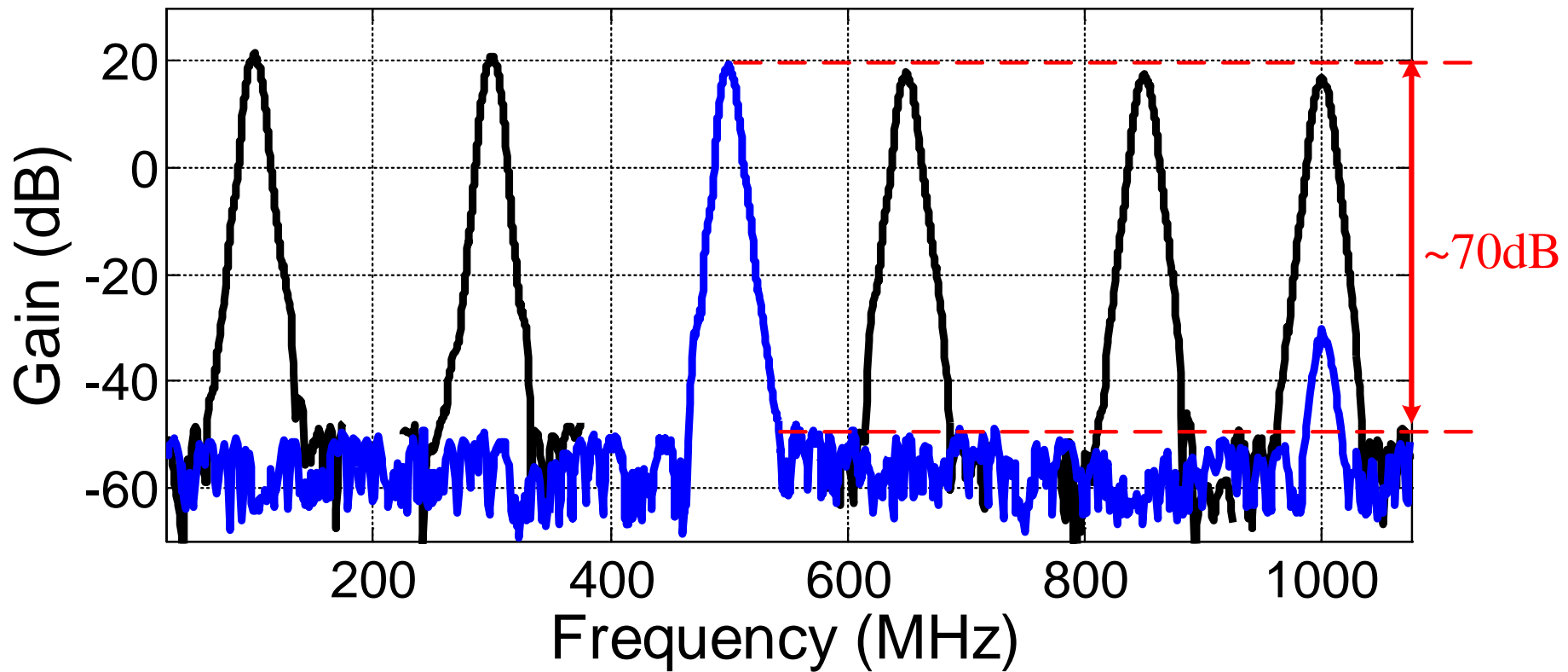
- 65nm CMOS
- 2.3mm<sup>2</sup> active area



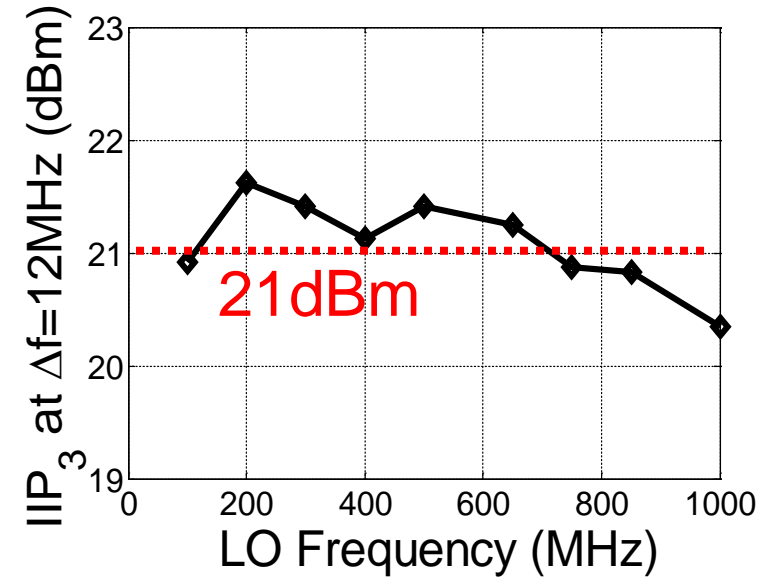
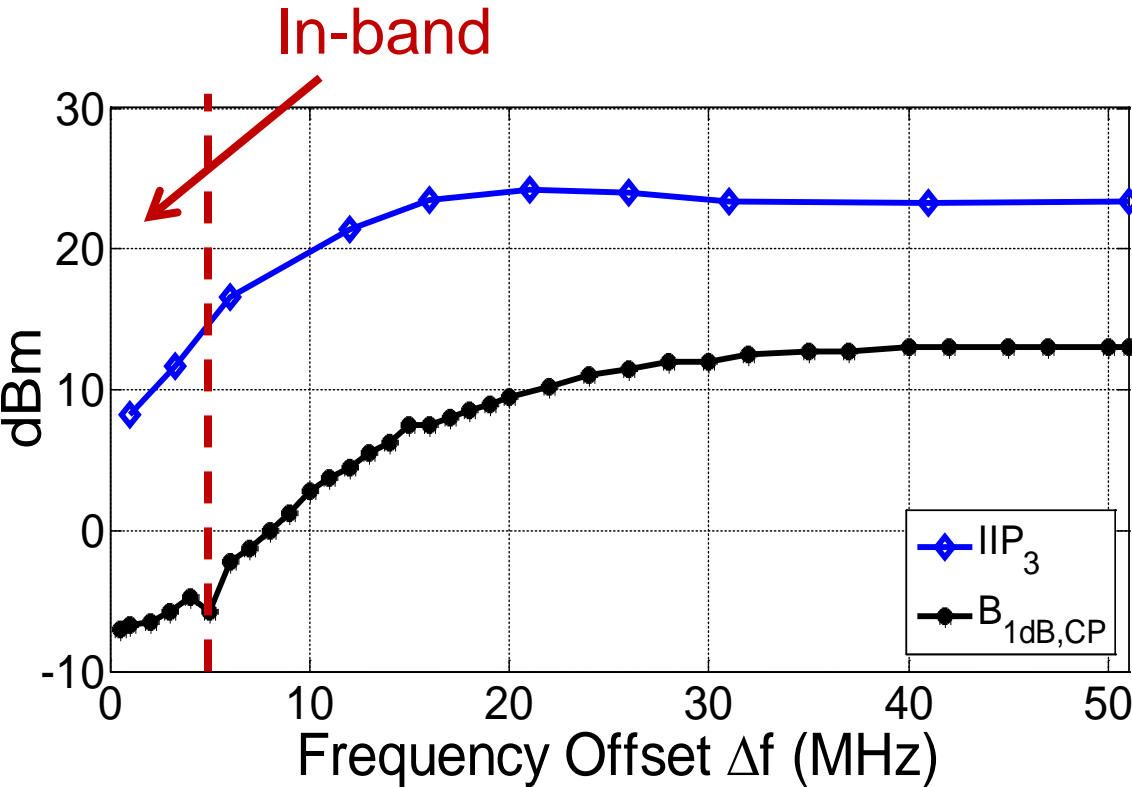
# Filter Programmability



# LO Programmability

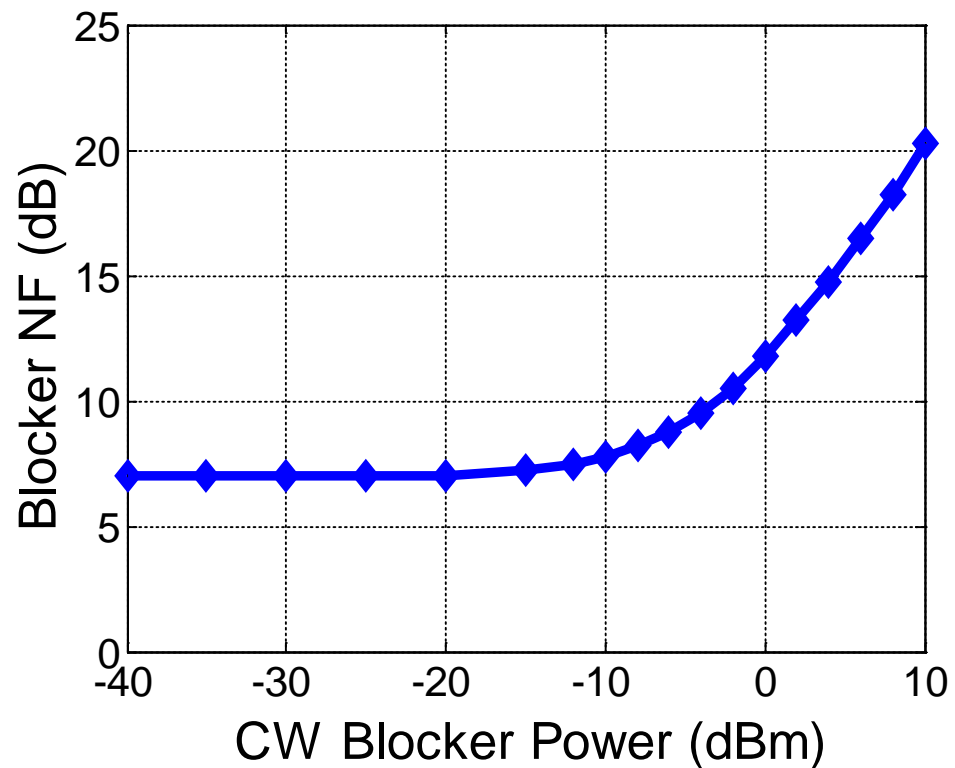
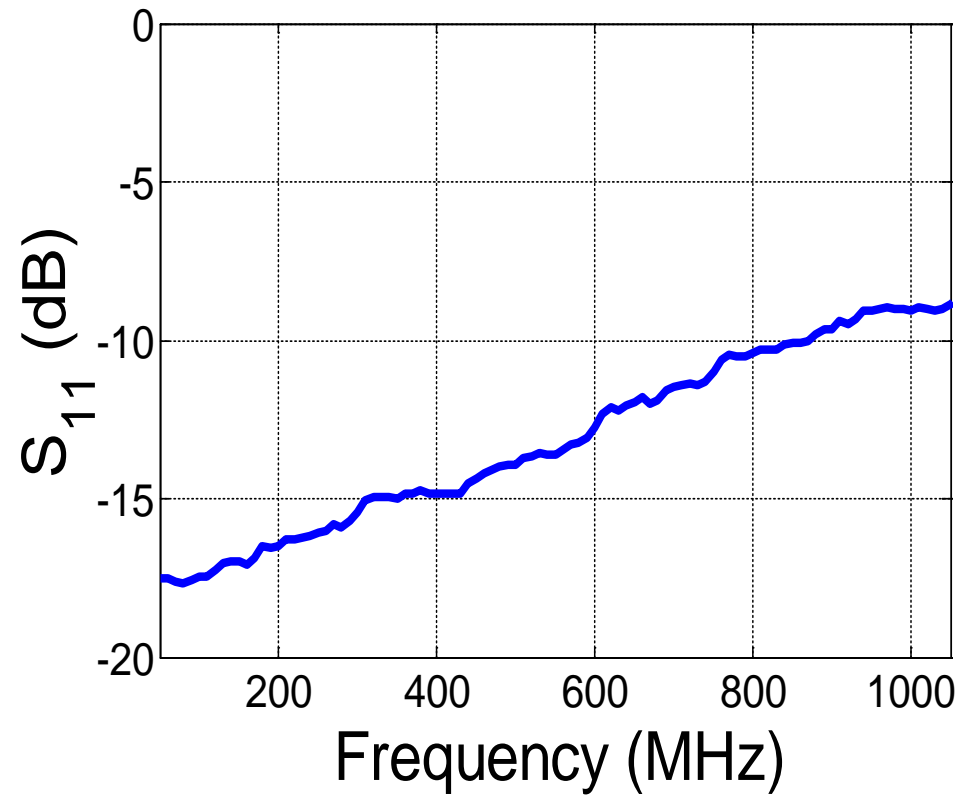


# Receiver Linearity



Linearity vs. Offset from LO,  $IIP_3$  ( $\Delta f=12\text{MHz}$ ) vs. LO  
for 10MHz BW Filters

# Wideband $S_{11}$ and Blocker NF

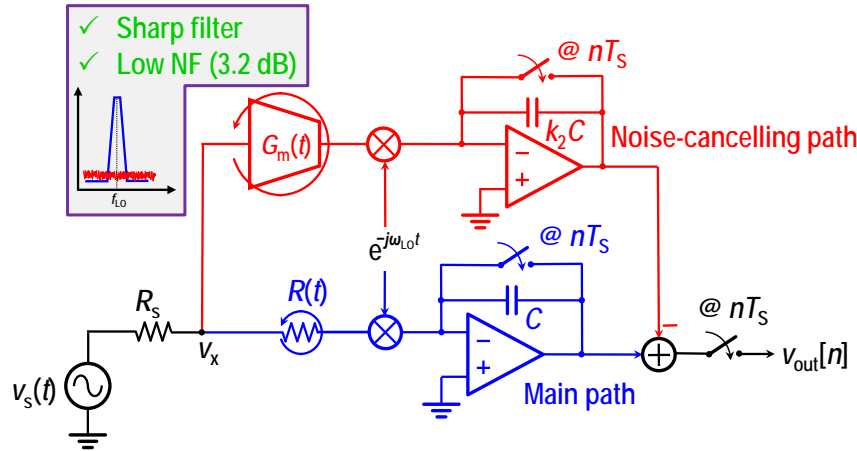


# Comparison with Prior Art

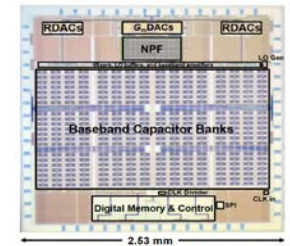
Metric	[1]	[2]	[3]	[4]	This Work
Architecture	N-path	N-path + DT filtering	Mixer-first with Noise Cancelling	FA	FA with Time Interleaving
Technology	65nm	40nm	40nm	65nm	65nm
RF Frequency (GHz)	0.1-1.2	0.1-0.7	0.08-2.7	0.1-1	0.1-1
RF Input	Differential	Differential	Single-ended	Single-ended	Differential
BW (MHz)	8	6.4-9.6	4	2.5-40	2.5-40
Stop-band Rejection (Transition BW)	59dB (12×BW)	>70dB (~8.5×BW)	NA	>35dB (2.5×BW) >50dB (6.5×BW)	>45dB (1.7×BW) >70dB (4×BW)
In-band IIP <sub>3</sub> (dBm)	-12	NA	-20	+1	+8
Out-of-band IIP <sub>3</sub> (dBm)	+26 (Δf=6.25×BW)	+24 (Δf=4.7×BW)	+13.5 (Δf=20×BW)	+17 (Δf=1.2×BW)	+21 (Δf=1.2×BW)
Out-of-band IIP <sub>2</sub> (dBm)	NA	NA	+55	+60	+64
B <sub>1dB,CP</sub> (dBm)	+7 (Δf=6.25×BW)	+14.7 (Δf=4.7×BW)	-2 (Δf=20×BW)	+0.7 (Δf=2×BW) +8 (Δf=4×BW)	+9.5 (Δf=2×BW) +13 (Δf=4×BW)
S <sub>11</sub> (dB)	-5 to -8	<-10	<-8.8	<-10	<-9
Gain (dB)	25	40	72	18.9	23
NF (dB)	2.8	6.8-9.7	1.9	6.5	7
Supply Voltage (V)	1.2	1.2/1.6	1.2/2.5	1.2/1	1.2/1
Power Consumption	15-48mA	59-105mW	27-60mA	56-62mA	64-84mA
Active Area (mm <sup>2</sup> )	0.27	2.03	1.2	2	2.3

# Further Evolution

## ❑ Noise cancellation in time-varying receivers



- Time-varying noise cancellation path
- 3.2dB NF demonstrated
- JSSC'20



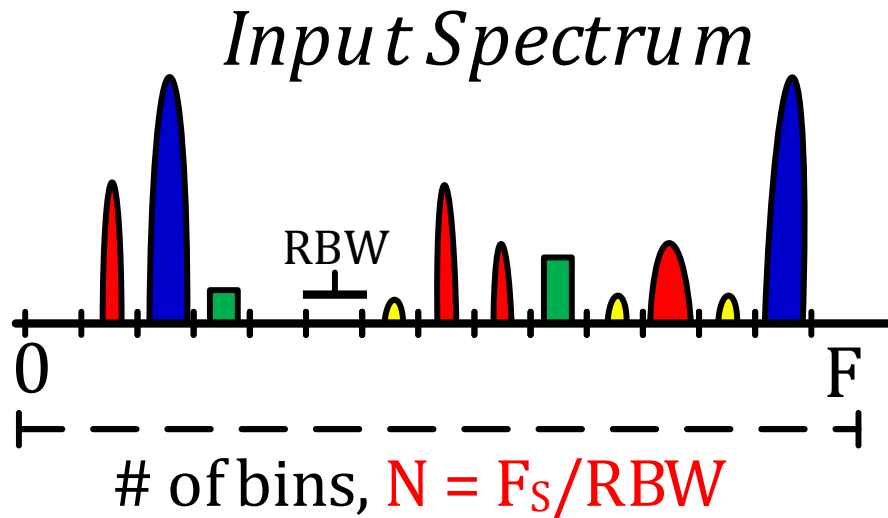
## ❑ Channel aggregation

- Modifications to make input impedance time-invariant
- Allow multiple channels to operate in parallel
- More details in ISSCC'21

# Outline

- Problem and prior art
- Filtering-by-Aliasing
  - Concept of using sampling aliases for sharp filtering
  - Designing FA filter: some examples
- Example applications
  - Agile RF front ends
  - Spectrum scanners

# Spectrum Scanner: Requirements

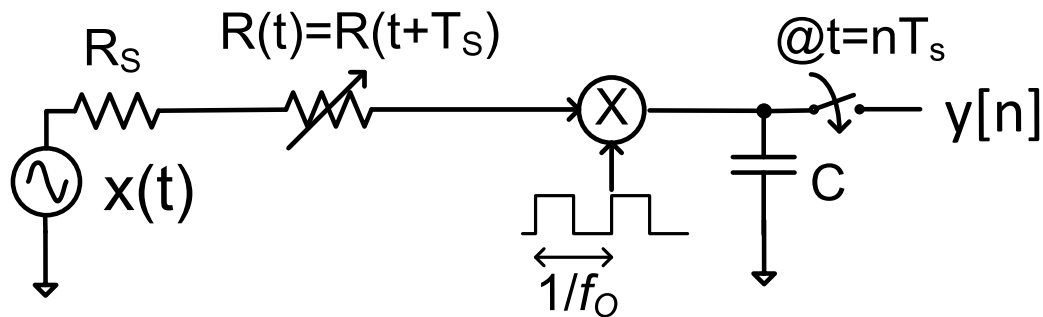


- BPFs with programmable center frequency, RBW
- Excellent linearity needed
- Excellent harmonic rejection needed
- Low power consumption

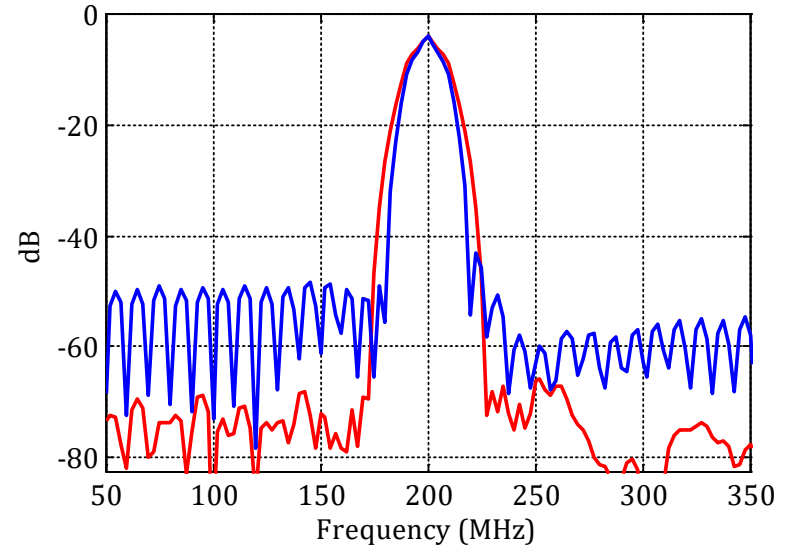
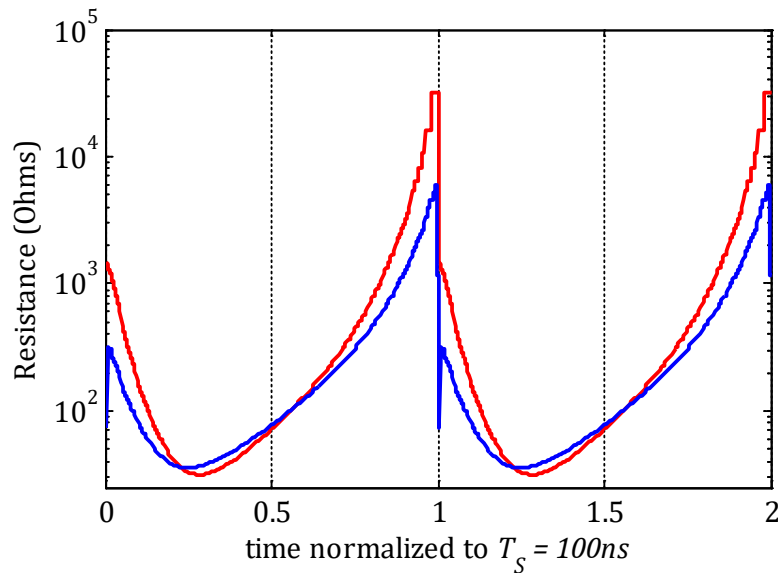


# FA-Based Spectrum Scanner

➤ Amplifier-less, passive implementation ➔ linear, low power

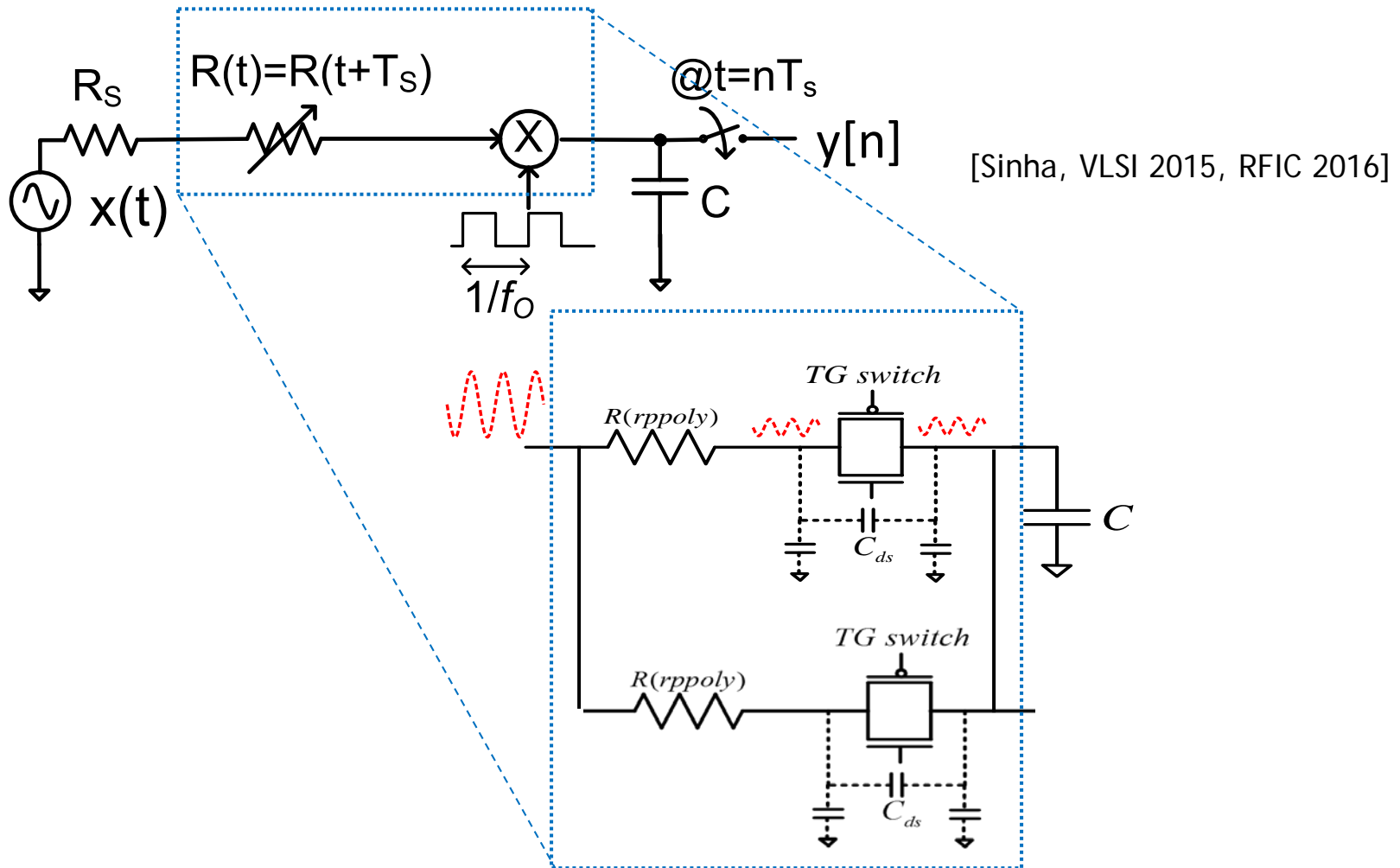


[Sinha, VLSI 2015, RFIC 2016]

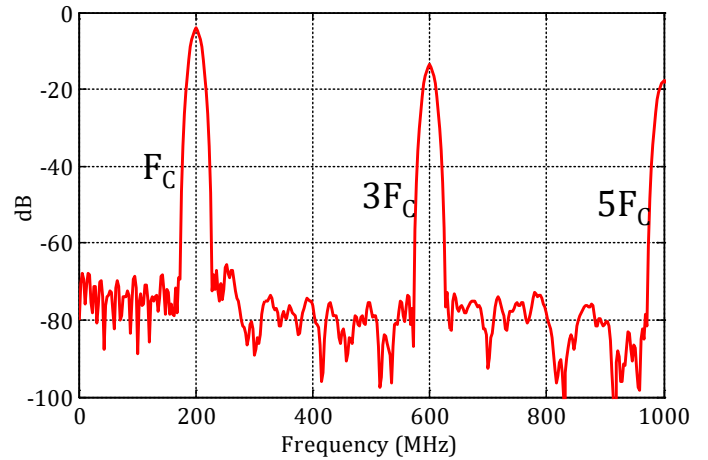
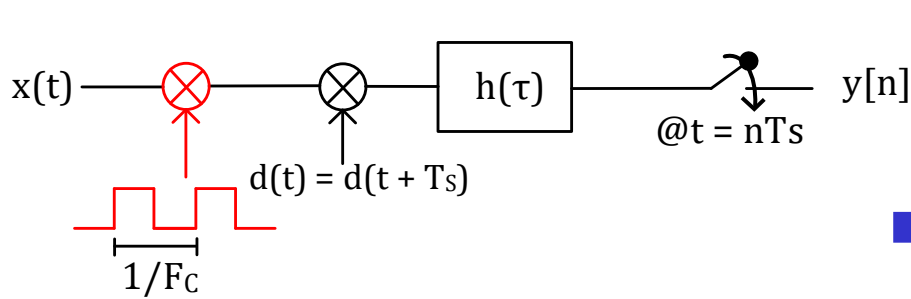


# Linearity & Low Power

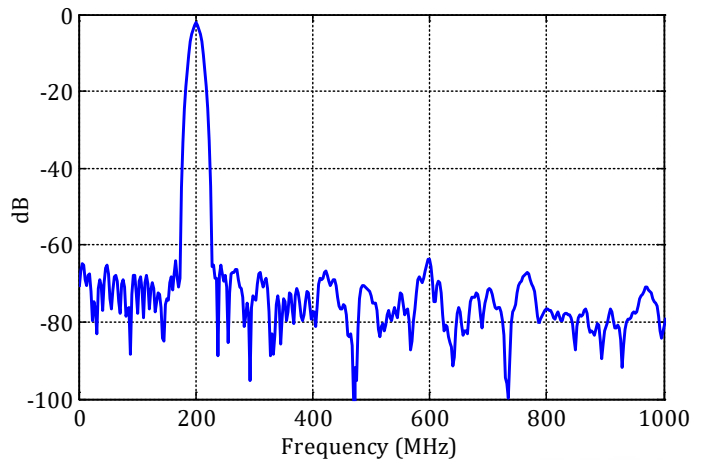
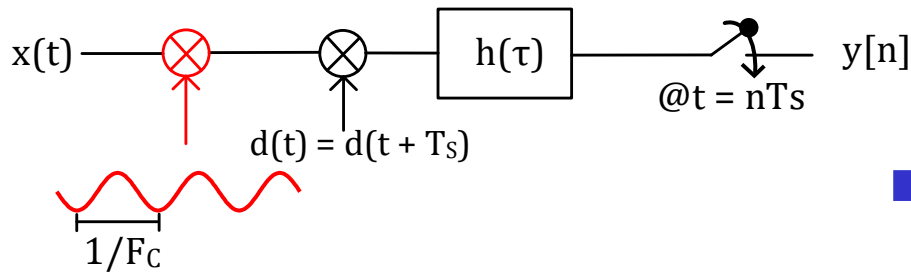
- Low power, excellent linearity



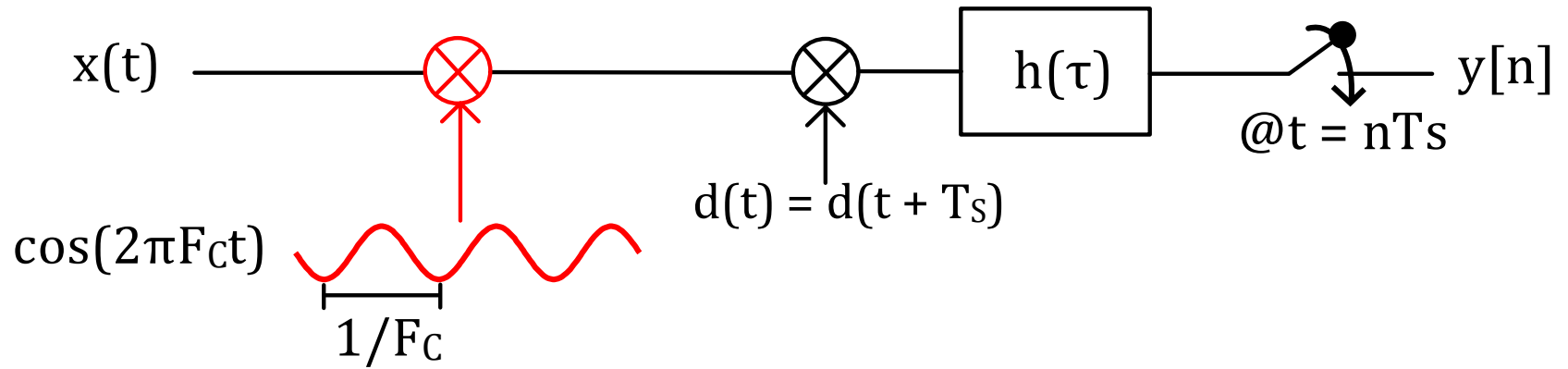
# Harmonic Rejection



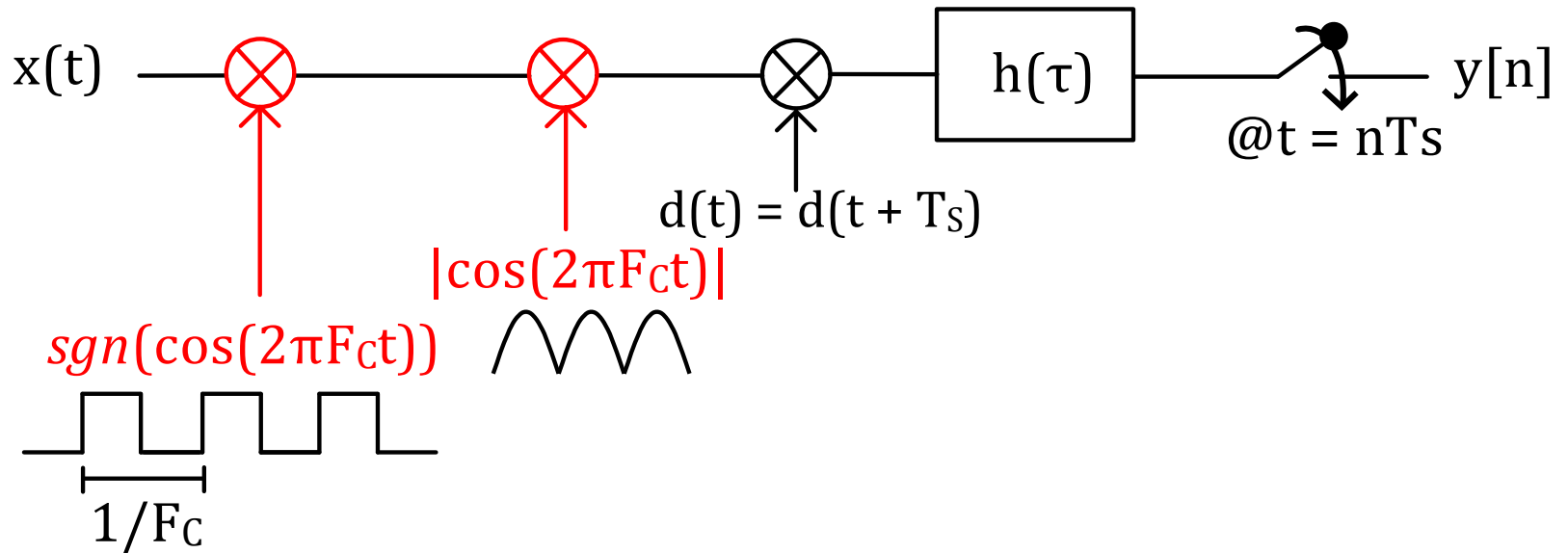
Sinusoidal mixing desired!



# Harmonic Rejection

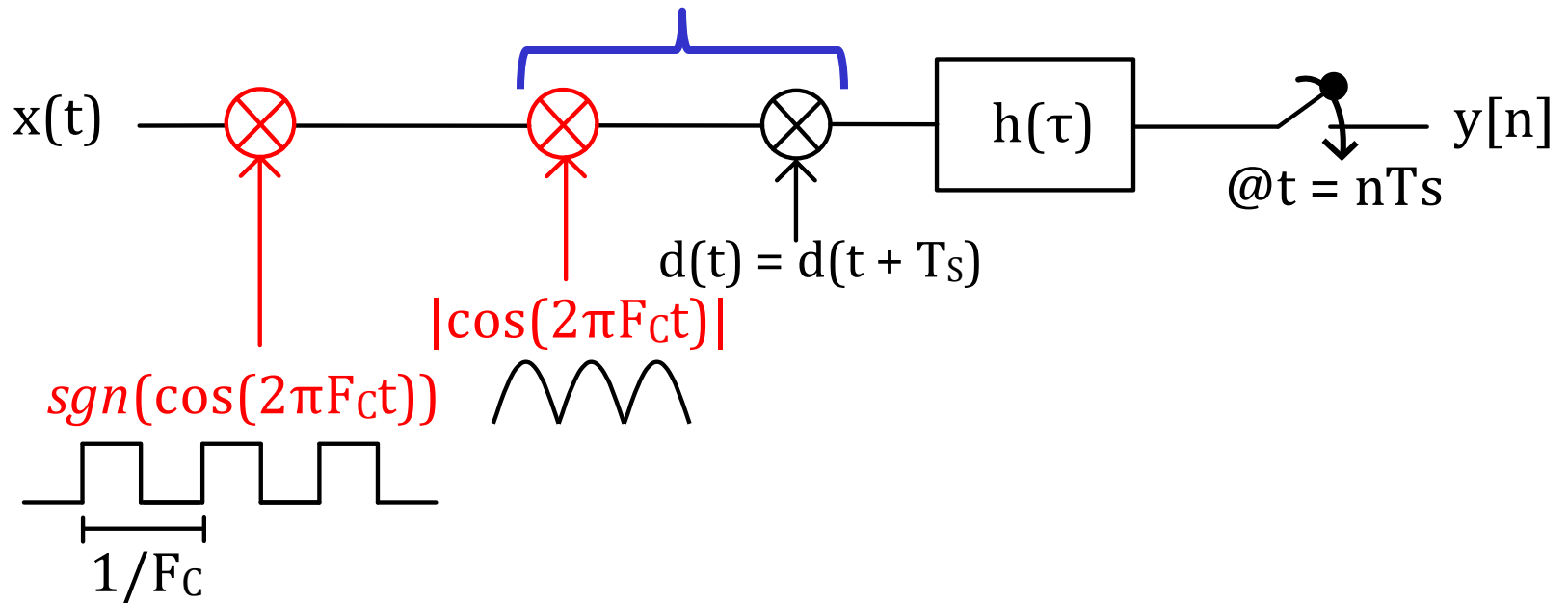


# Harmonic Rejection



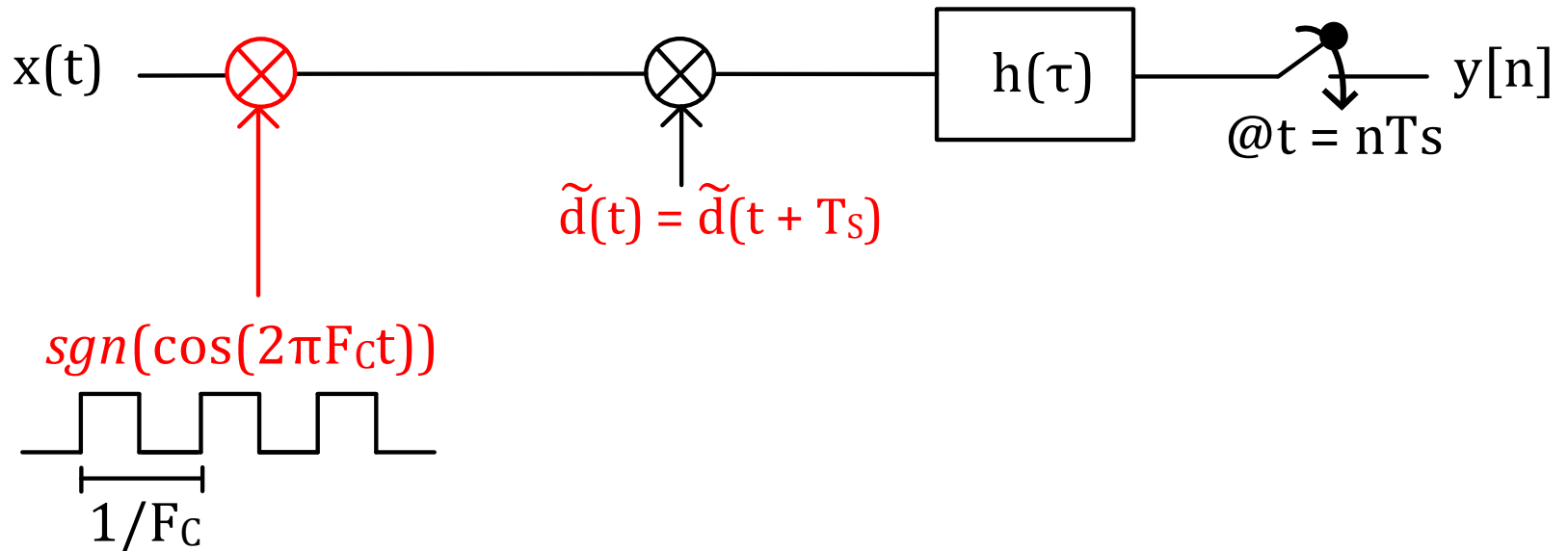
Sinusoid = square-wave x envelope

# Harmonic Rejection



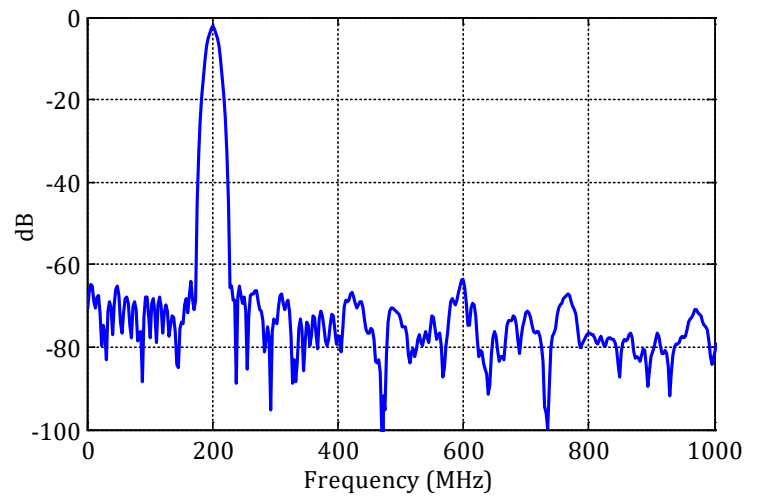
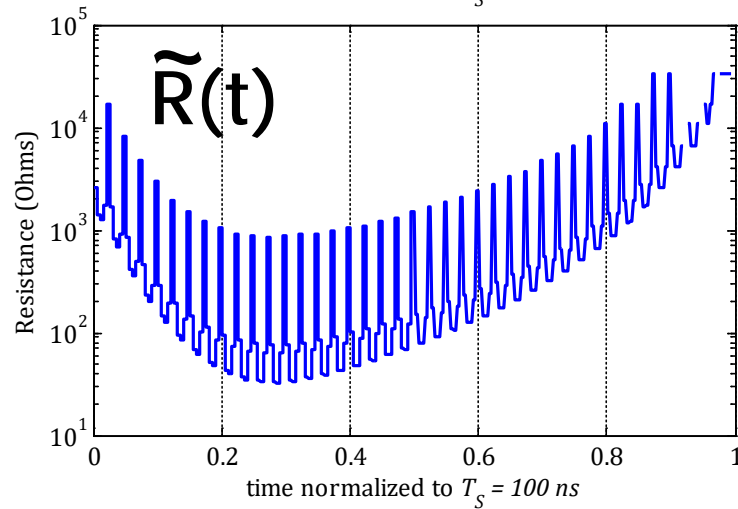
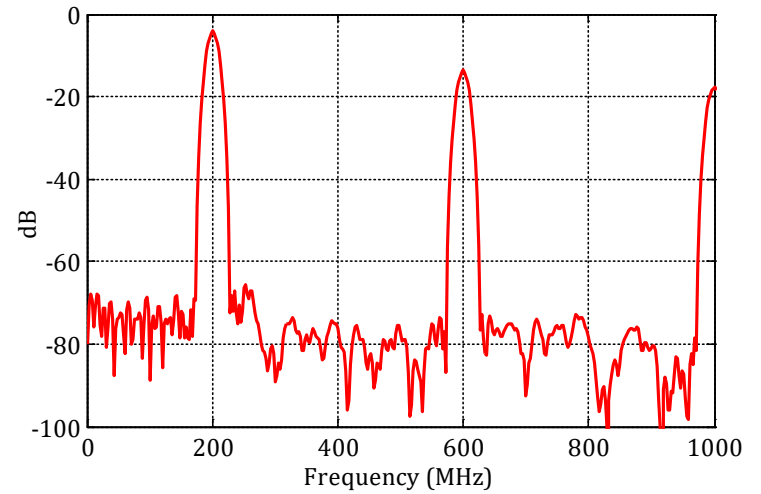
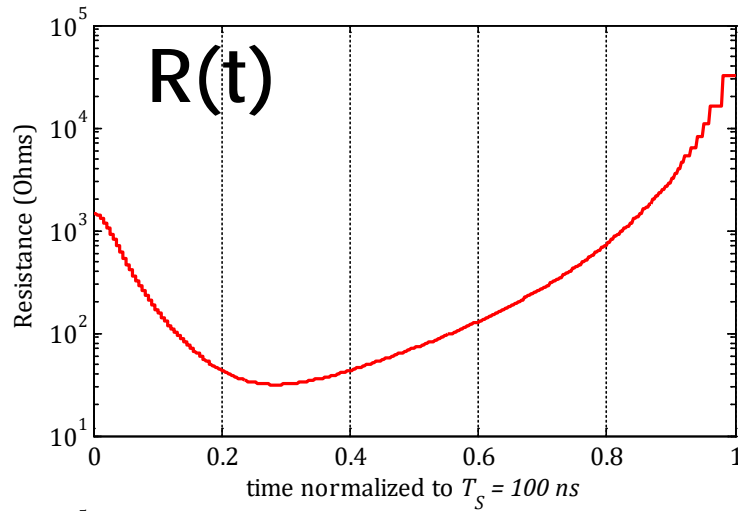
Include envelope in the design of  $d(t)$

# Harmonic Rejection



Change  $R(t)$  to  $\tilde{R}(t)$  to realize  $\tilde{d}(t)$

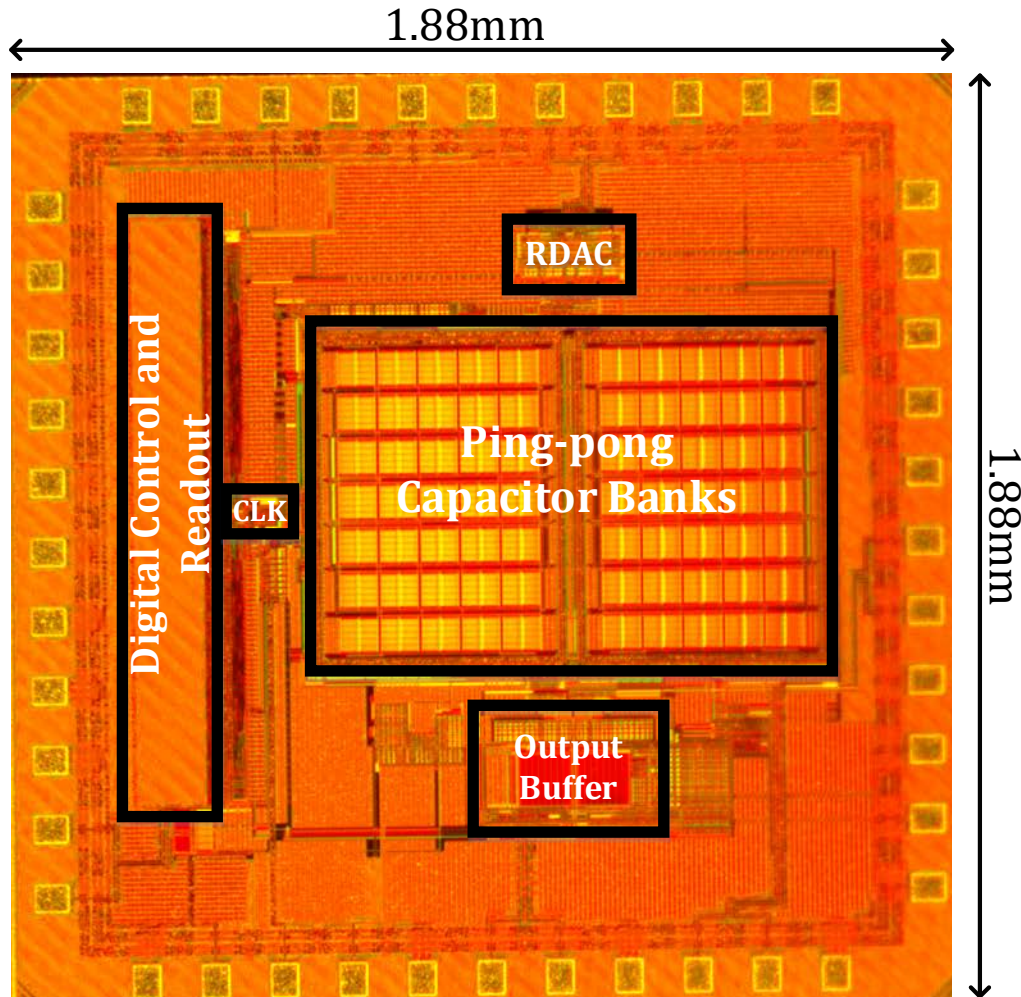
# Harmonic Rejection





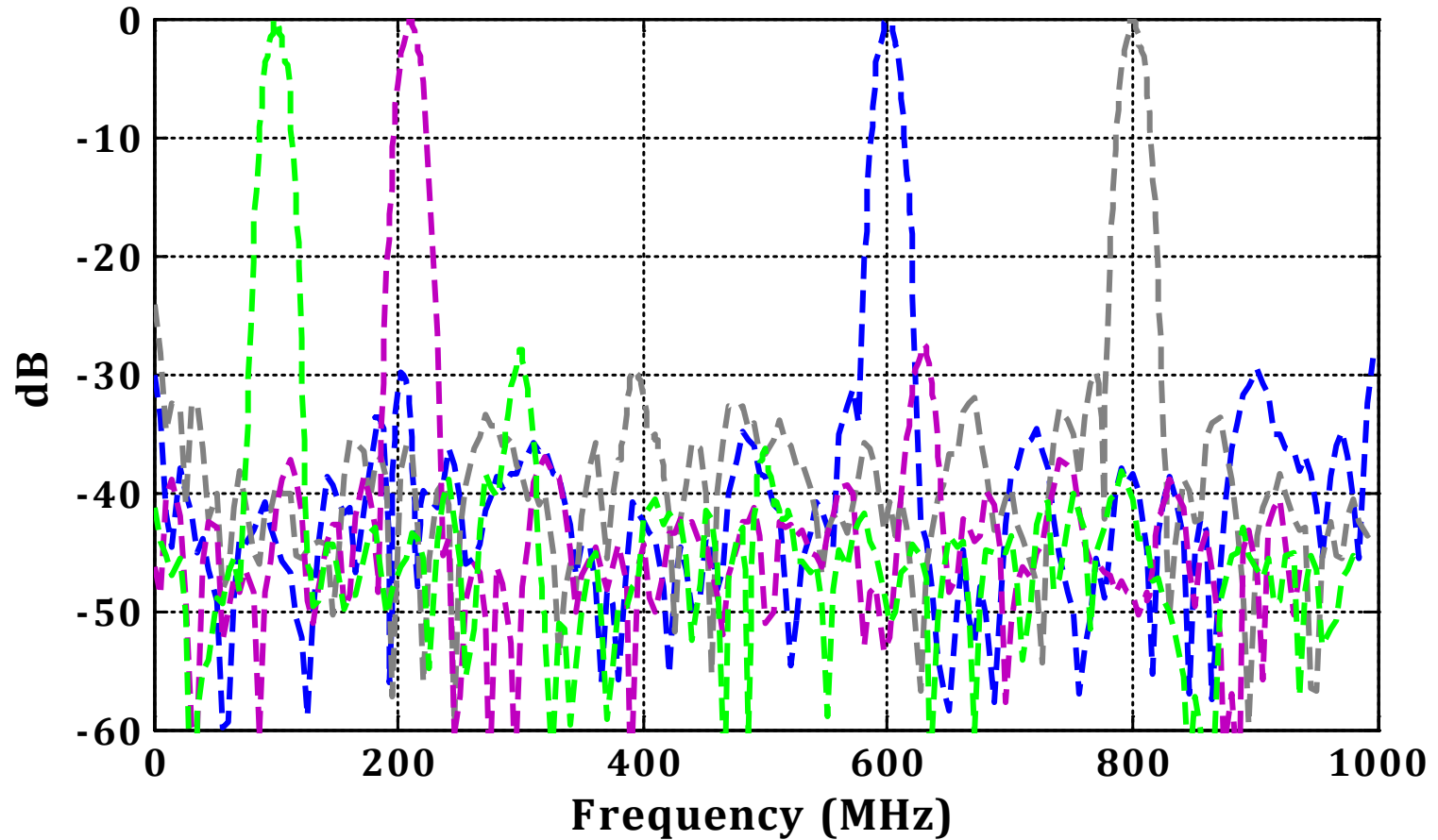


# Chip Micrograph



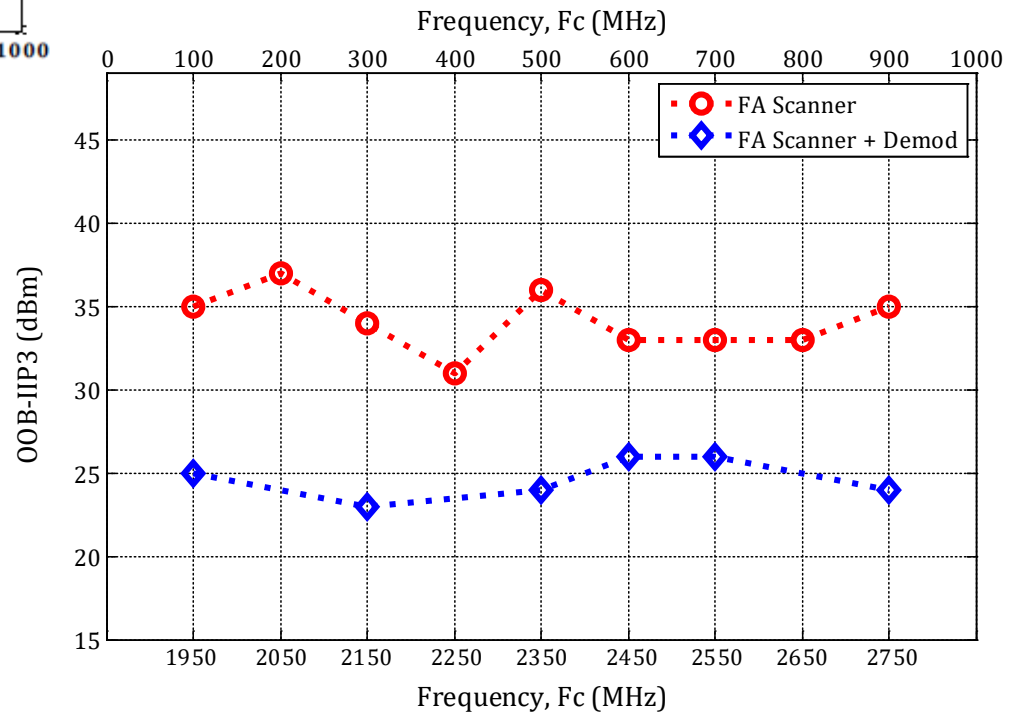
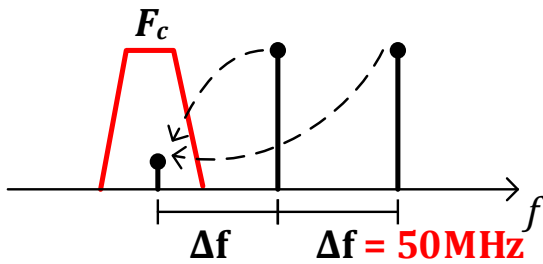
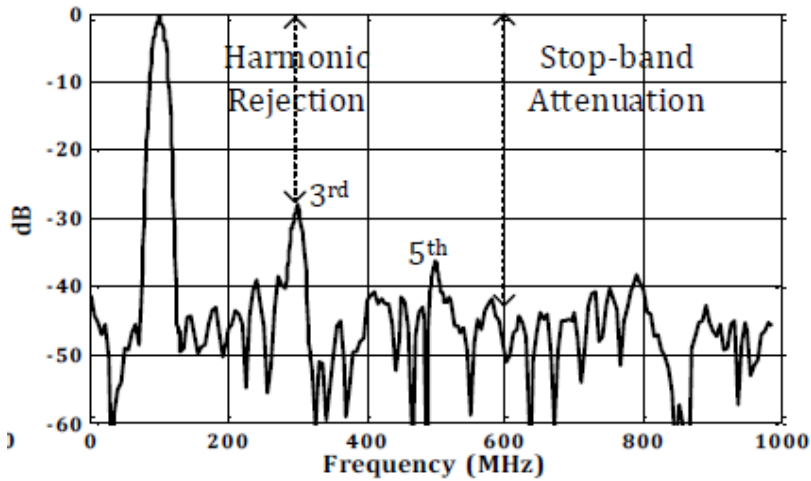
- TSMC 65nm CMOS
- 1.68mm<sup>2</sup> active area

# Frequency Bin Tunability

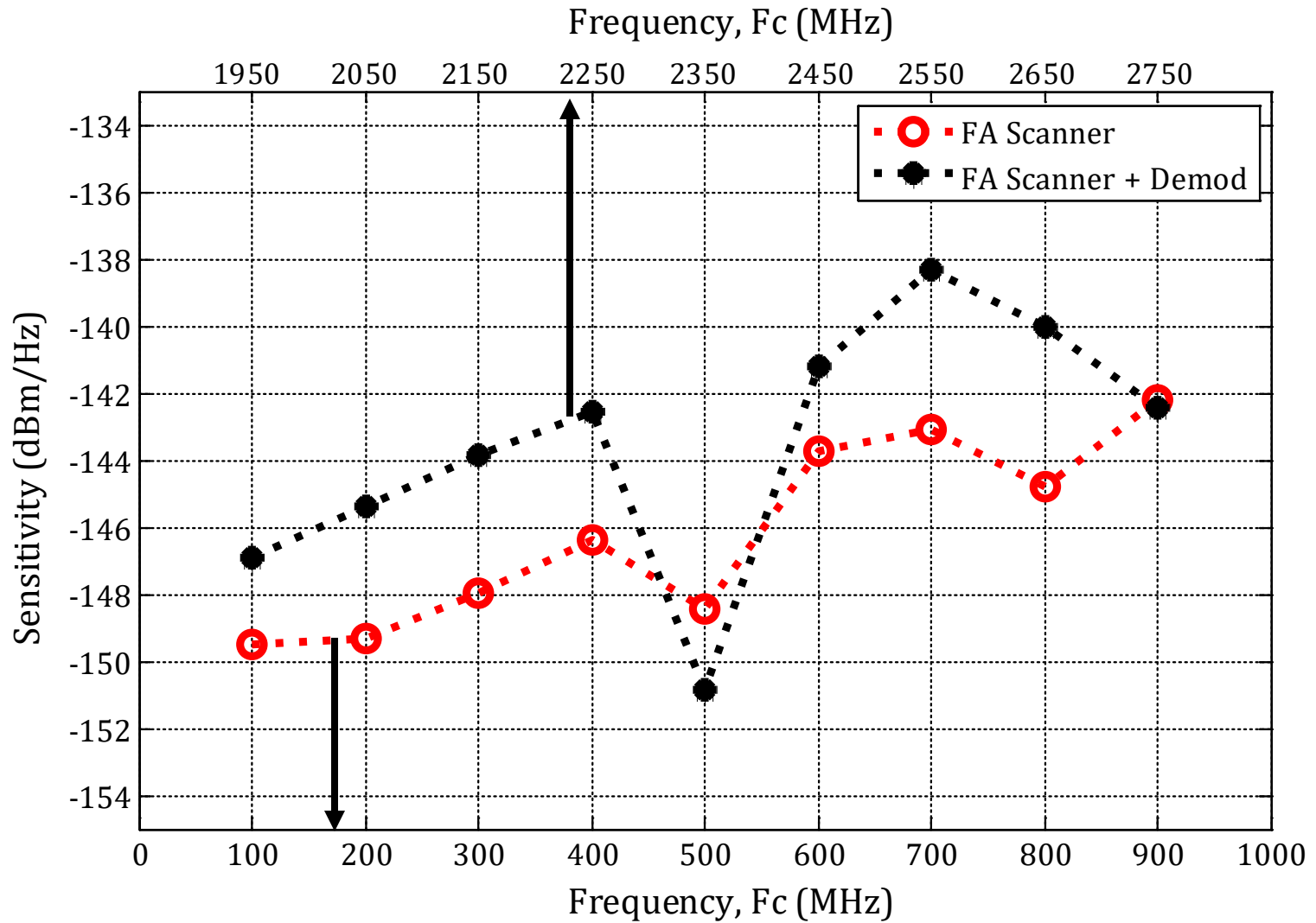


10MHz RBW, 1GHz span

# Sample Filter & Linearity



# Measured Sensitivity



# Comparison with Prior Art

	<b>This work</b>	<b>Goel [1]</b>	<b>Alink [2]</b>	<b>Ingels [3]-[4]</b>	<b>Yazicigil [5]</b>
<b>Technology</b>	<b>65nm</b>	130nm	65nm	40nm	65nm
<b>Architecture</b>	<b>Filtering by Aliasing</b>	Dual Up/Down Conversion	Cross- Correlation	Digital and Analog Multi- band Sensing	Compressive Sensing
<b>Frequency Span (GHz)</b>	<b>0 - 1</b>	0.1 - 6	0.3 - 1	0.5 – 2.5	2.7 - 3.7
<b>Power (mW)</b>	<b>&lt; 8</b>	227 (697 <sup>a</sup> )	36-61	33-99 (66-143 <sup>a</sup> )	81
<b>OOB IIP3 (dBm)</b>	<b>&gt; +31</b>	+10	+5	-16	N/R
<b>OOB IIP2 (dBm)</b>	<b>+70</b>	+40	N/R	+53	N/R
<b>Sensitivity (dBm/Hz)</b>	<b>&lt; -142</b>	-145	-158 (-172 <sup>b</sup> )	-167	-142
<b>SFDR in 1MHz RBW (dB)</b>	<b>75</b>	63	69 (78)	61	N/R
<b>Analog RBW (MHz)</b>	<b>10,20<sup>c</sup></b>	0.4-11	20	0.2-20	10,20
<b>Scan Time for 20MHz Analog RBW &amp; 1GHz Span (us)<sup>d</sup></b>	<b>50</b>	50	50	50	4.4

# Summary

- Can use sampling aliases to our benefit
  - Sharp, integrated, programmable filtering
  - Excellent linearity and low power consumption
- Demonstrated agile RF front ends & spectrum scanners
  - Best in class in filter sharpness, linearity, and power
- Lot of potential
  - Can be extended to other circuit topologies and applications
  - Need good analysis techniques

# Selected FA Related Publications

1. M. Rachid, S. Pamarti, B. Daneshrad, "Filtering by Aliasing", *IEEE Transactions on Signal Processing*, vol. 61, no. 9, May 2013, pp. 2319 – 2327.
2. N. Sinha, M. Rachid, S. Pamarti, "An 8mW, 1GHz Span, Passive Spectrum Scanner with +31dBm Out-of-Band IIP3," *IEEE 2016 RFIC Symposium*, May 2016, pp. 1286-1289.
3. H. Sameed, N. Sinha, M. Rachid, S. Pamarti, "A Programmable Receiver Front-End Achieving >17dBm IIP3 at <1.25xBW Frequency Offset," *IEEE 2016 ISSCC*, pp. 446-447, February 2016.
4. S. Hameed, S. Pamarti, "A Time-Interleaved Filtering-By-Aliasing Receiver Front-End with >70dB Suppression at <4xBandwidth Frequency Offset," *IEEE 2017 ISSCC*, pp.418-419, February 2017.
5. N. Sinha, M. Rachid, S. Pavan, and S. Pamarti, "Design and Analysis of an 8 mW, 1 GHz Span, Passive Spectrum Scanner with >+31dBm Out-of-Band IIP3 Using Periodically Time-Varying Circuit Components, *IEEE JSSC*, pp. 2009-2025, August 2017.
6. S. Hameed, S. Pamarti, "Design and Analysis of a Programmable Receiver Front End Based on Baseband Analog-FIR Filtering Using an LPTV Resistor," *IEEE JSSC*, 2018, IEEE Explore Early Access.
7. S. Hameed, S. Pamarti, "Impedance Matching and Re-radiation in LPTV Receiver Front-Ends: An Analysis Using Conversion Matrices," *IEEE TCAS-I*, 2018, IEEE Explore Early Access.