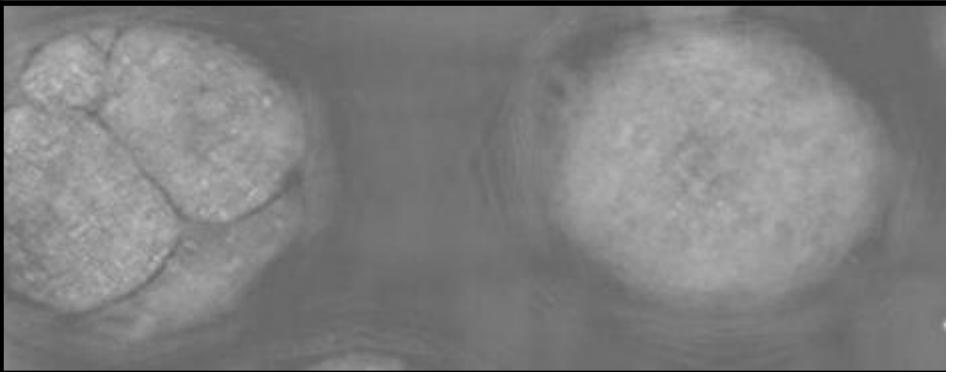
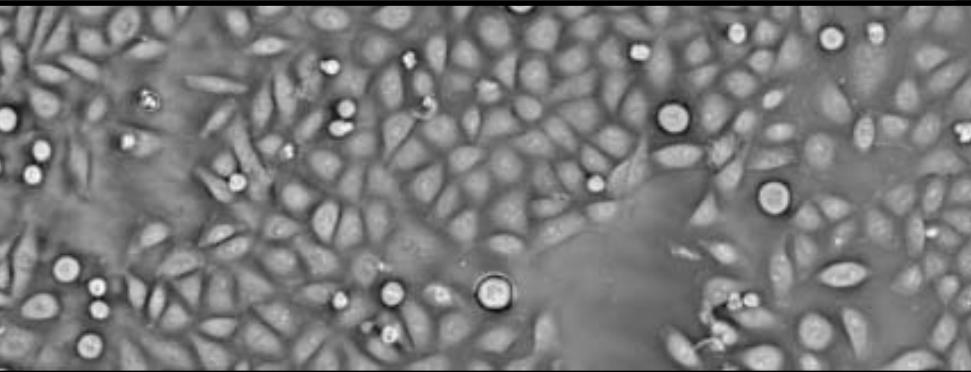


```
Void box_filter_3x3(const Image &in, Image &blurrv) {  
    __m128i one_third = _mm_set1_epi16(21846);  
    #pragma omp parallel for  
    for (int yTile = 0; yTile < in.height(); yTile += 32)  
        __m128i a, b, c, sum, avg;  
        __m128i blurH[(256/8)*(32+2)]; // allocate tile bl  
        for (int xTile = 0; xTile < in.width(); xTile += 2)  
            __m128i *blurHPtr = blurH;  
            for (int y = -1; y < 32+1; y++) {
```

Computational Microscopy for 3D fluorescence imaging

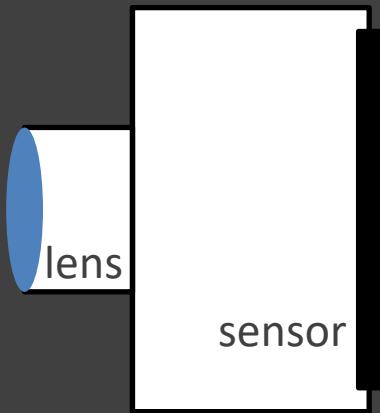
Laura Waller

Ted Van Duzer Associate Professor
Electrical Engineering and Computer Sciences
UC Berkeley

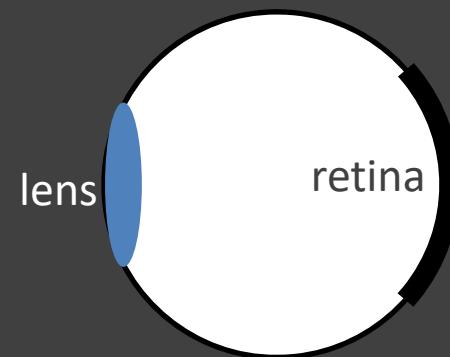


Traditional imaging systems are boring

simplified camera design

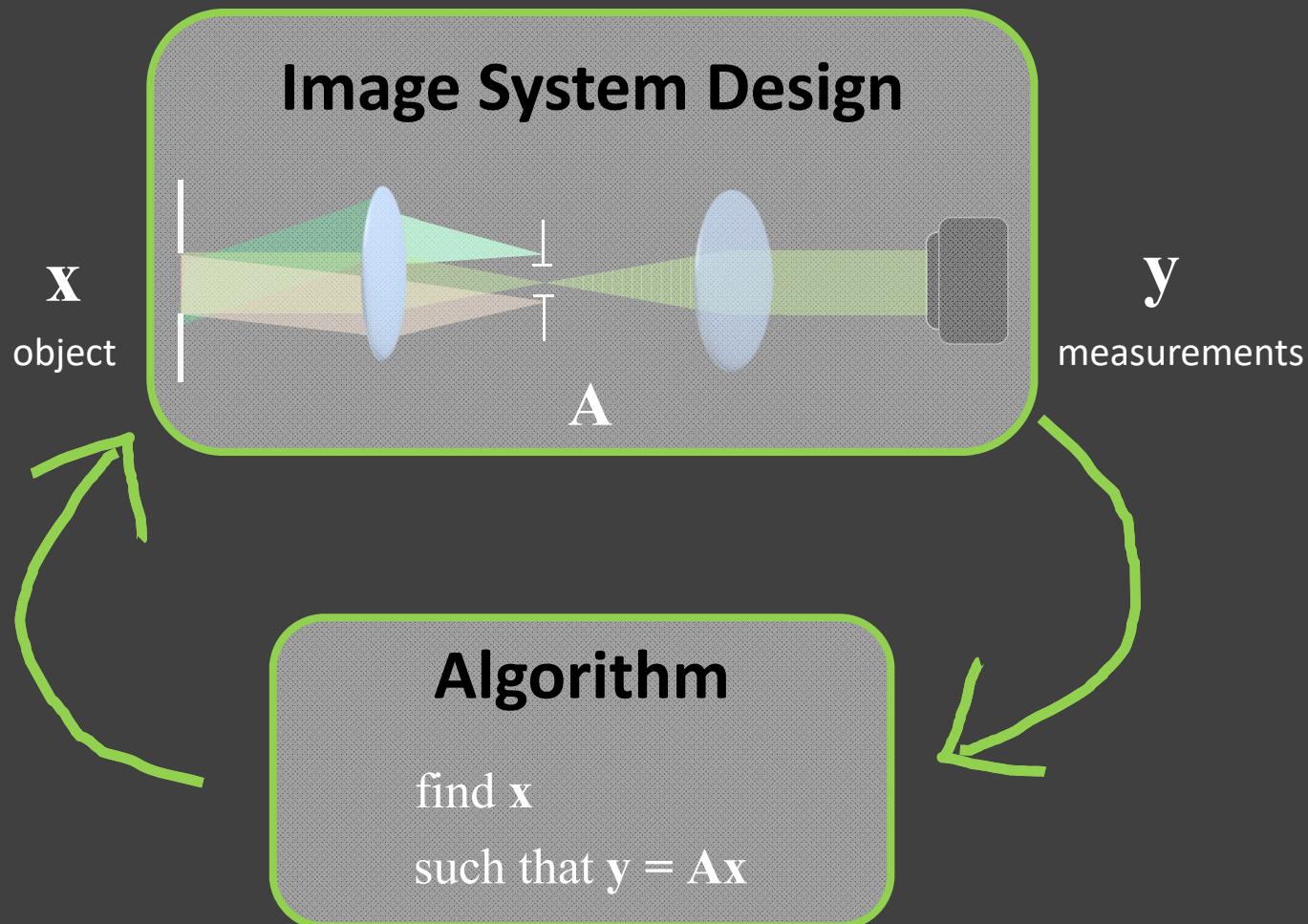


simplified eye

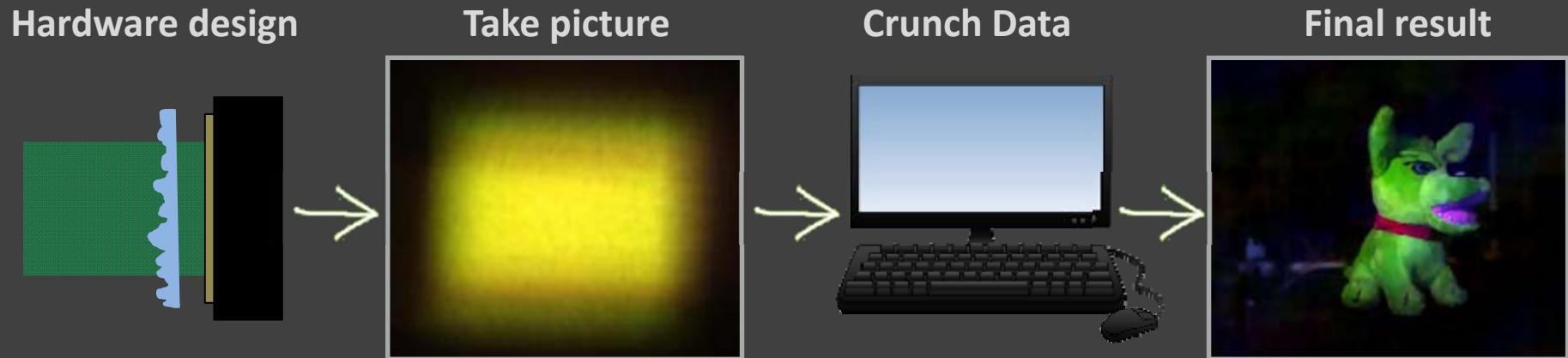


Coincidence? bio-mimetic? lack of creativity?

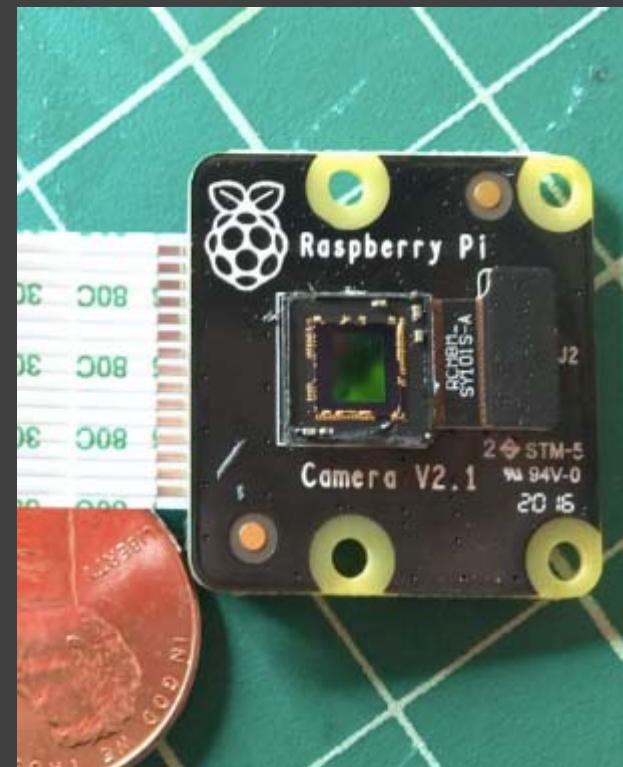
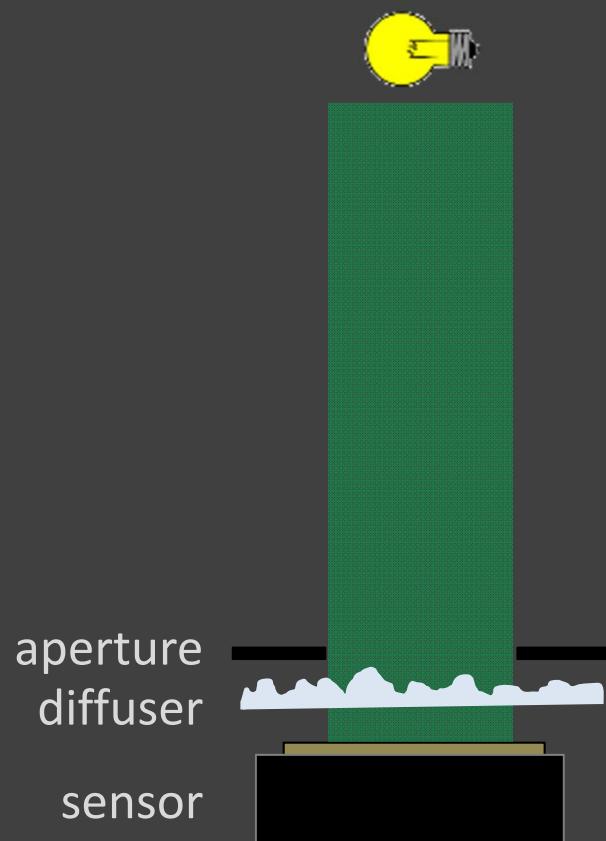
Joint design of hardware and software



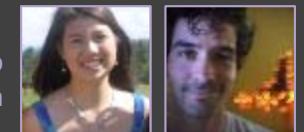
Computational imaging pipeline



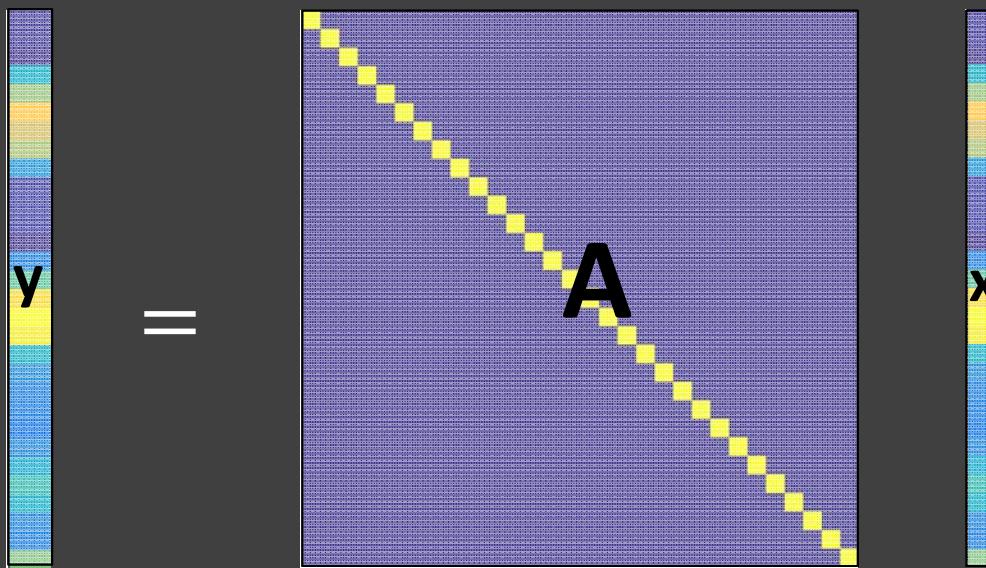
DiffuserCam: tape a diffuser onto a sensor



Grace Kuo
Nick Antipa



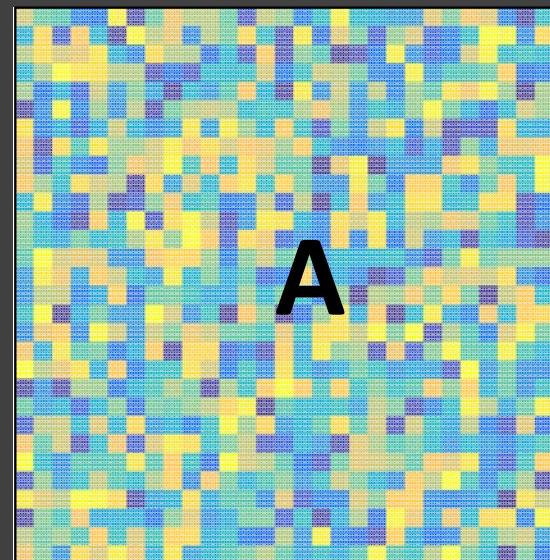
Traditional cameras take direct measurements

$$\mathbf{y} = \mathbf{A}\mathbf{x}$$


Computational cameras can multiplex

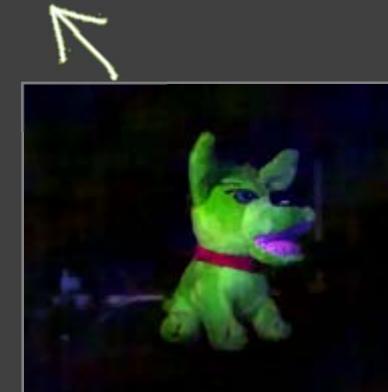


=



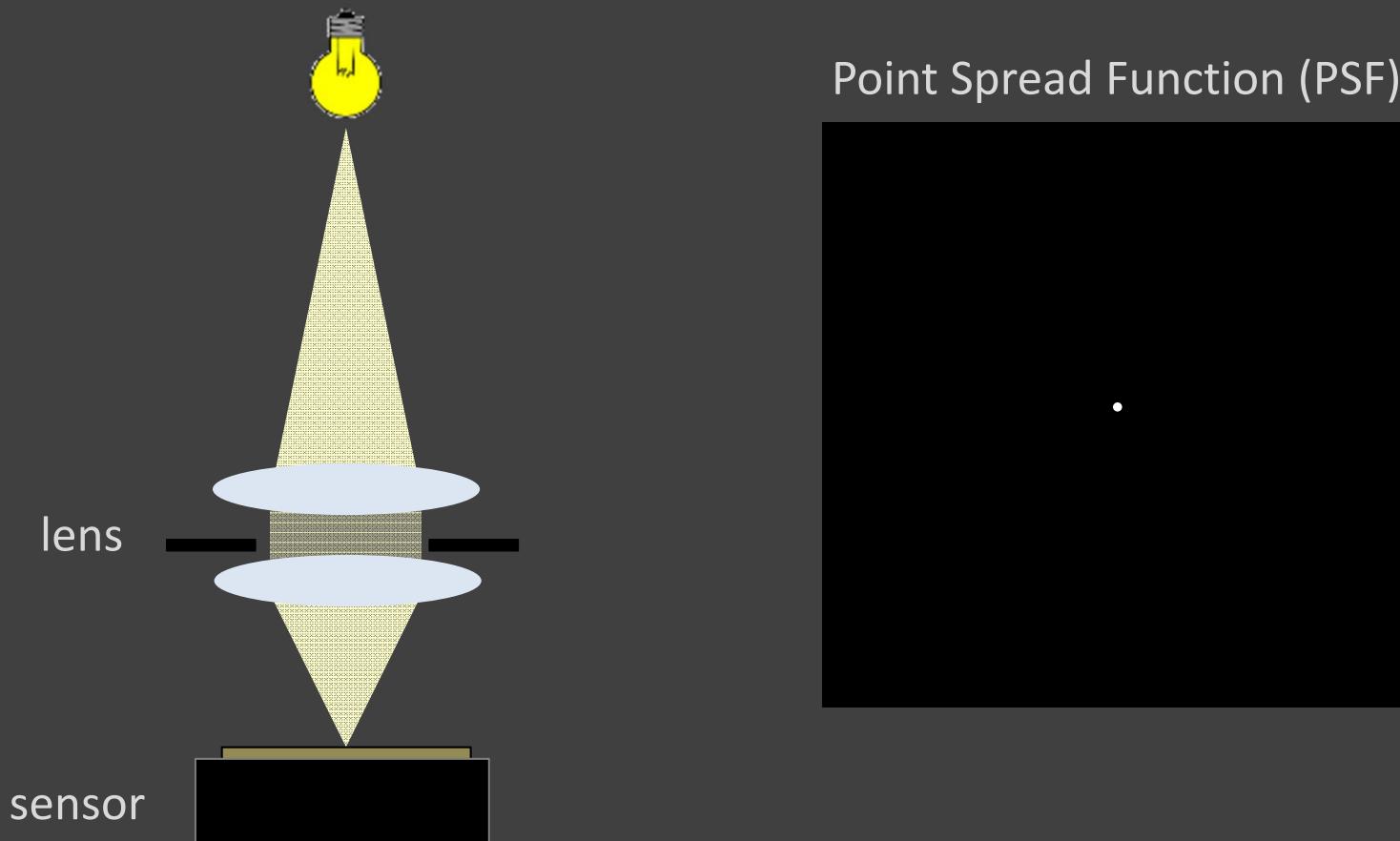
measurement

Forward model is:
- measured
- a physical model

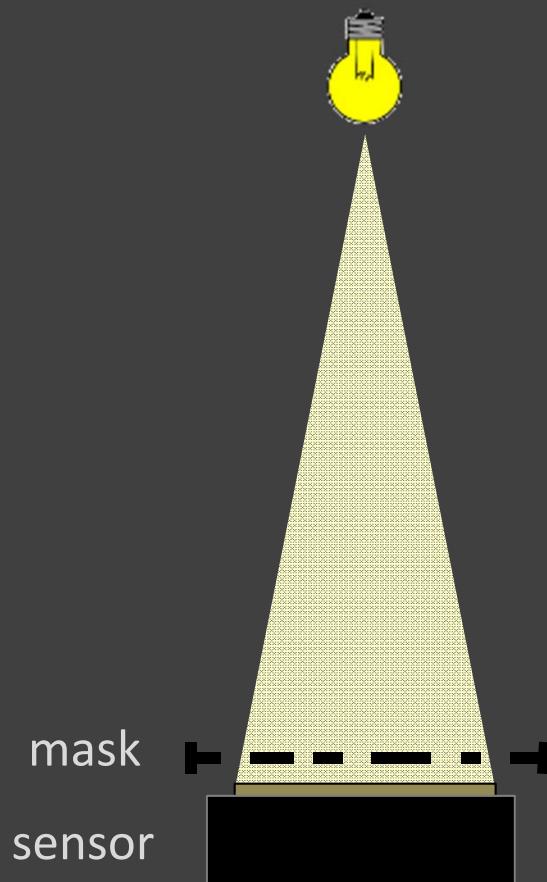


object

Lenses map points to points



Mask-based cameras multiplex

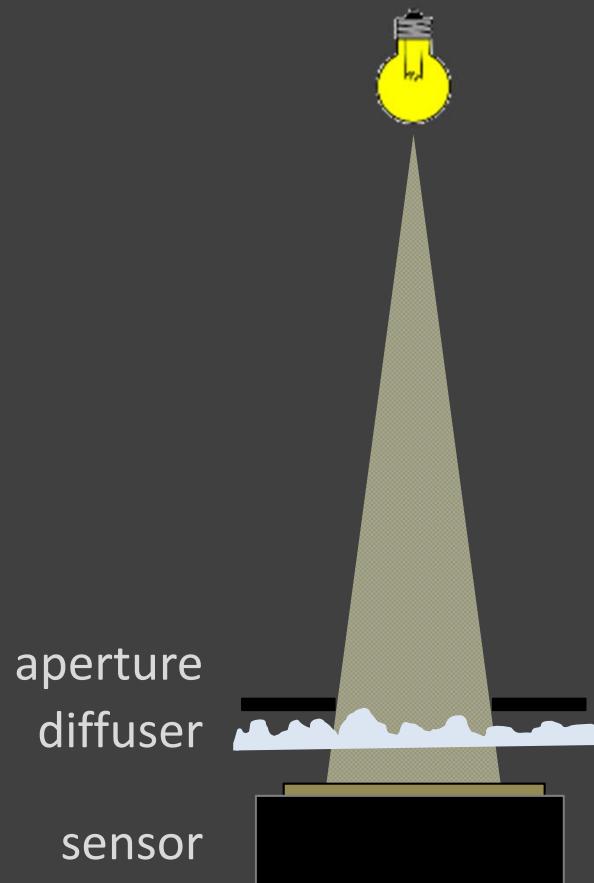


Point Spread Function (PSF)

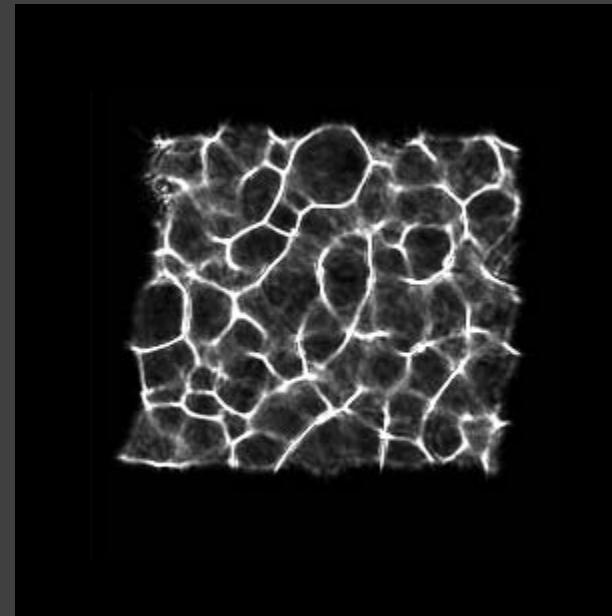


M. S. Asif, et al. *ICCVW* (2015)
J. Tanida, et al. *Applied optics* (2001)
K. Tajima, et al. *ICCP* (2017)
D. G. Stork, et al. *Int. J. Adv. Systems and measurements* (2014)

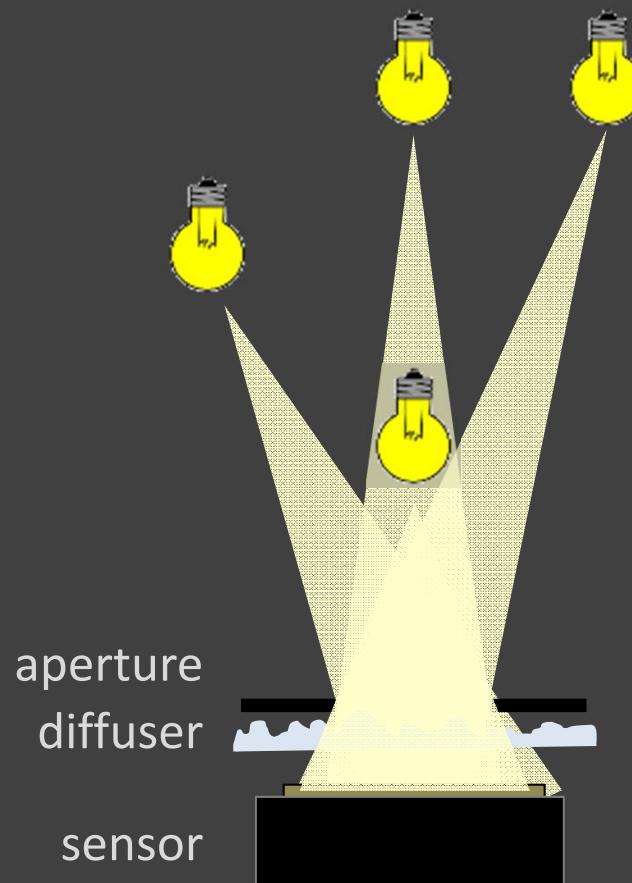
Diffuser indirectly encodes information



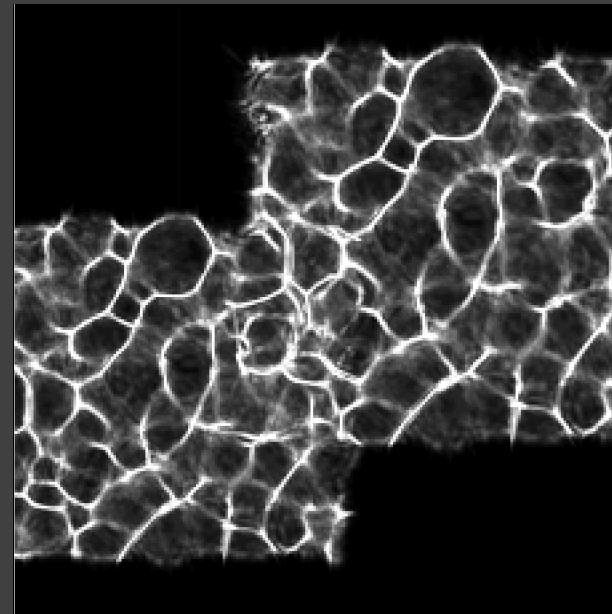
Point Spread Function (PSF)



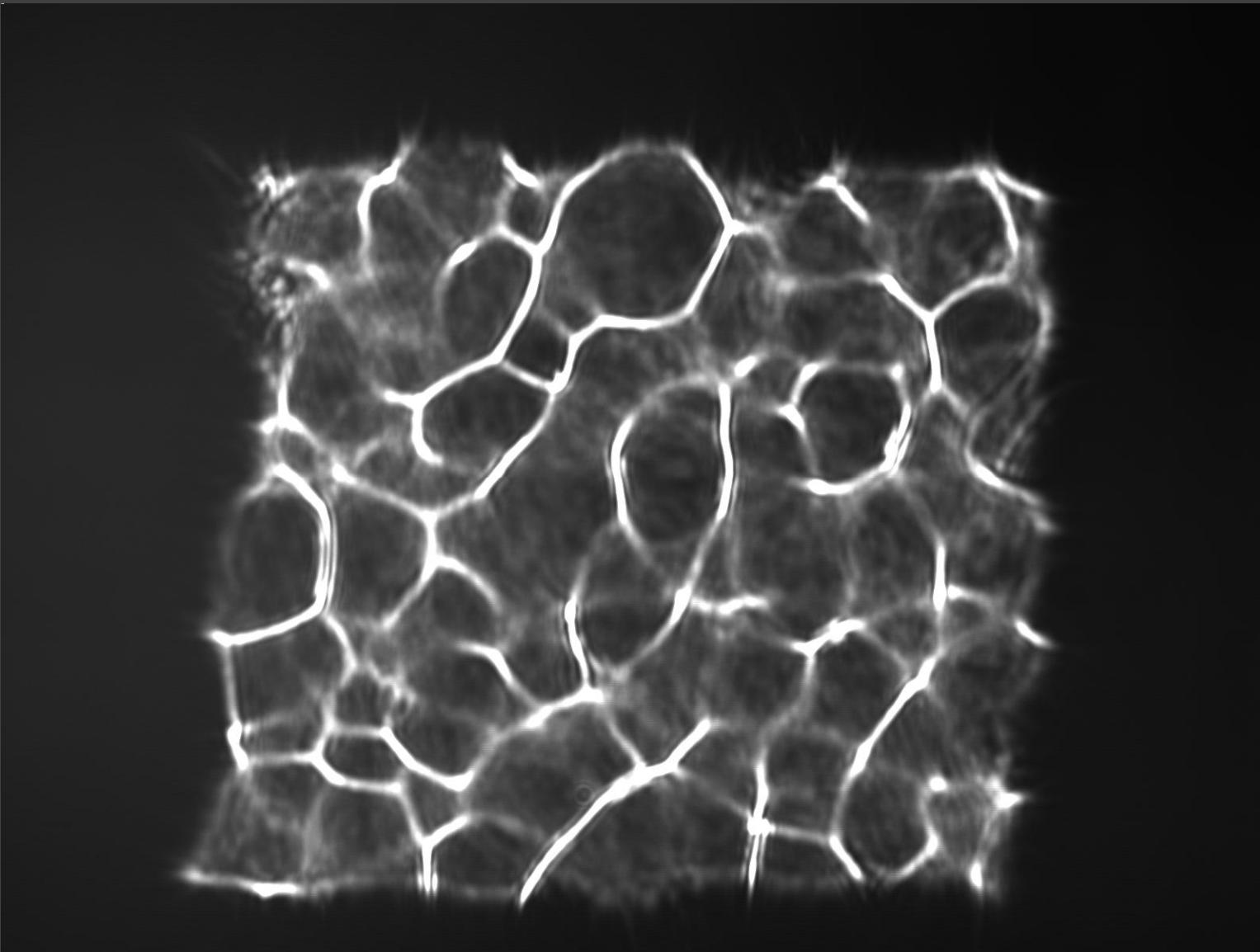
Diffuser indirectly encodes information



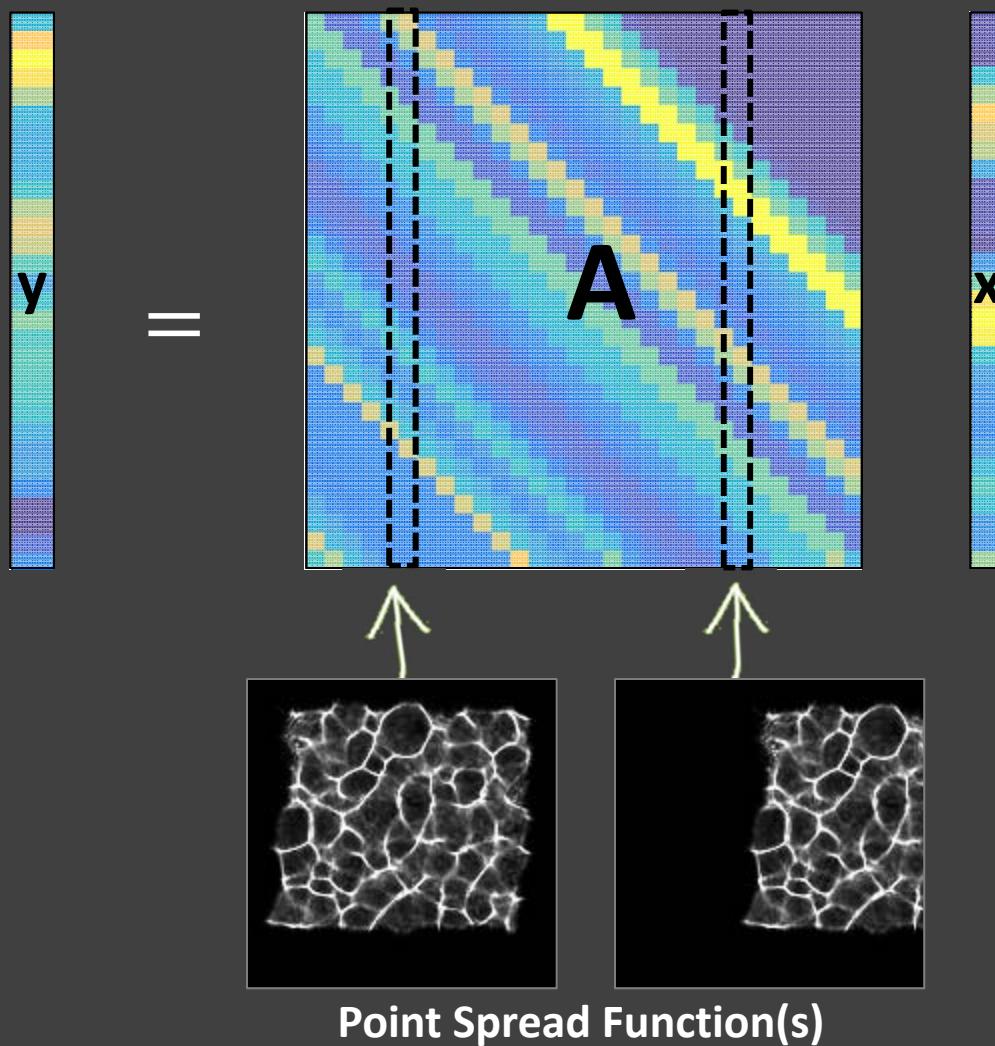
Point Spread Function (PSF)



Point spread function shifts with object



DiffuserCam forward model is a convolution

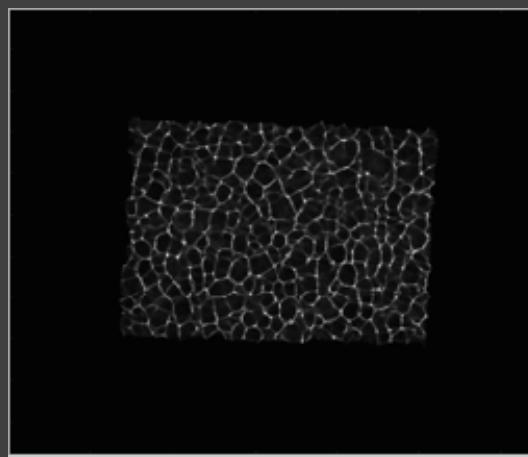


2D Photography Forward Model



Measurement

=

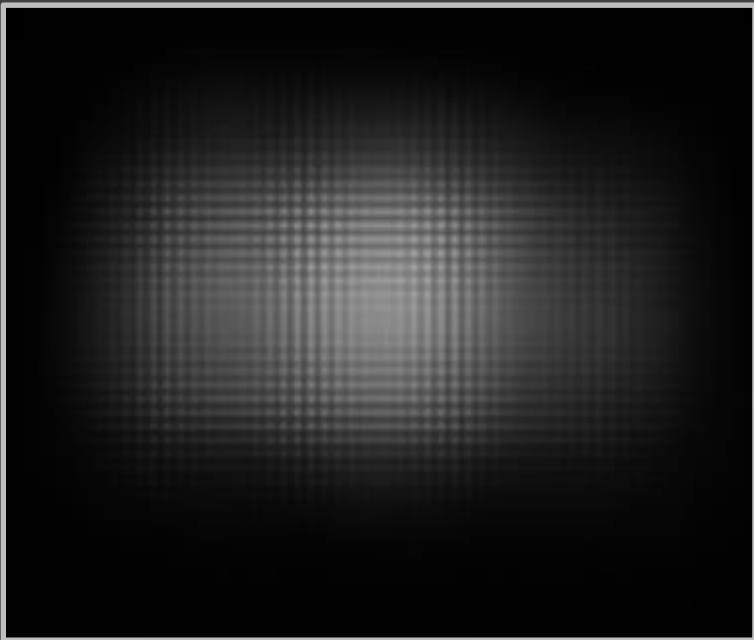


Point Spread Function

*



Object



raw sensor data



recovered scene

*solver is ADMM with TV reg in Halide



raw sensor data



recovered scene

*solver is ADMM with TV reg in Halide



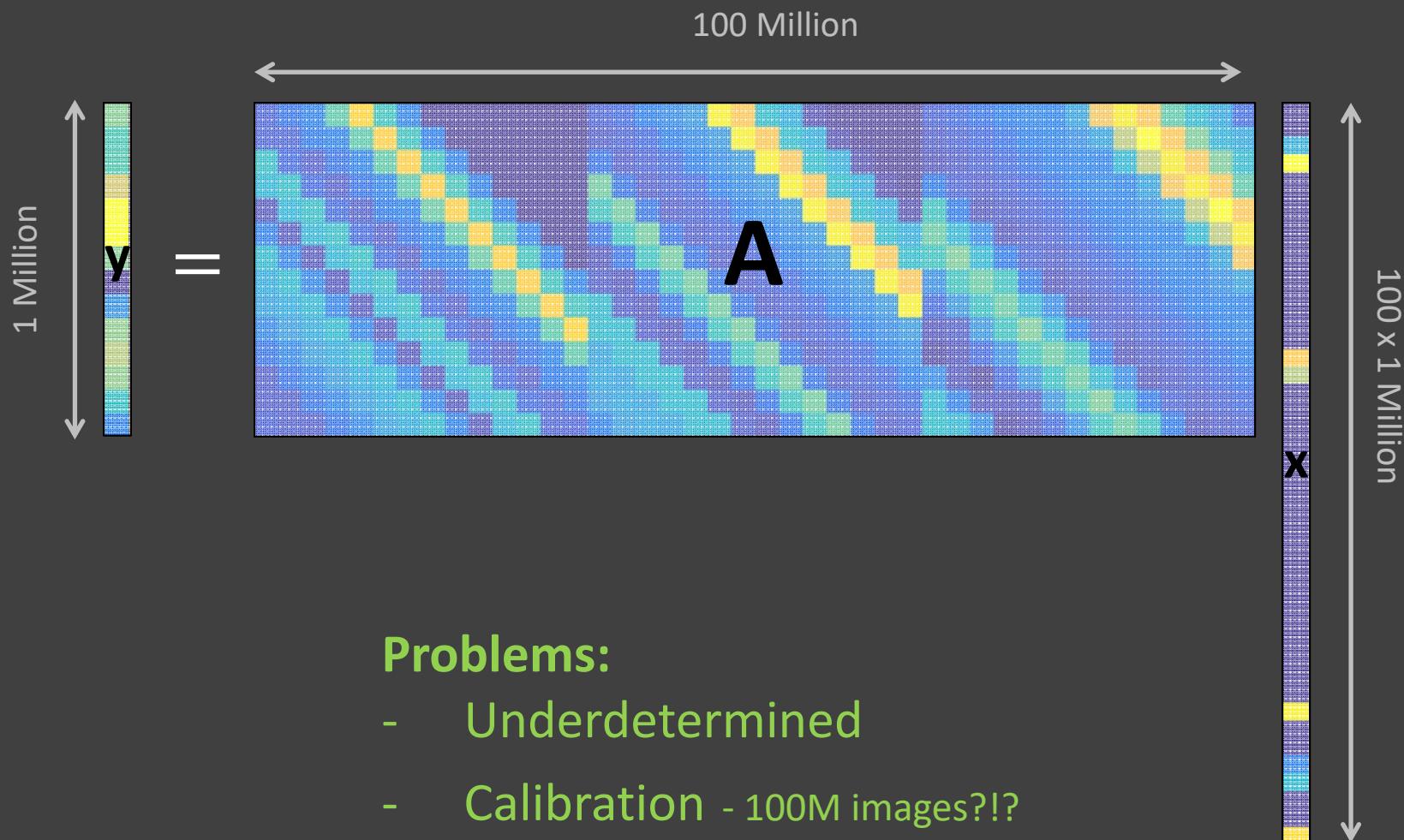
raw sensor data



recovered scene

*solver is ADMM with TV reg in Halide

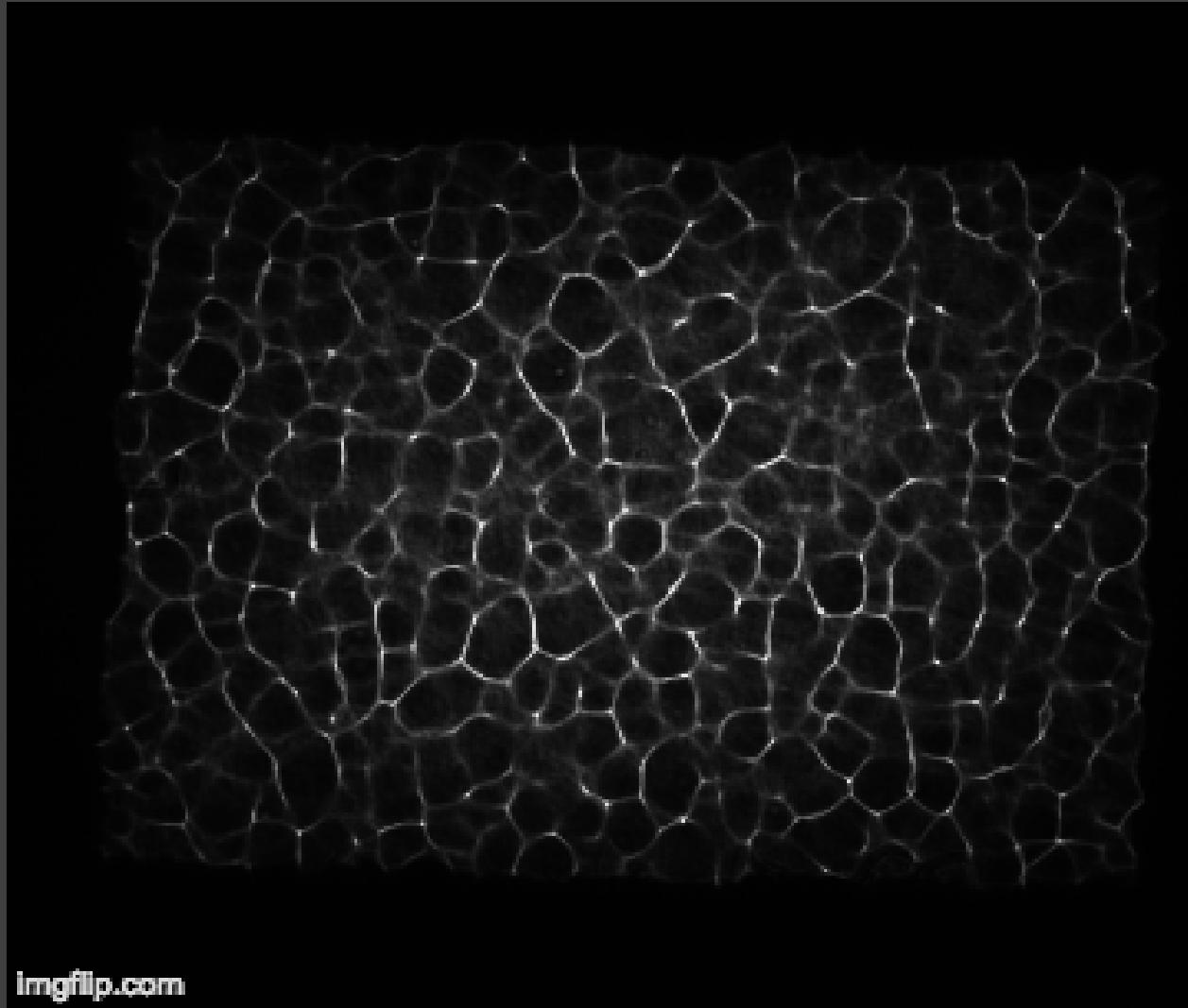
3D is not so easy



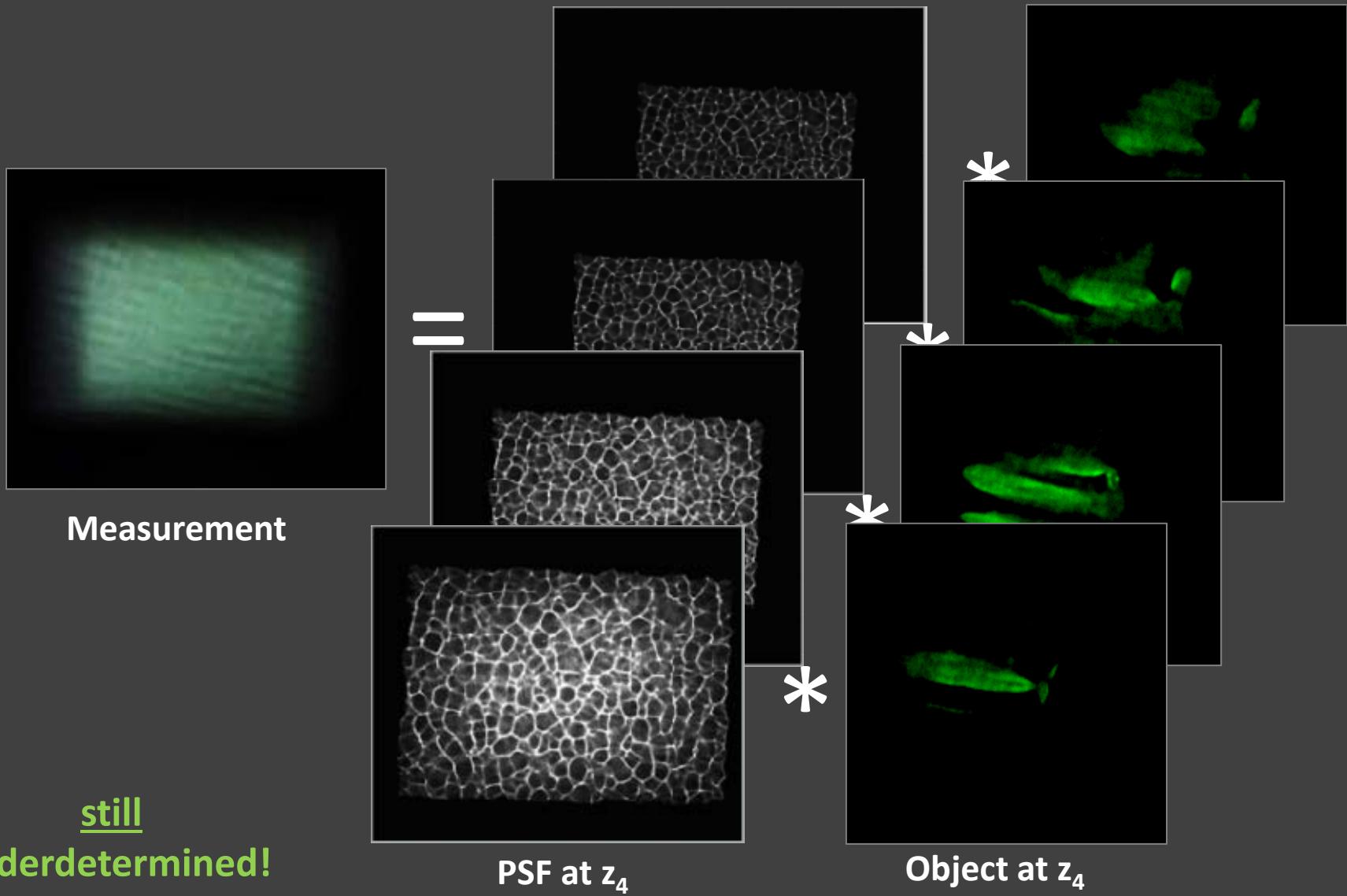
Problems:

- Underdetermined
- Calibration - 100M images?!?

The PSF changes with depth

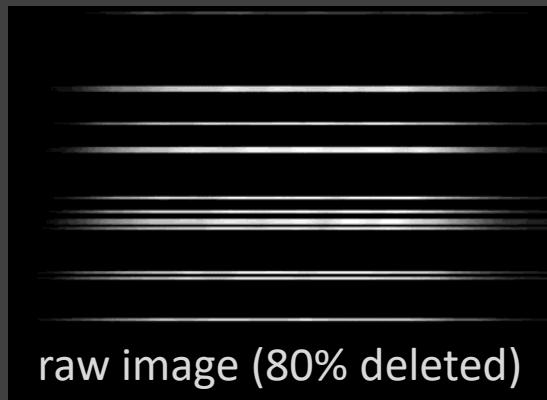


3D Forward Model: Sum of Convolutions

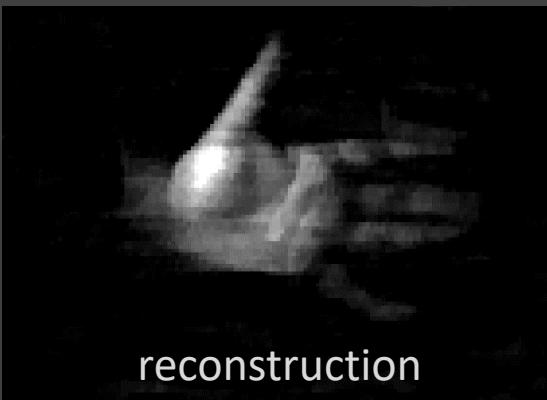


Compressed sensing

solves under-determined problems via sparsity prior



raw image (80% deleted)



reconstruction

A tilted rectangular frame with a red border contains promotional text and images. The main text reads "Take less samples with this one weird trick..." in red. Below it is a smaller image of a hand holding a small object, similar to the one in the reconstruction image. At the bottom left, a red button-like shape contains the text "CLICK HERE to Find Out More!". At the very bottom, the text "Sponsored / Compressed Sensing News" is visible.

Image Reconstruction with Sparsity Prior

$$\arg \min_{\mathbf{x} \geq 0} \left\| \mathbf{y} - \mathbf{A}\mathbf{x} \right\|_2^2 + \lambda \left\| \mathbf{x} \right\|_{TV[1]}$$

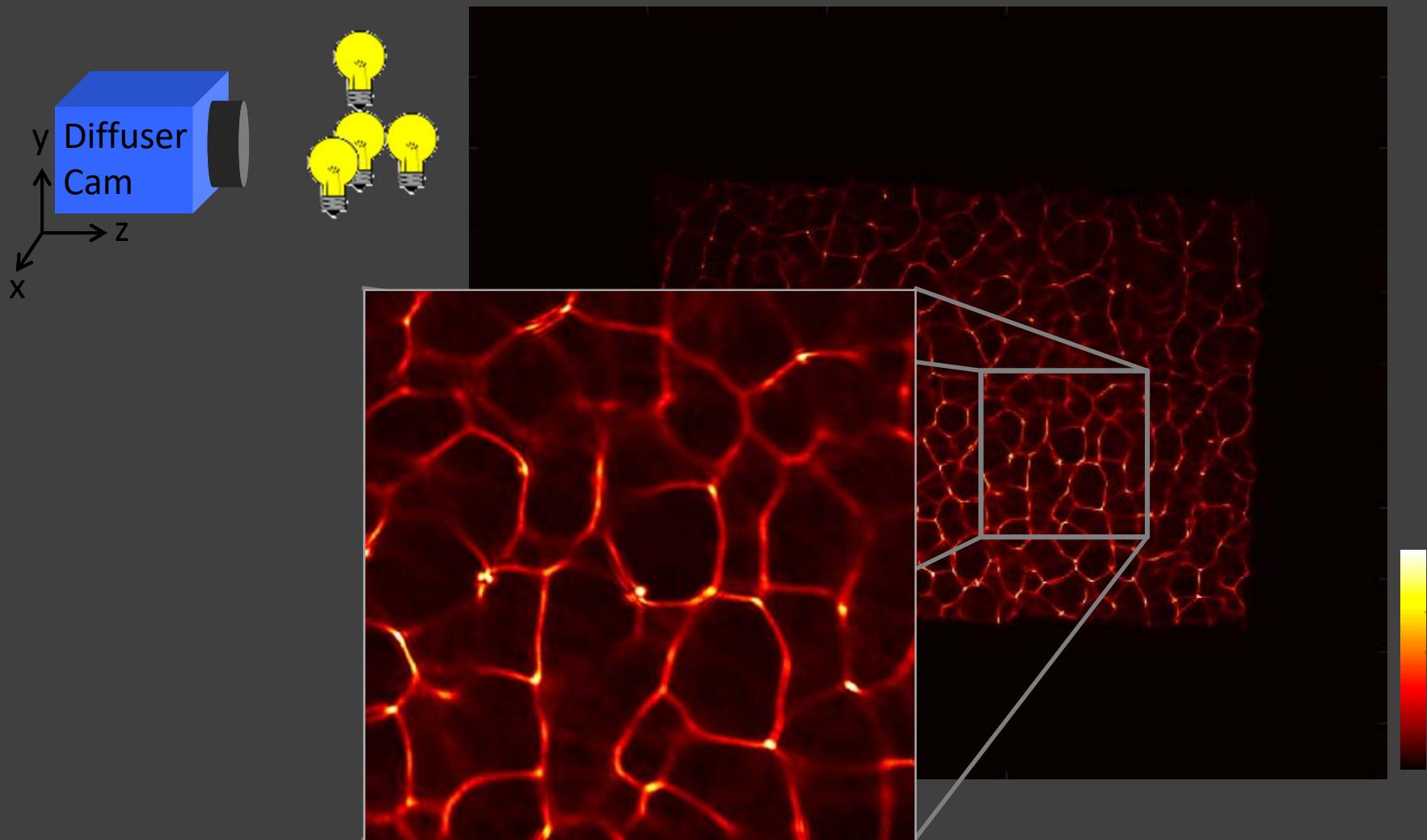
\mathbf{y} - $\mathbf{A}\mathbf{x}$

≥ 0

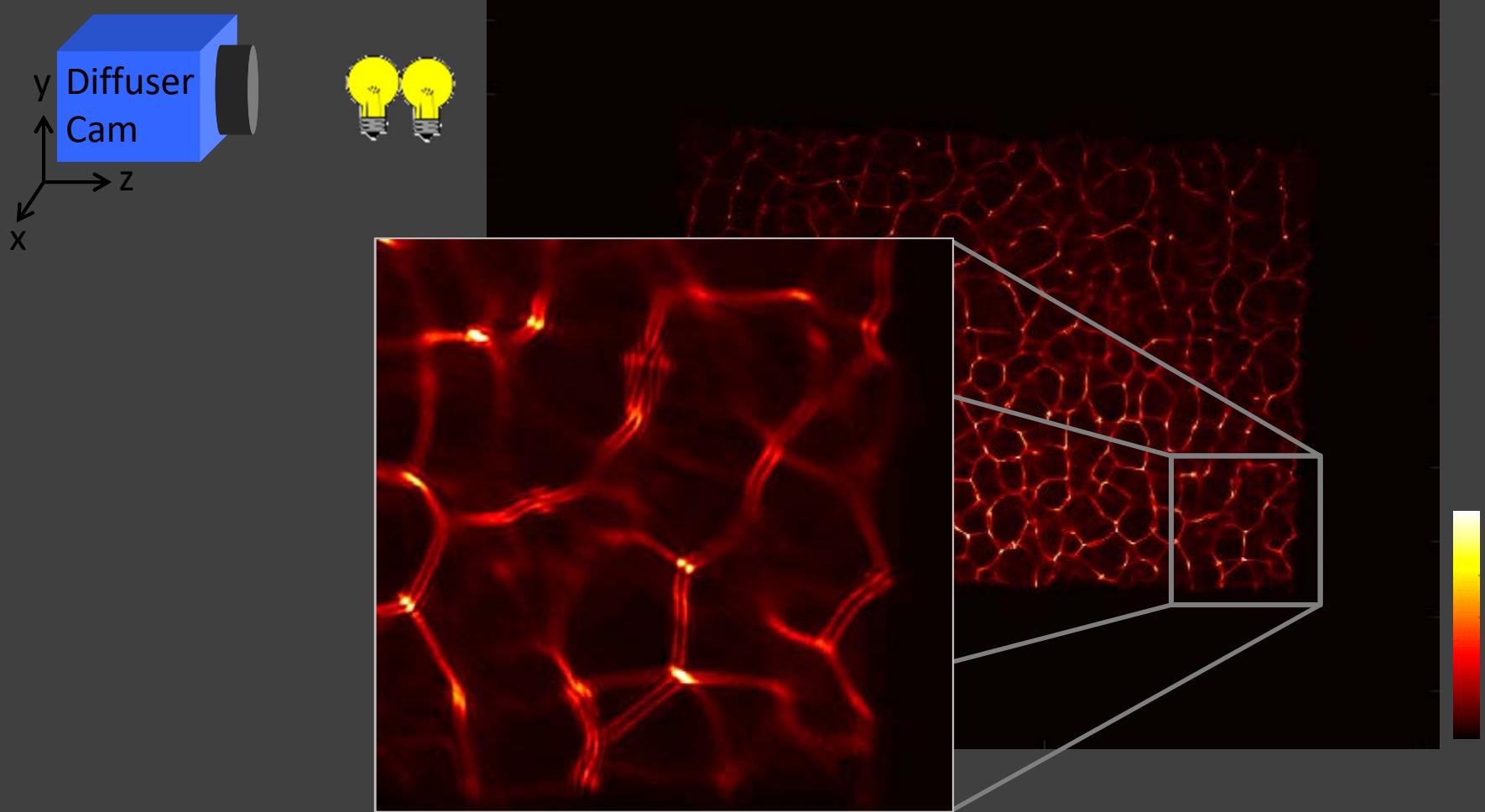
\mathcal{P}
Sparsity
basis

The diagram illustrates the optimization problem for image reconstruction with a sparsity prior. The top part shows the objective function: $\arg \min_{\mathbf{x} \geq 0} \left\| \mathbf{y} - \mathbf{A}\mathbf{x} \right\|_2^2 + \lambda \left\| \mathbf{x} \right\|_{TV[1]}$. Below this, the terms are expanded: \mathbf{y} is represented by a stack of three green leaf images; $\mathbf{A}\mathbf{x}$ is represented by a stack of three noisy green leaf images; the sparsity prior $\left\| \mathbf{x} \right\|_{TV[1]}$ is represented by a stack of three images showing sparse green patterns; and the \mathcal{P} term is represented by a stack of three green leaf images.

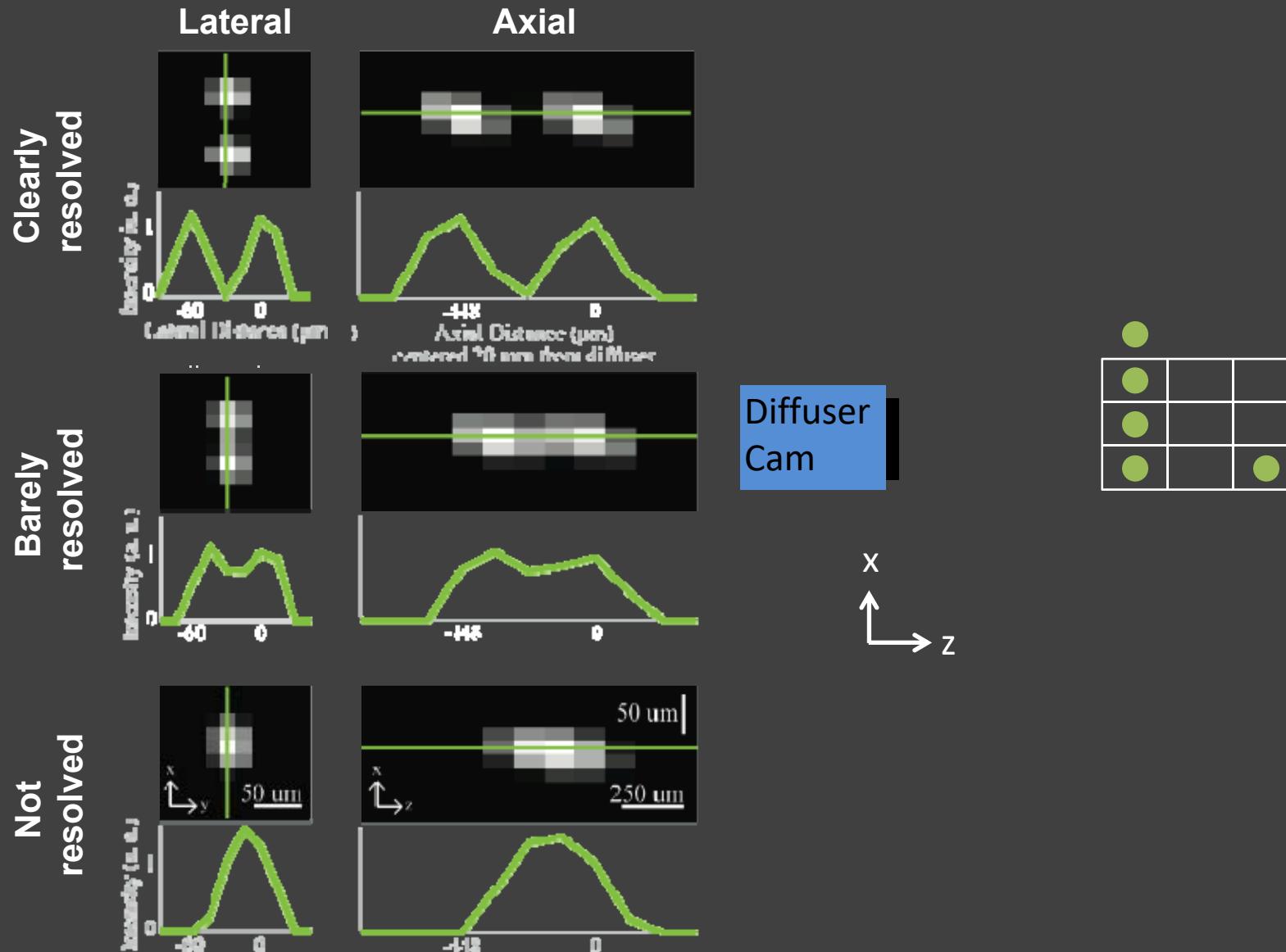
High frequencies define resolution



High frequencies define resolution



Experimental resolution sets voxel size



Experimental resolution sets voxel size

Small objects for
3D reconstruction

1 cm

Diffuser
Cam

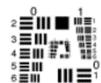
x
z

Large scenes
for 2D
photography



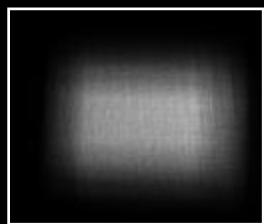
Nick Antipa
Lensless Diffuser-Based Photography
Tues. June 27 at 2:30 pm

EDMUND

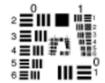


USAF 1951 1X

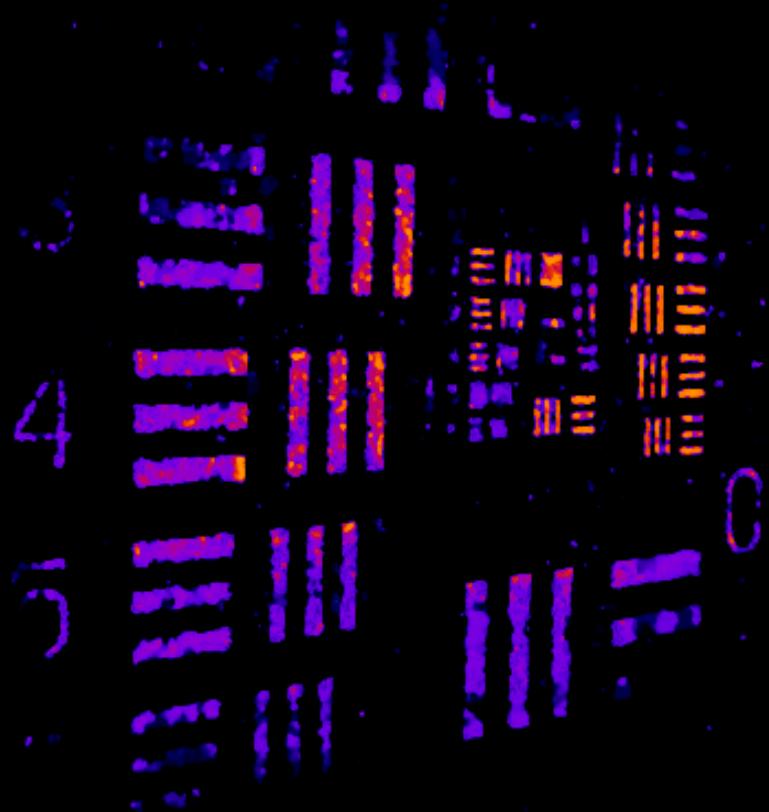
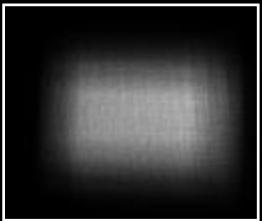
$z = 16.14 \text{ mm}$



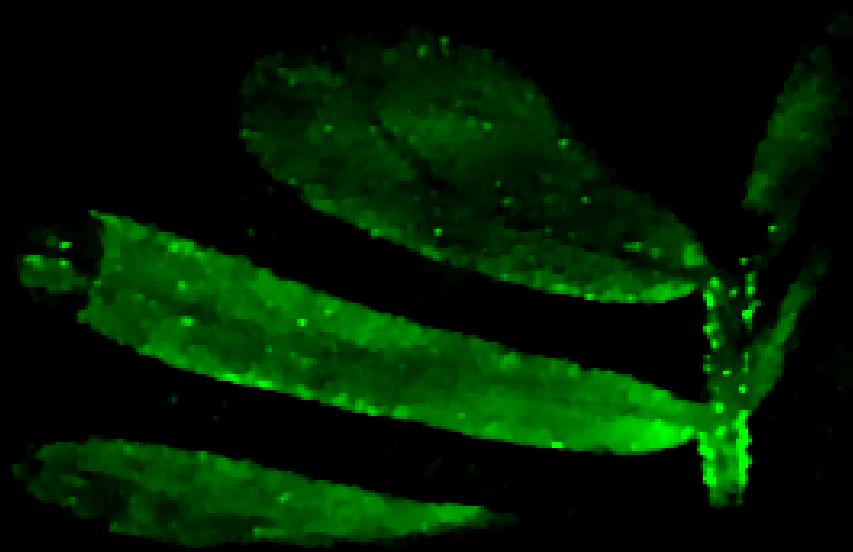
EDMUND



USAF 1951 1X

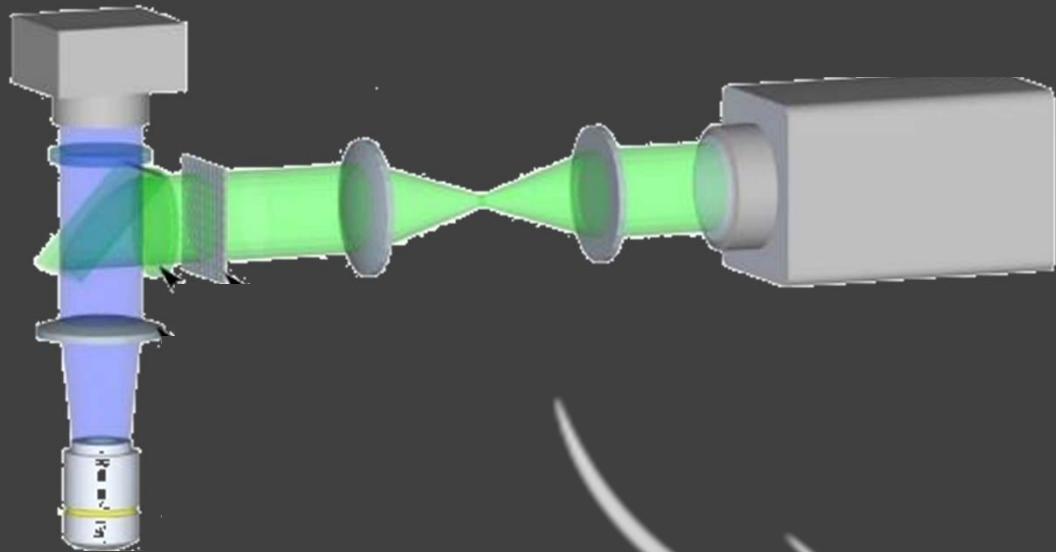


128x more pixels for **FREE!**

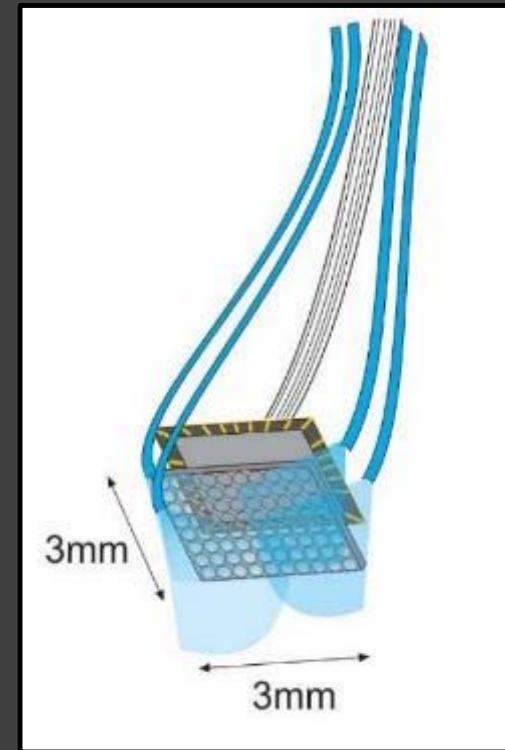


128x more pixels for **FREE!**

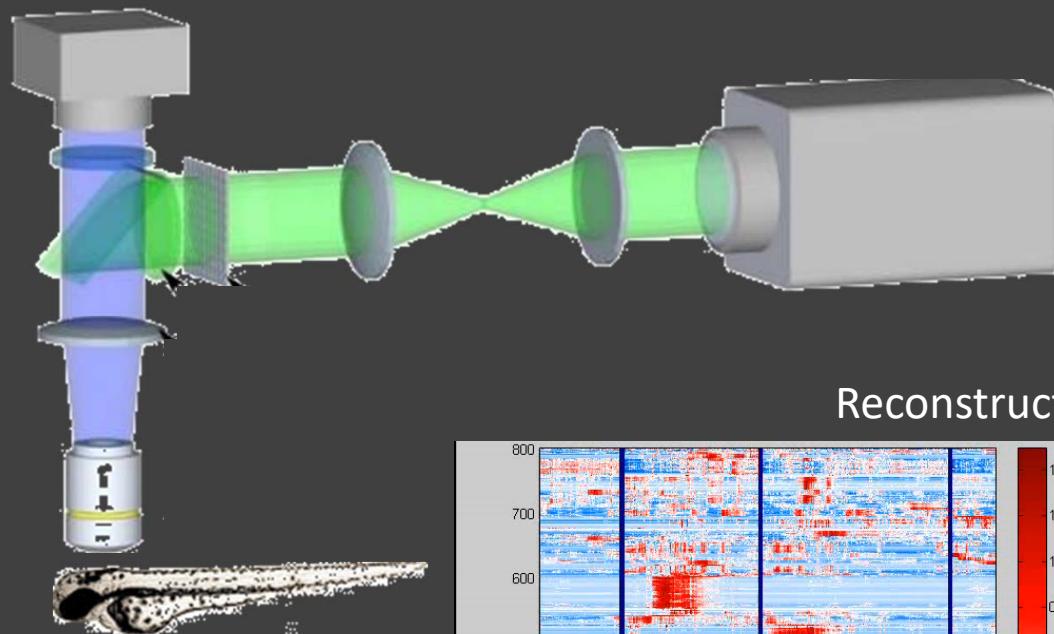
Towards lensless 3D microscopy



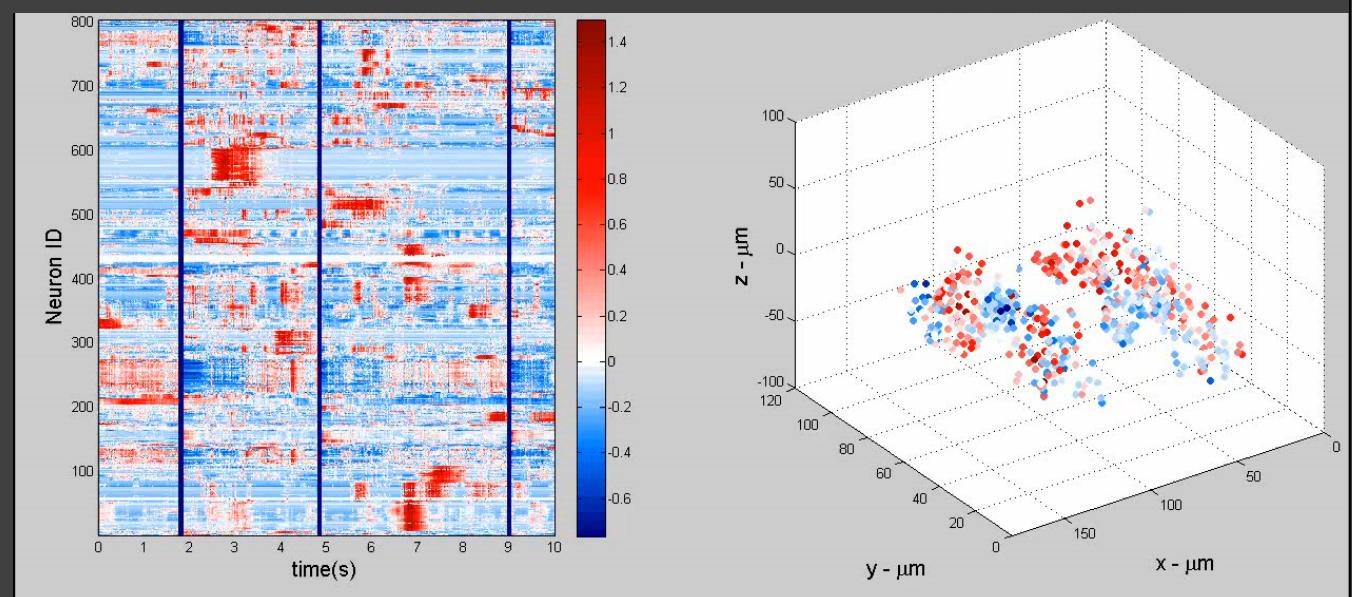
Lensless imager:
- small
- inexpensive
- enables tiling



3D imaging of brains



Reconstructed neural activity

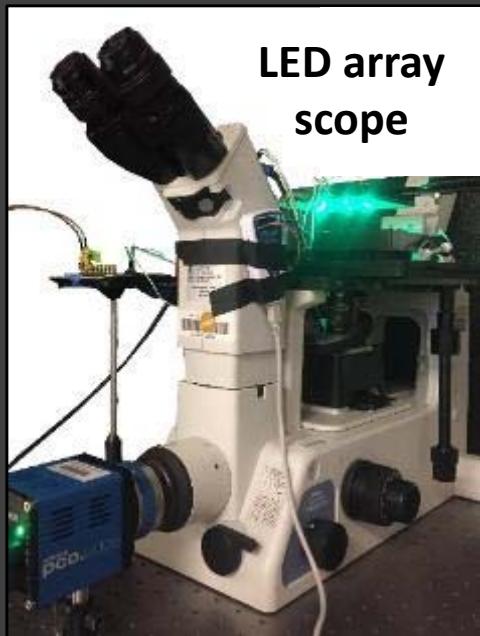


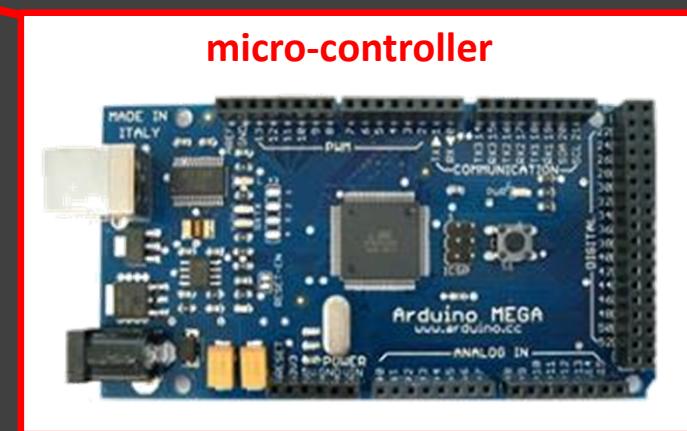
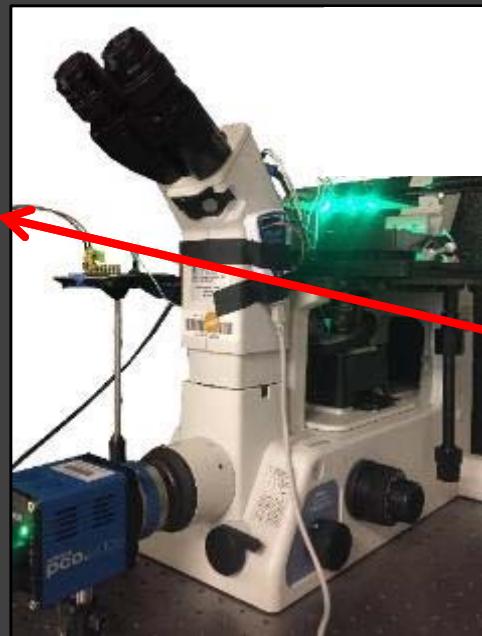
Scanning vs. Compressed Sensing

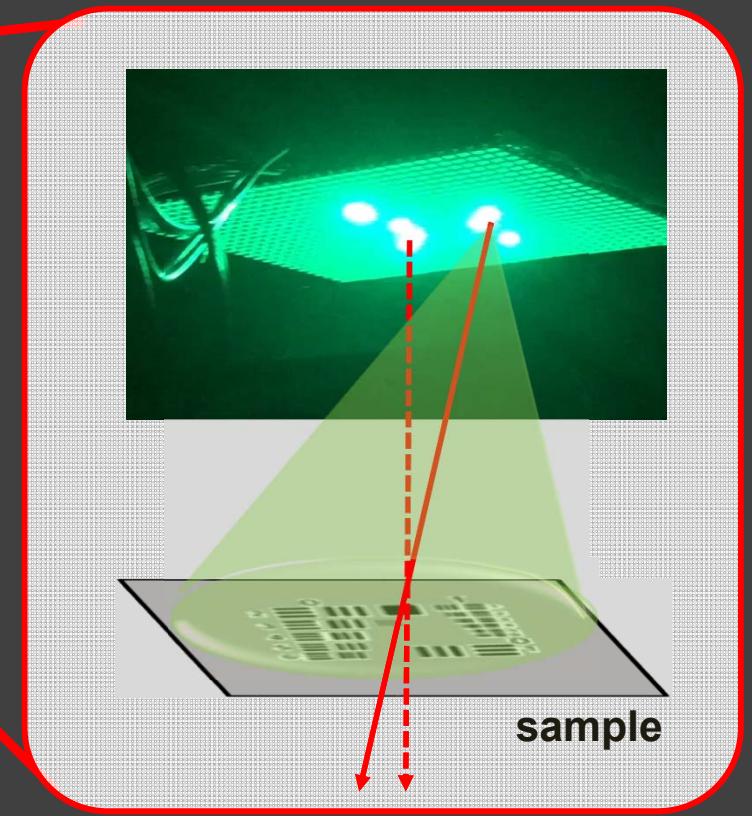
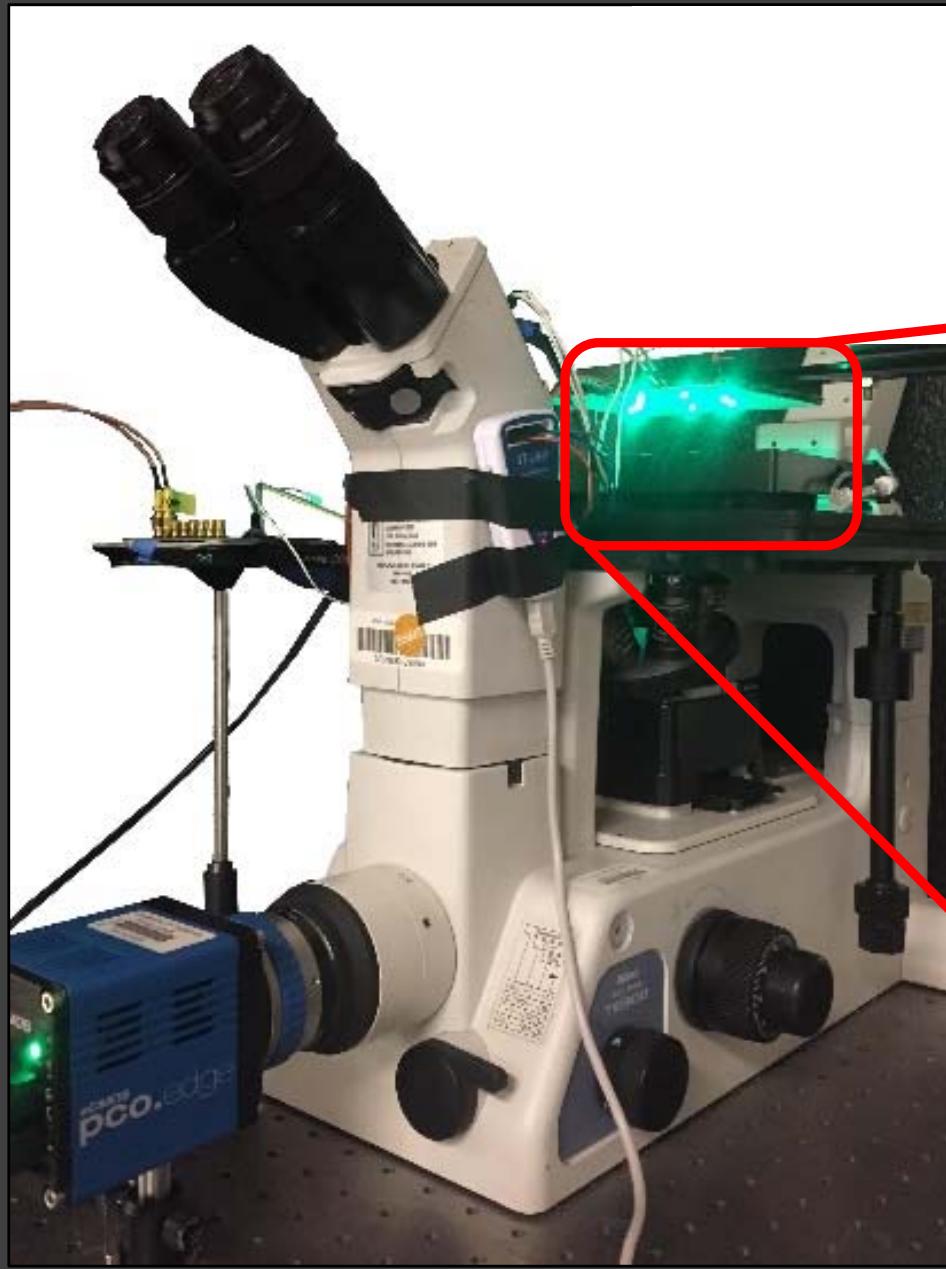
speed scales with #
voxels in image

speed scales with
sparsity of sample

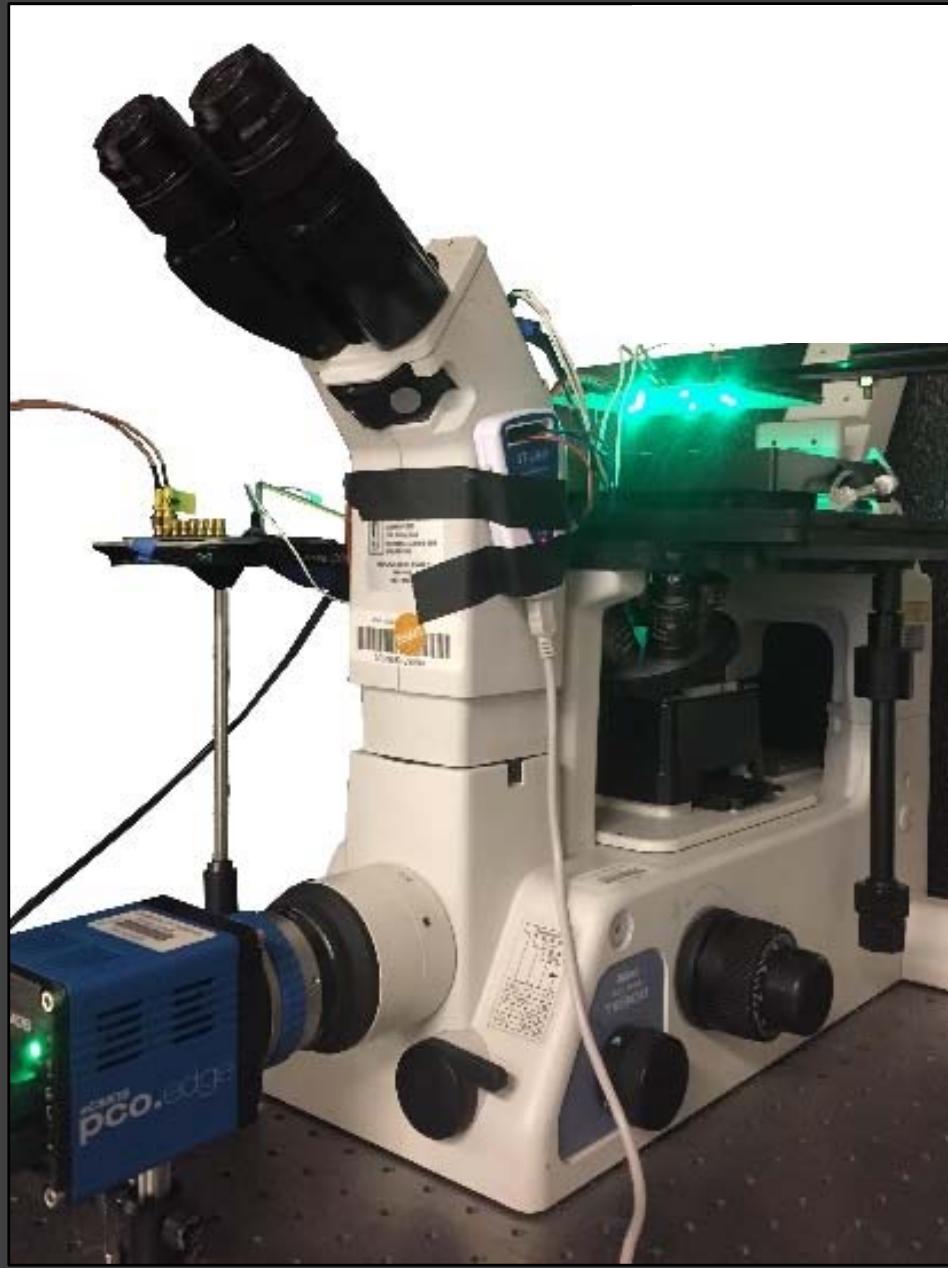
This talk:

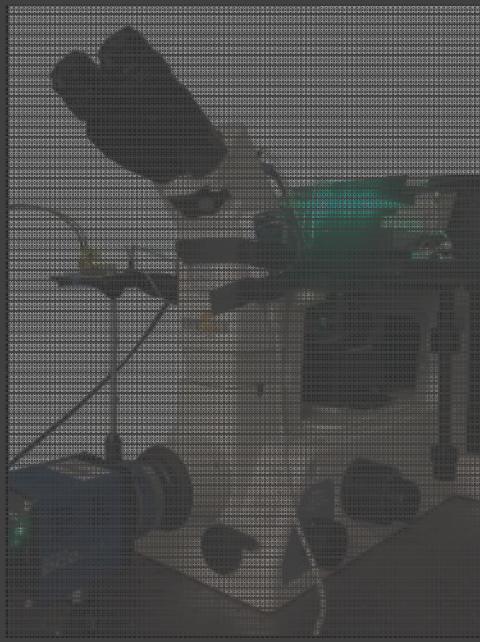




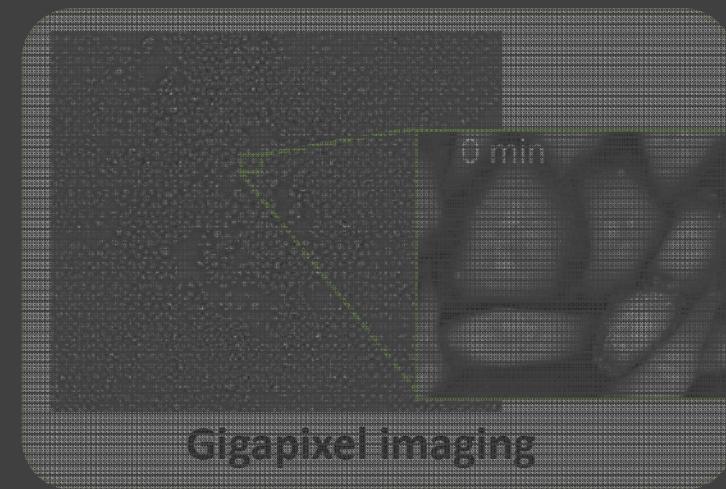


LEDs pattern illumination angles

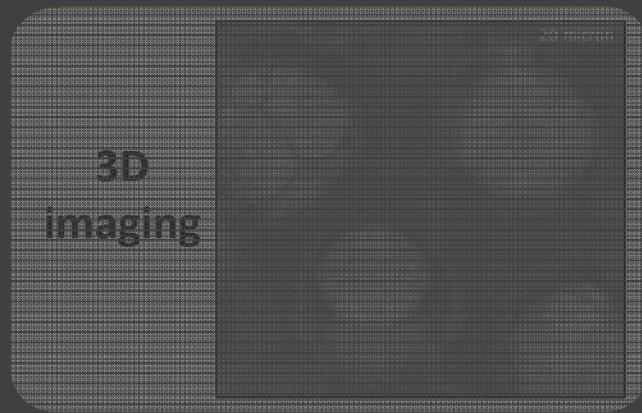




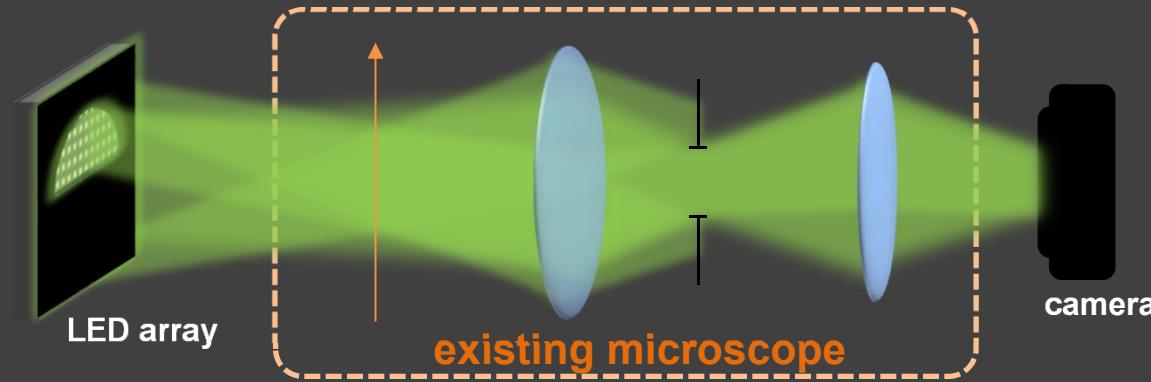
Real-time multi-contrast



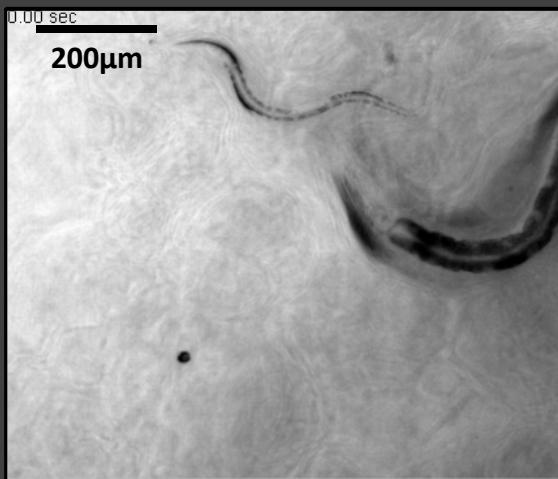
Gigapixel imaging



Multi-contrast with an LED array microscope



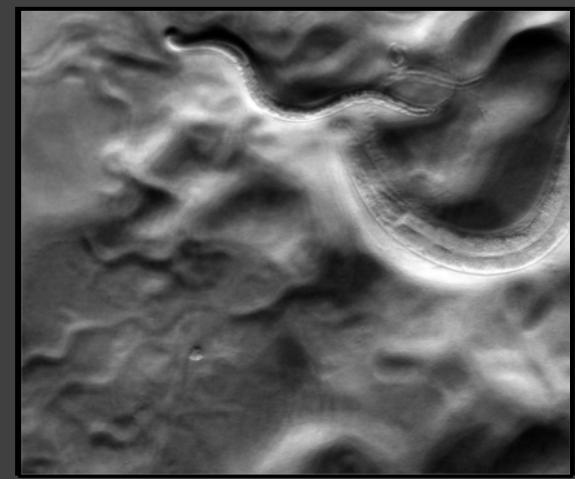
brightfield



darkfield^[1]



phase contrast^[2]



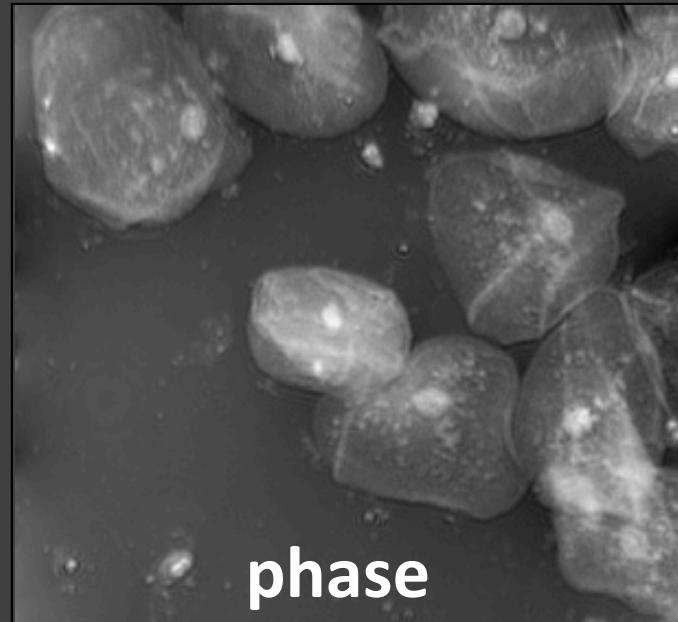
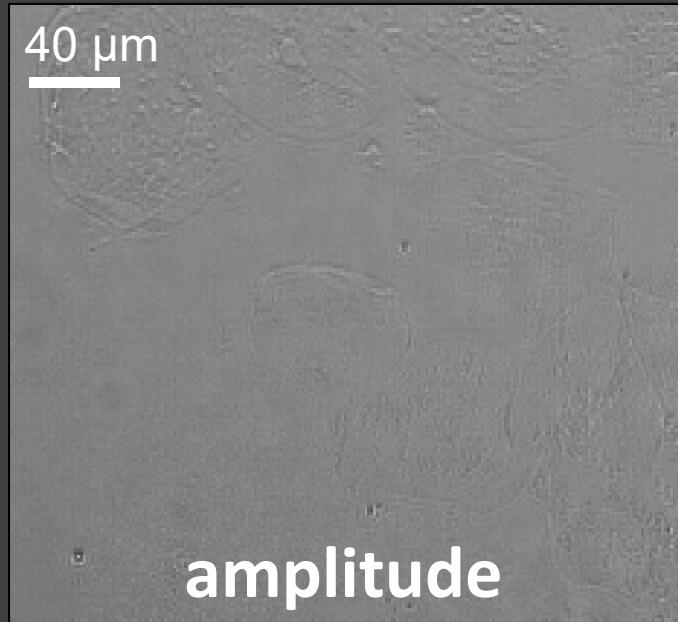
[1] G.Zheng, C. Kolner, C. Yang, *Opt. Lett.*, (2011).

[2] L. Tian, J. Wang, L. Waller, *Opt. Lett.* (2014).

Phase

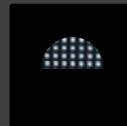
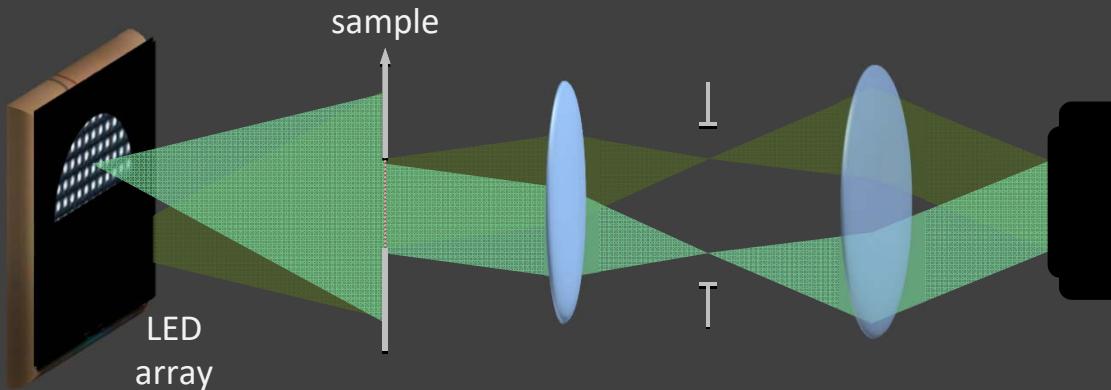
Computational \backslash imaging

phase imaging *must* be computational

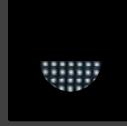


We can only measure intensity $y = |\mathbf{Ax}|^2$

Differential Phase Contrast (DPC)



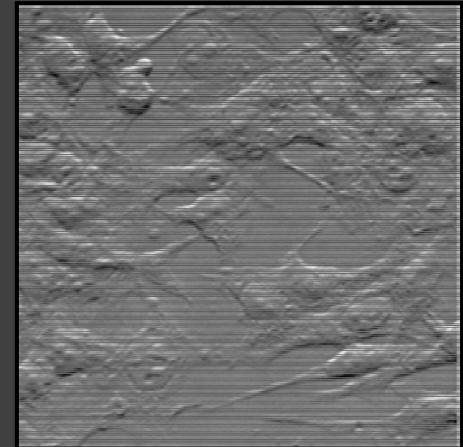
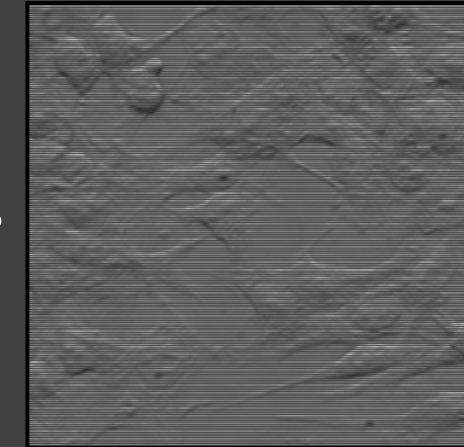
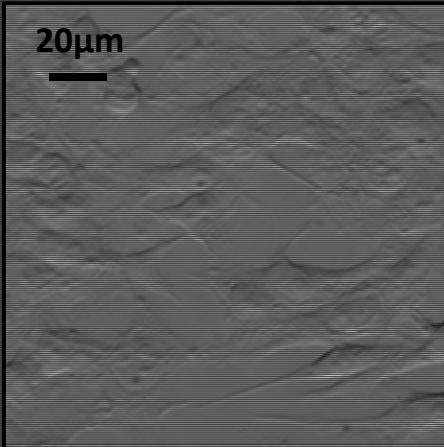
top



bottom



$$DPC = \frac{\text{top} - \text{bottom}}{\text{top} + \text{bottom}}$$



Kachar, Science 227, 27 (1985).

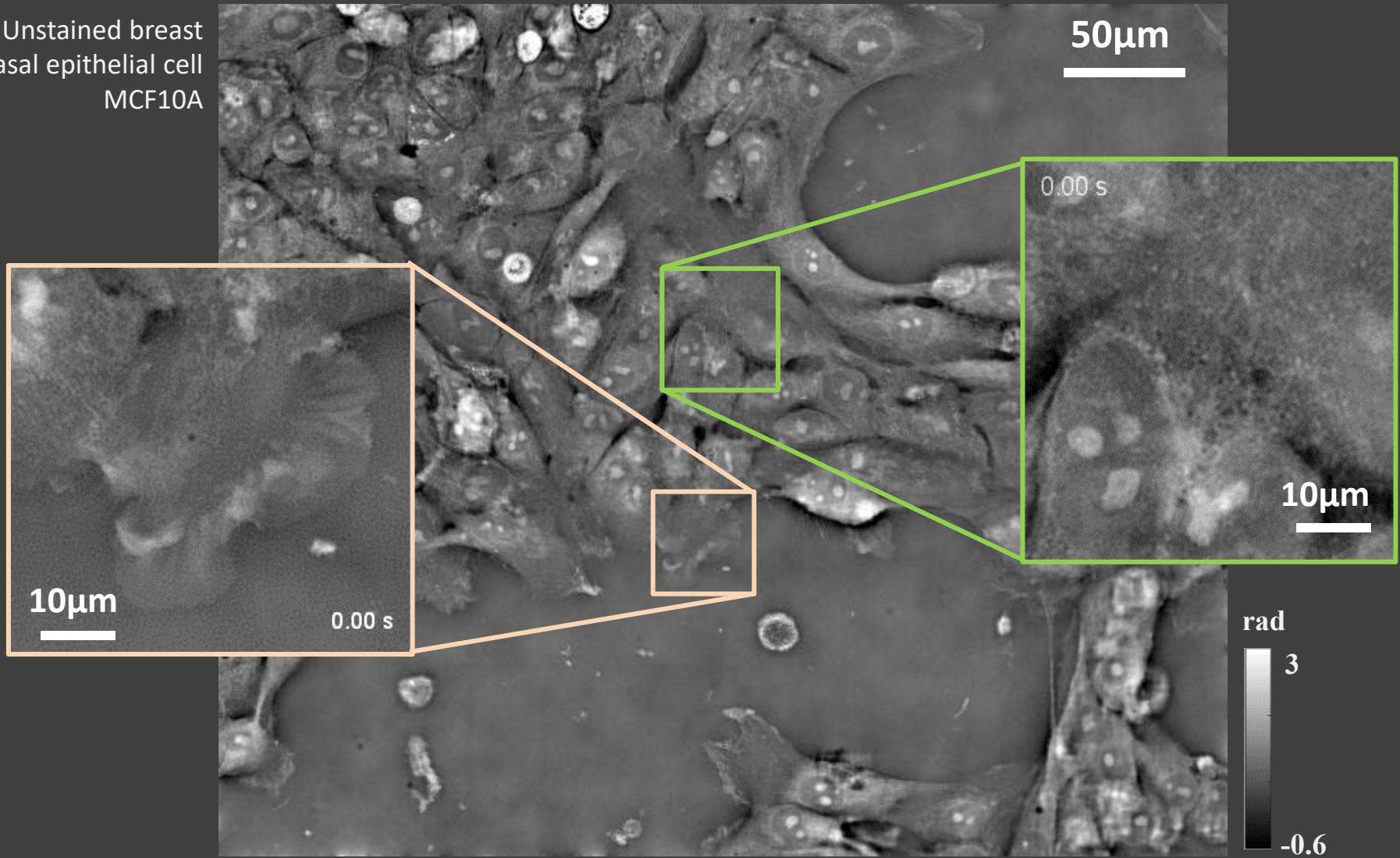
Ford, Chu, Mertz, Nat. Methods 9, 1195 (2012).

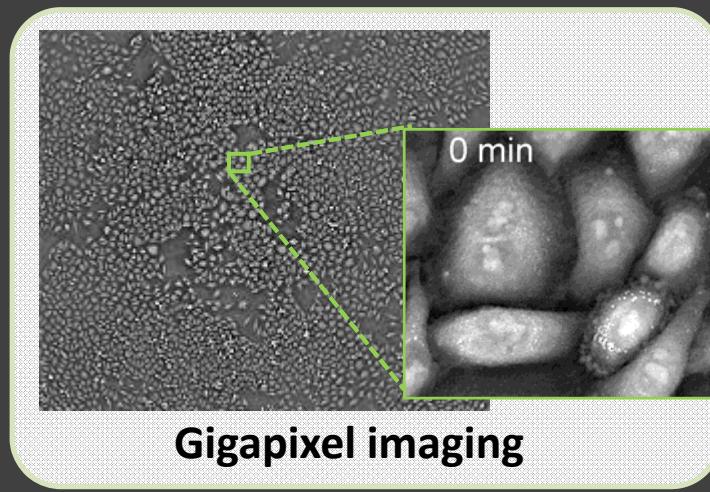
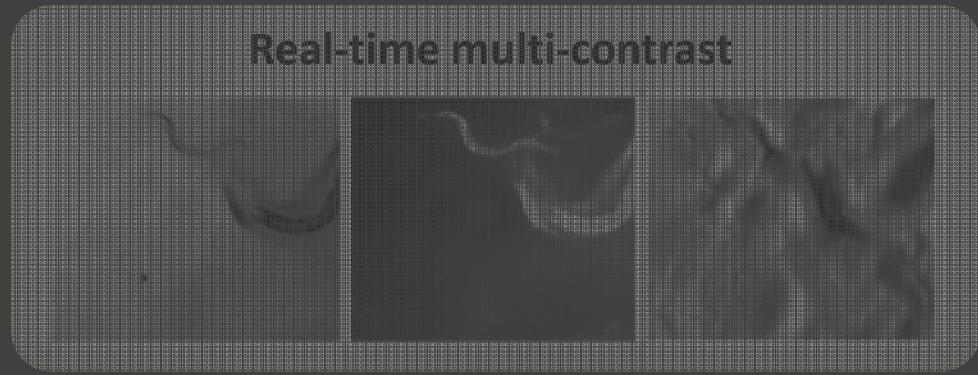
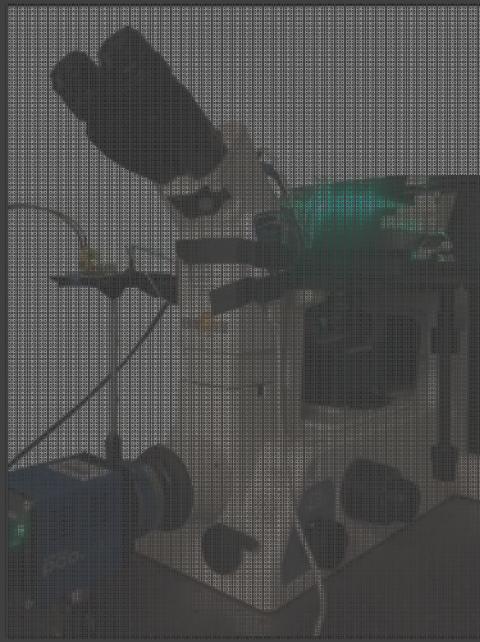
Mehta, Sheppard, Opt. Lett. 34, 1924 (2009).

Tian, Waller, Opt. Express 23(9), 11394-11403 (2015).

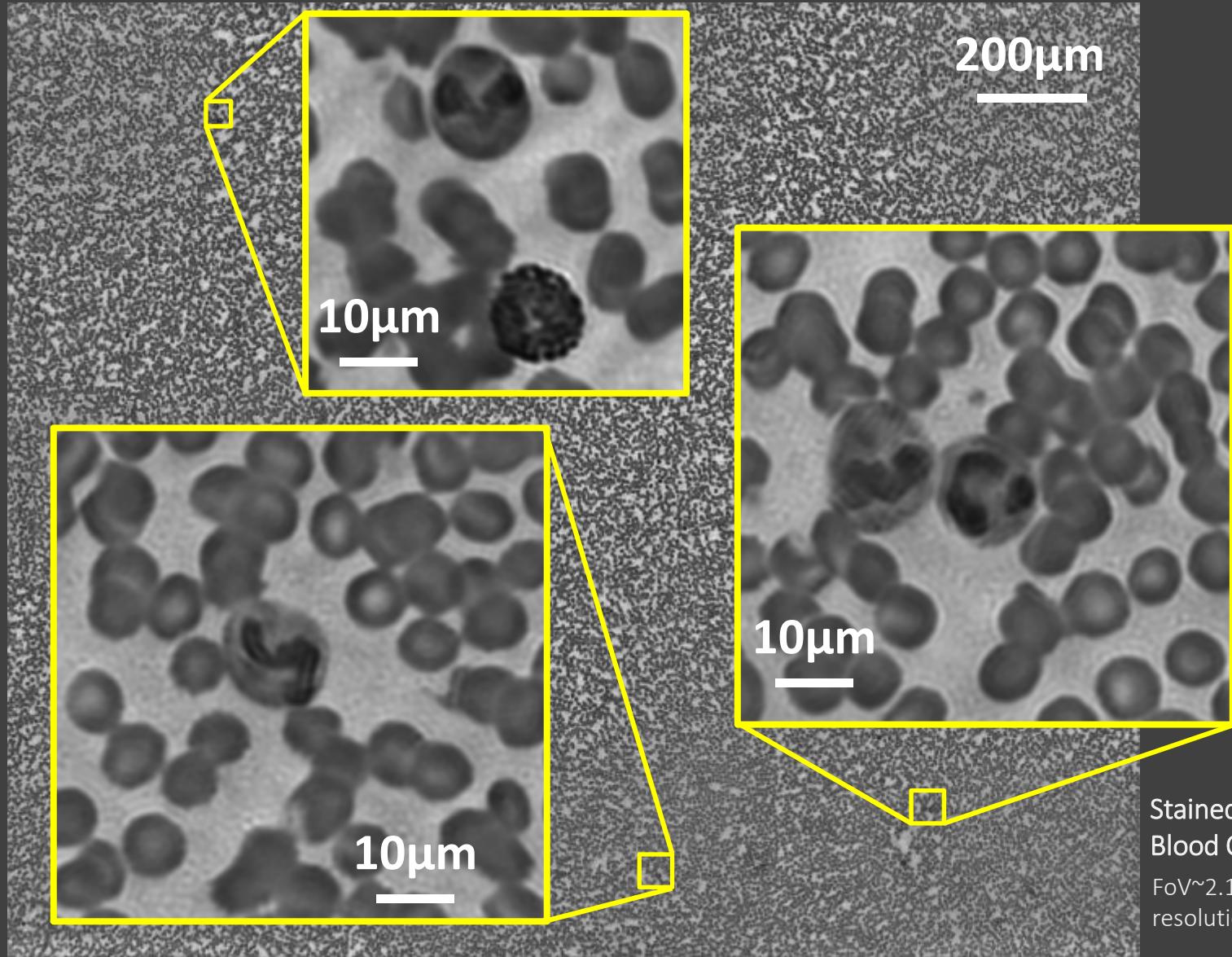
Real-time phase *in vitro*

Unstained breast
basal epithelial cell
MCF10A



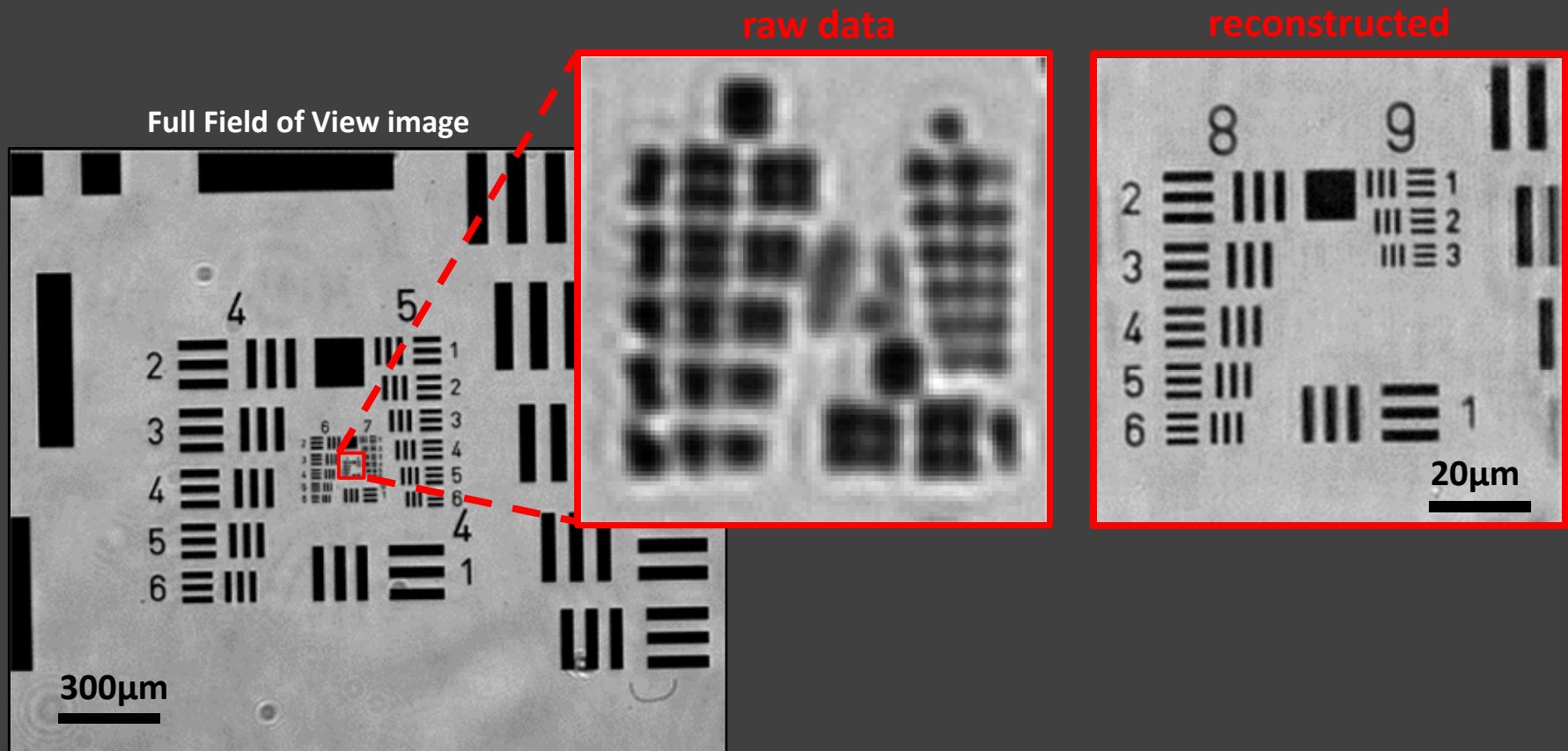


Gigapixel imaging for disease screening

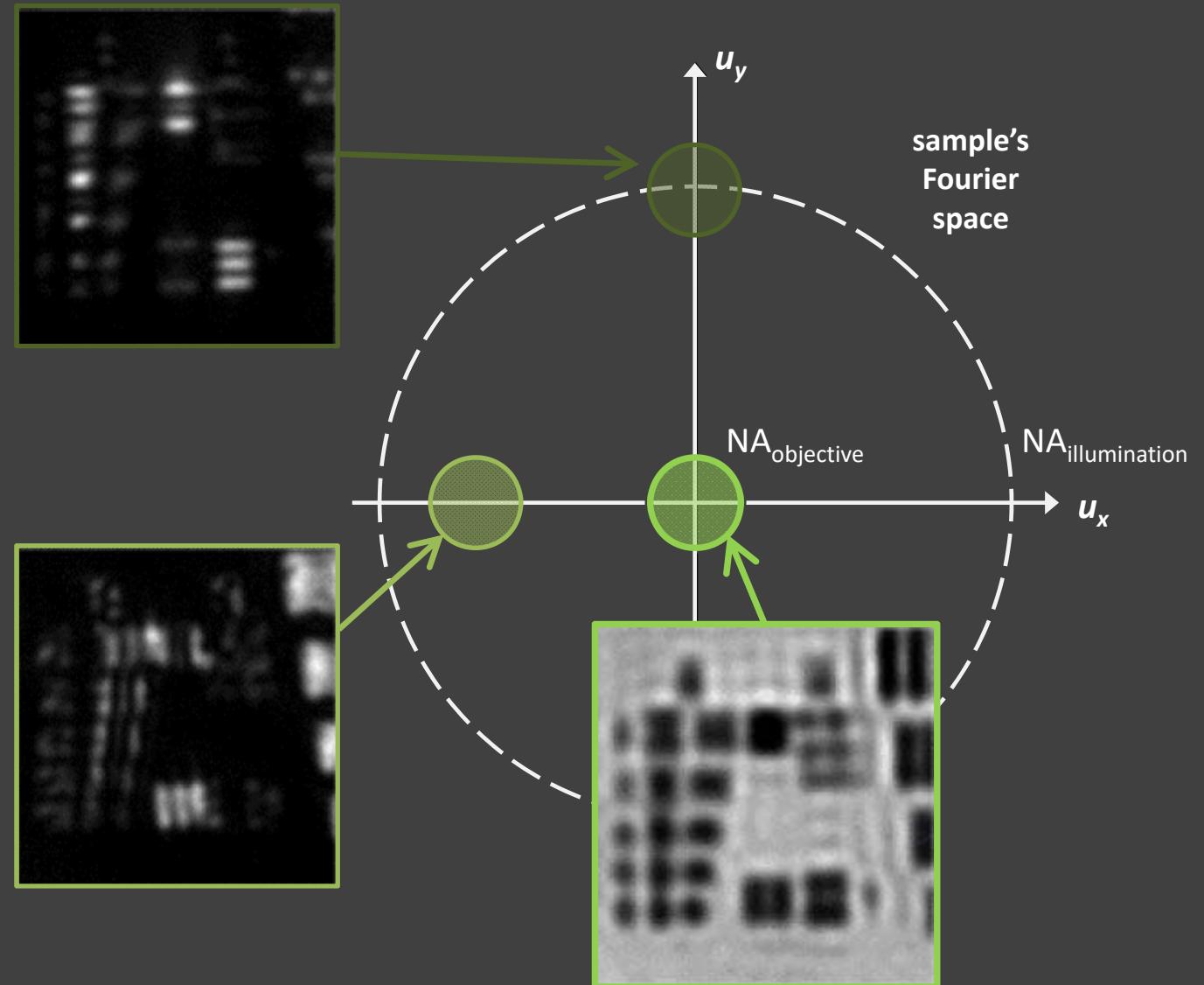


Our version of: G.Zheng, R. Horstmeyer, C. Yang, *Nat. Photon.* (2013).
L.Tian, X.Li, K.Ramchandran, L.Waller, *Biomed. Opt. Express* (2014).

Gigapixel imaging by Fourier Ptychography



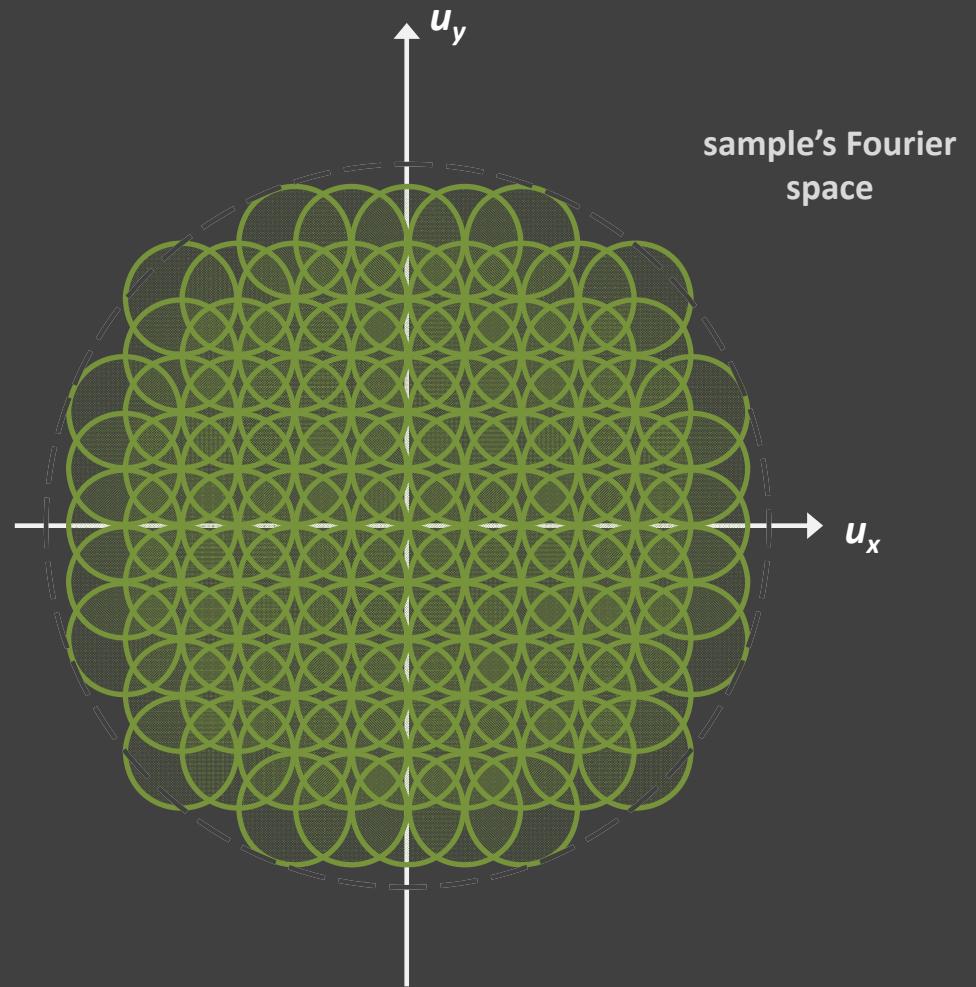
Darkfield images give super-resolution



Our version of ideas in:
G.Zheng, R. Horstmeyer, C. Yang, *Nat. Photon.* (2013).

Darkfield images give super-resolution

But we have *intensity-only* measurements?

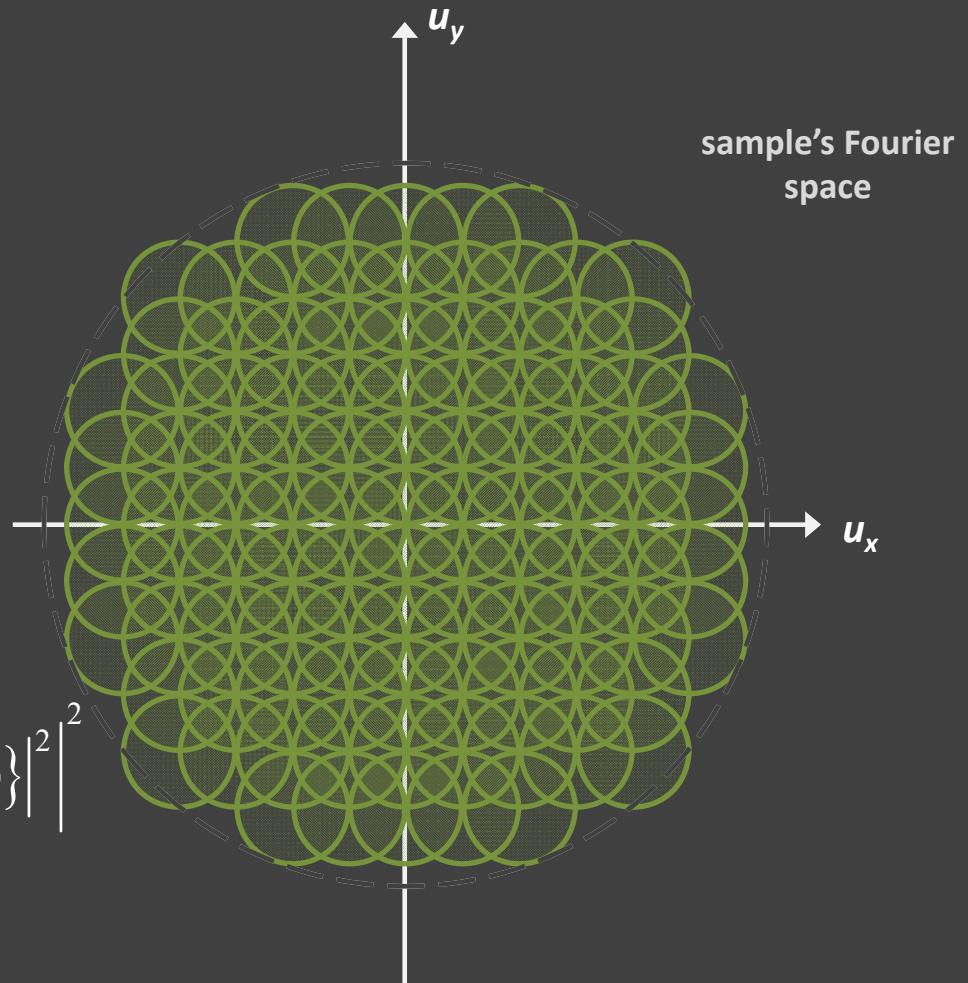


Inverse problem uses nonlinear optimization

Forward model:

$$y = |Ax|^2$$

measurements system matrix object



Inverse problem:

$$\min_{\mathbf{O}(\mathbf{u})} \sum_n \sum_r \left| I_n(r) - \left| \mathcal{F}^{-1} \{ \mathbf{O}(\mathbf{u} - \mathbf{u}_n) \cdot \mathbf{P}(\mathbf{u}) \} \right|^2 \right|^2$$

Solve for me!

J. Rodenburg, H. Faulkner, *Appl. Phys. Lett.* 85 (2004).

M. Guizar-Sicairos, J. Fienup, *Opt. Express* 16 (2008).

L.Tian, X.Li, K.Ramchandran, L. Waller, *Biomed. Opt. Express* (2014).

S. Alexandrov, T. Hillman, T. Gutzler, D. Sampson, *Phys. Rev. Lett.* 97 (2006).

A. Kirkland, et al., *Ultramicroscopy* 57 (1995).

G.Zheng, R. Horstmeyer, C. Yang, *Nat. Photon.* (2013).

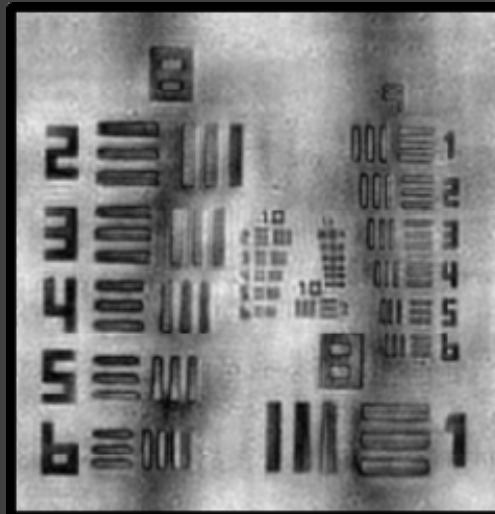
O. Xu, C. Yang, *Opt. Express* (2013).

P. Thibault, et al., *Ultramicroscopy* 109 (2009).

T. Hillman et al., *Opt. Express* (2009).

2nd order optimization is better

1st order
(Gerchberg-Saxton)

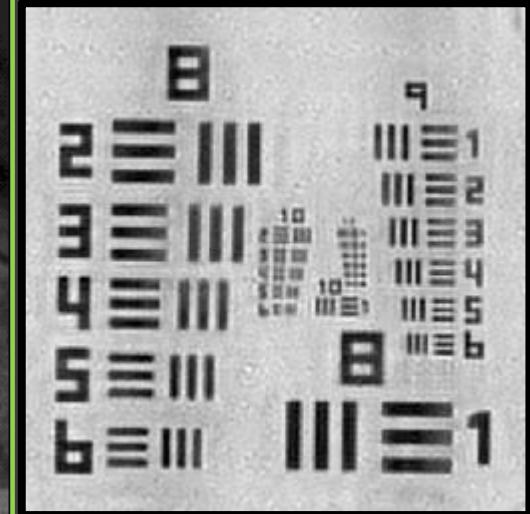


3 seconds

quasi 2nd order



2nd order
(Newton)



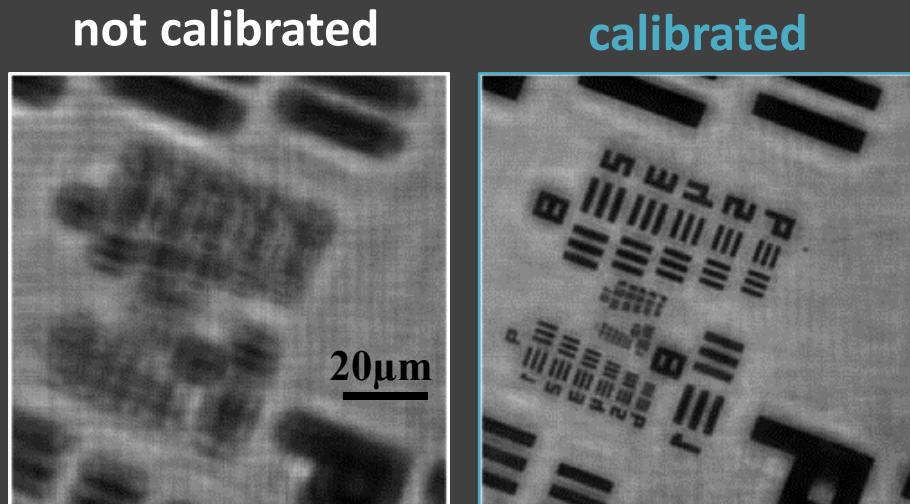
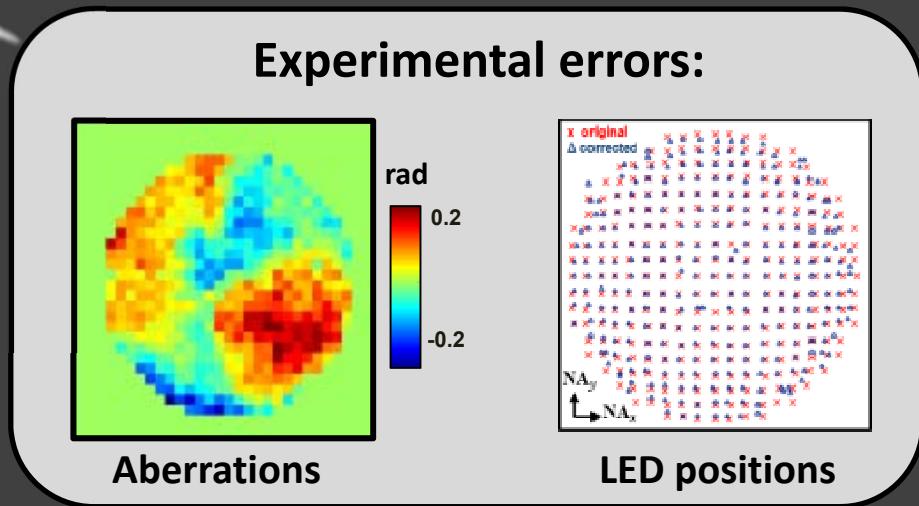
100 seconds



Algorithmic self-calibration

$$y = |Ax|^2$$

measurements
system matrix
object



calibration parameters

$$A \rightarrow A(\theta)$$

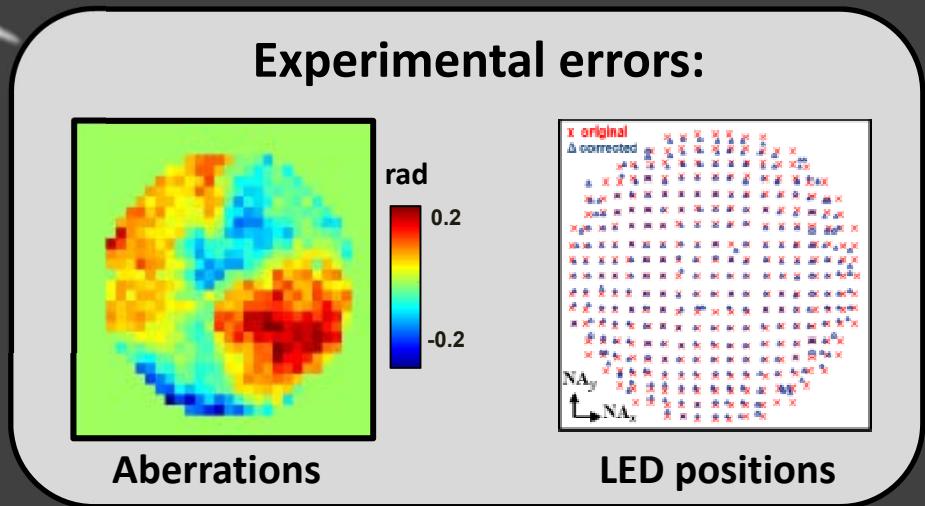
Algorithmic self-calibration

$$y = |Ax|^2$$

measurements

system matrix

object



Learn more:

Tues 5pm (JTU5A.2)

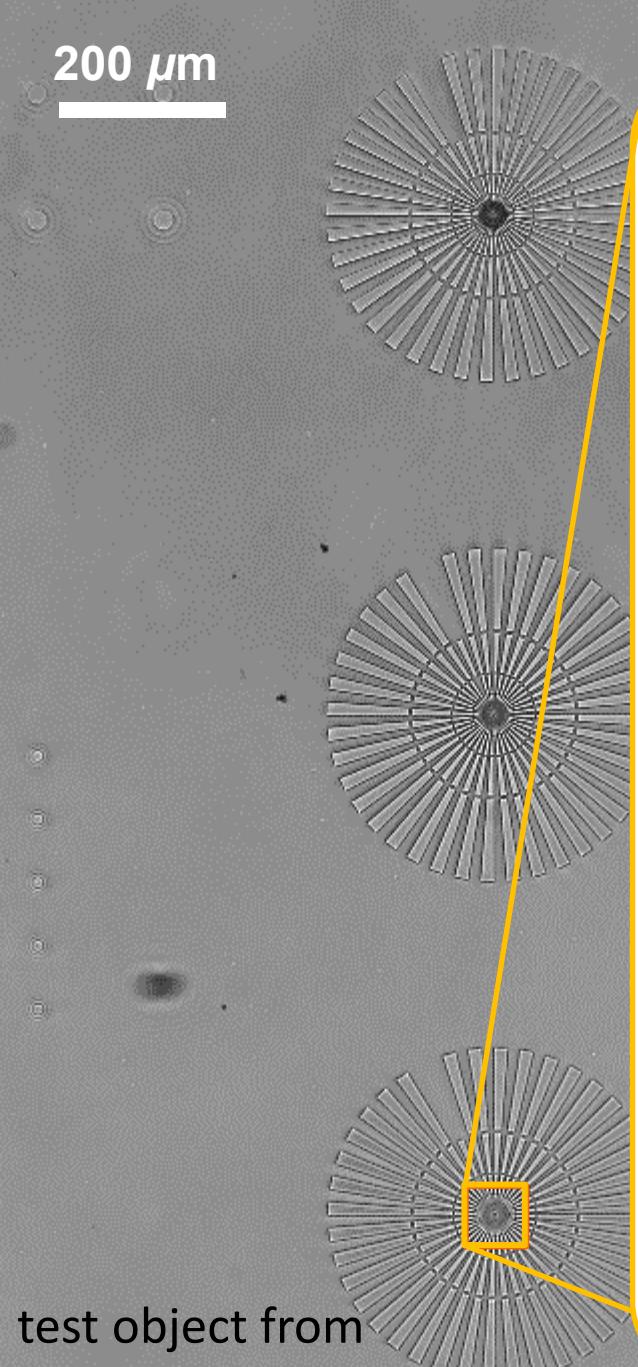
But I don't want to calibrate!

$$\min_{\mathbf{x}, \boldsymbol{\theta}} \|y - \|A(\boldsymbol{\theta})\mathbf{x}\|\| + \lambda_1 \|\mathbf{x}\|_1 + \lambda_2 \|\boldsymbol{\theta}\|_2$$

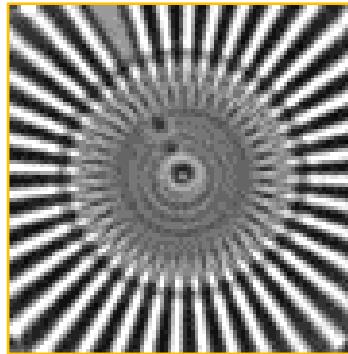
calibration parameters



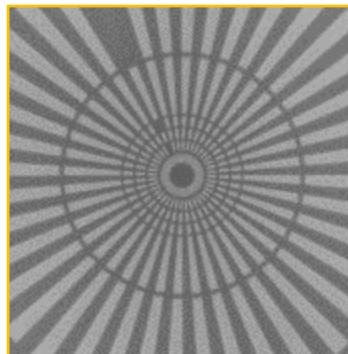
200 μm



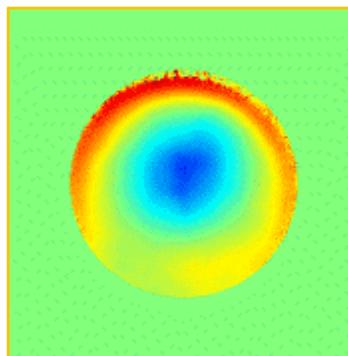
raw image



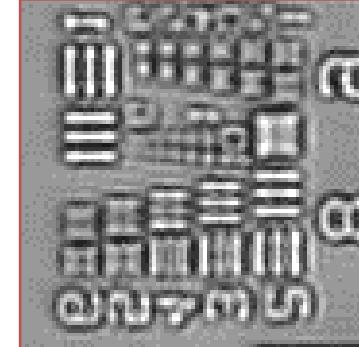
recovered phase



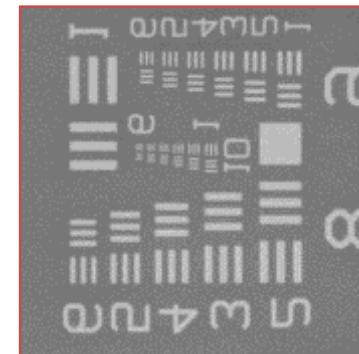
aberrations



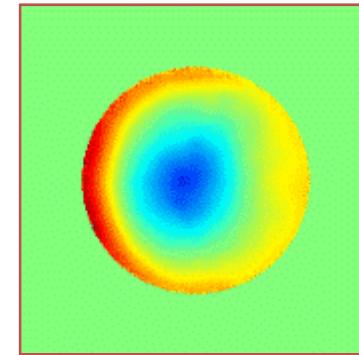
raw image



recovered phase

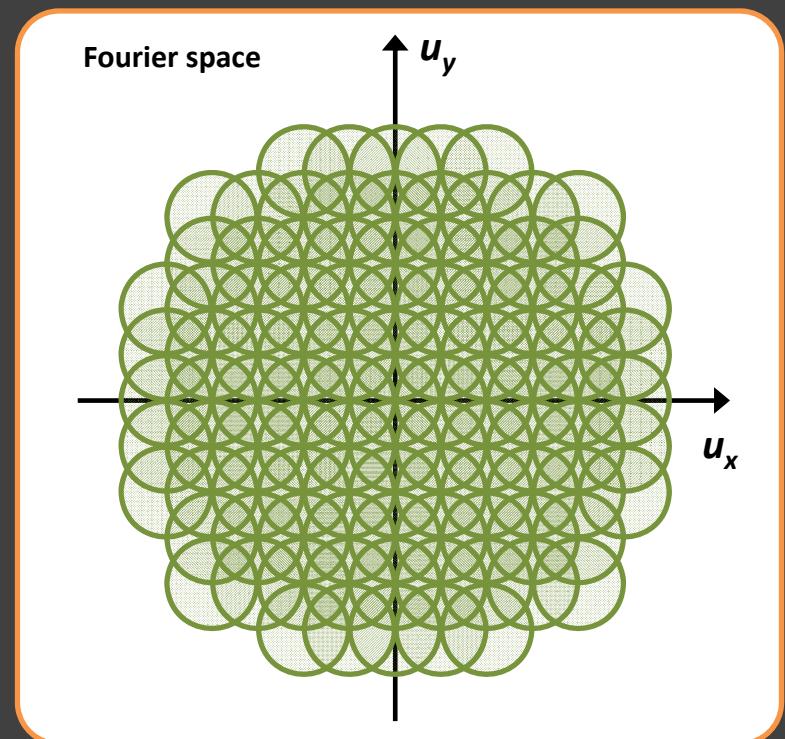


aberrations

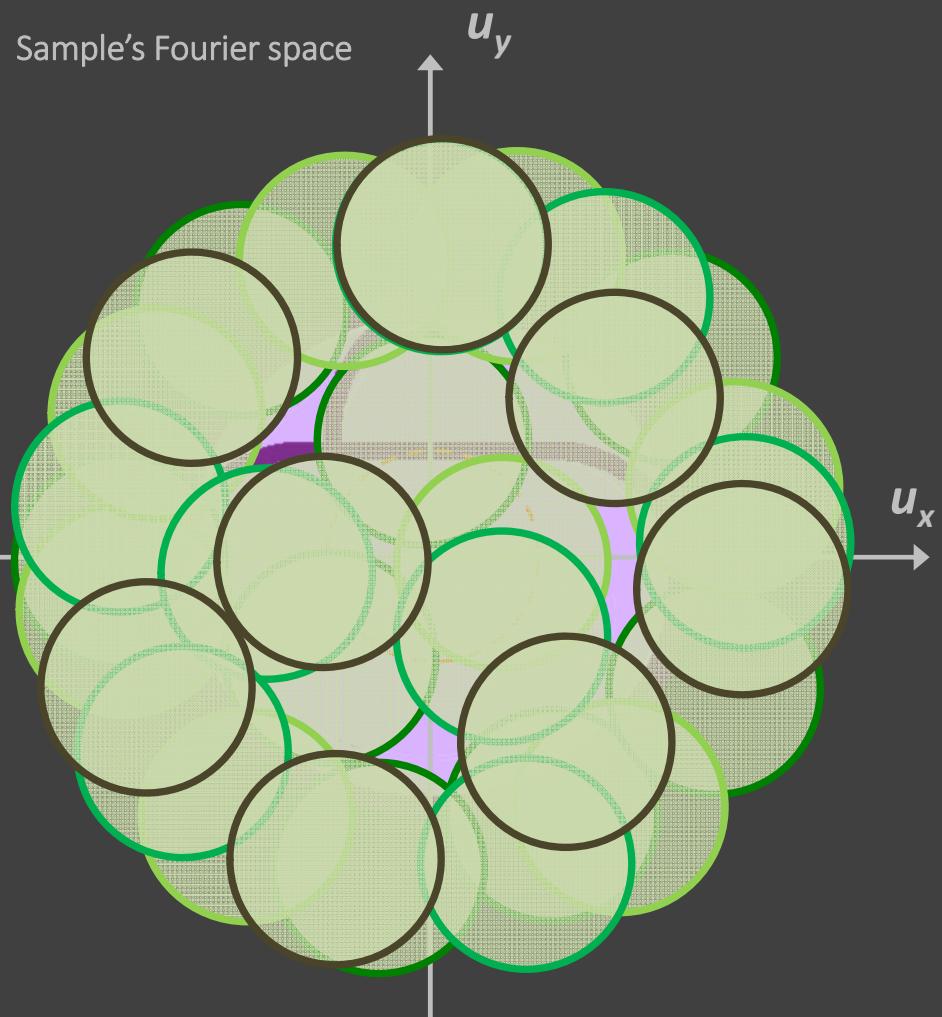


Redundancy is necessary, but inefficient...

requires ~10x more data
collected than reconstructed

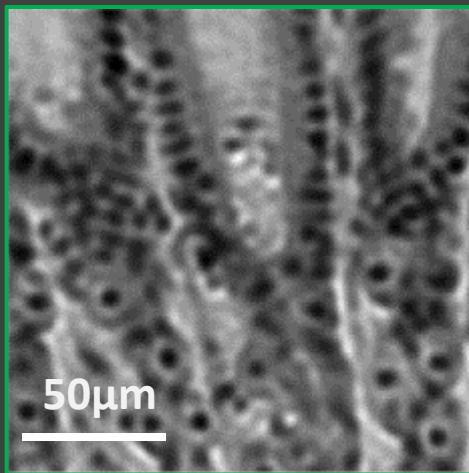


Multiplexed measurements are faster



Multiplexing reduces time and data size

low resolution zoom-in

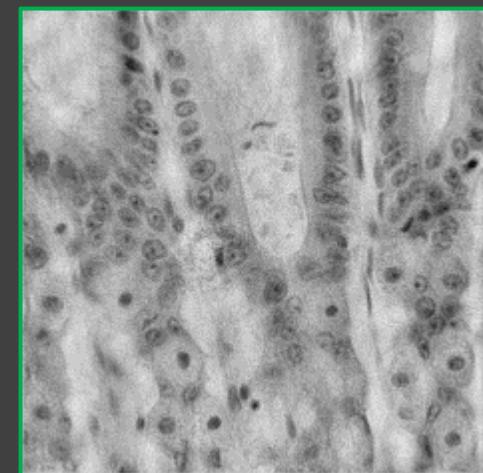


Original method

293 images, Time ~10min

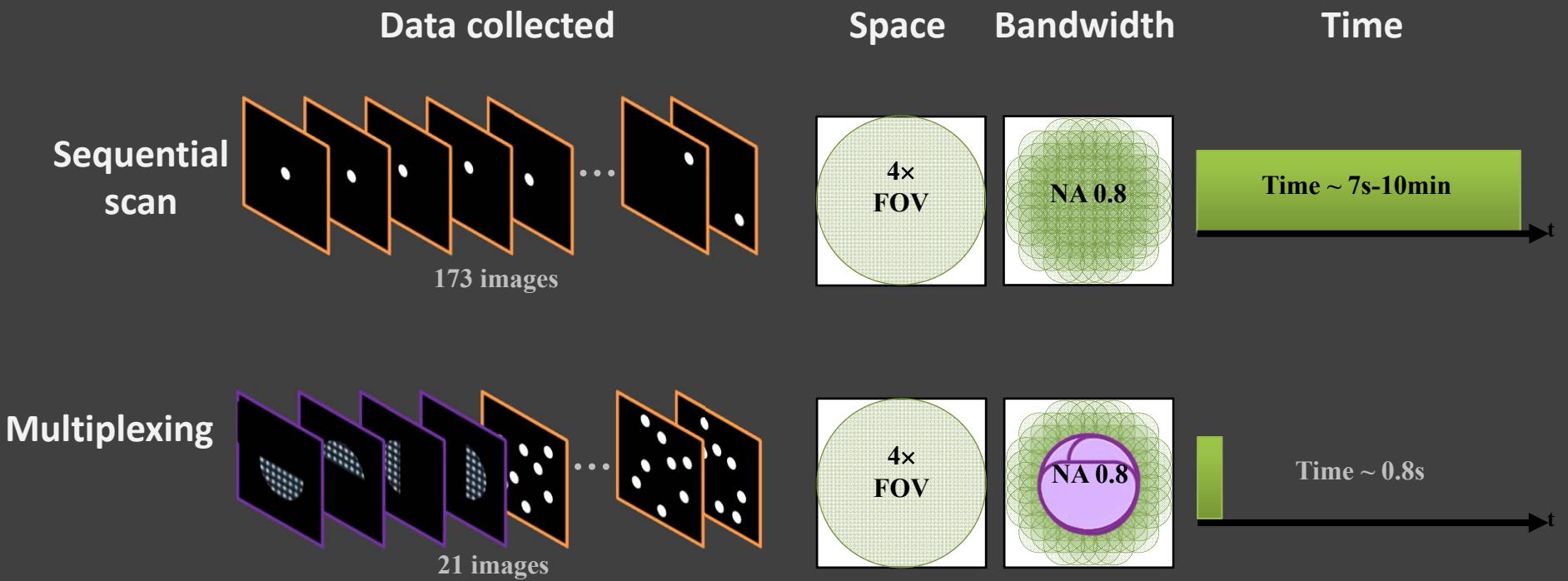
Multiplexing

40 images, Time 0.4s



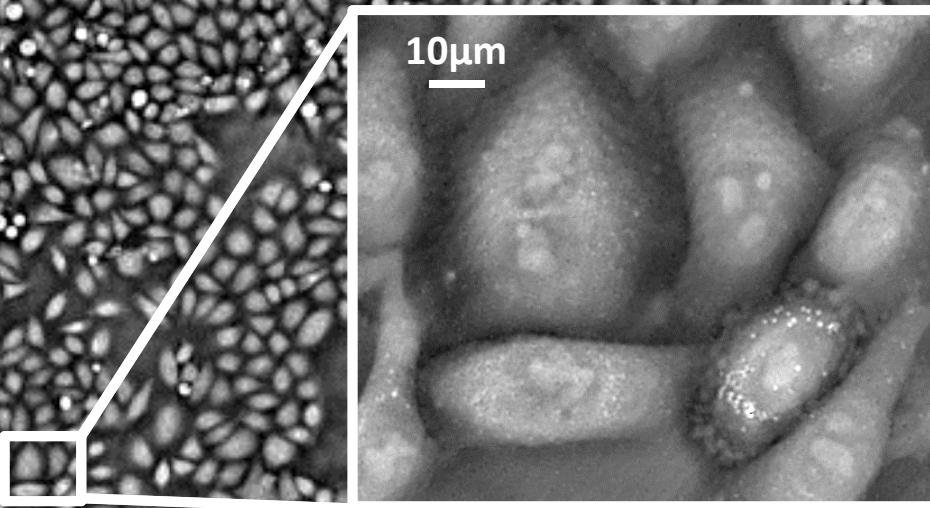
Only uses 17% of
data!

Space-bandwidth-time product



0 min

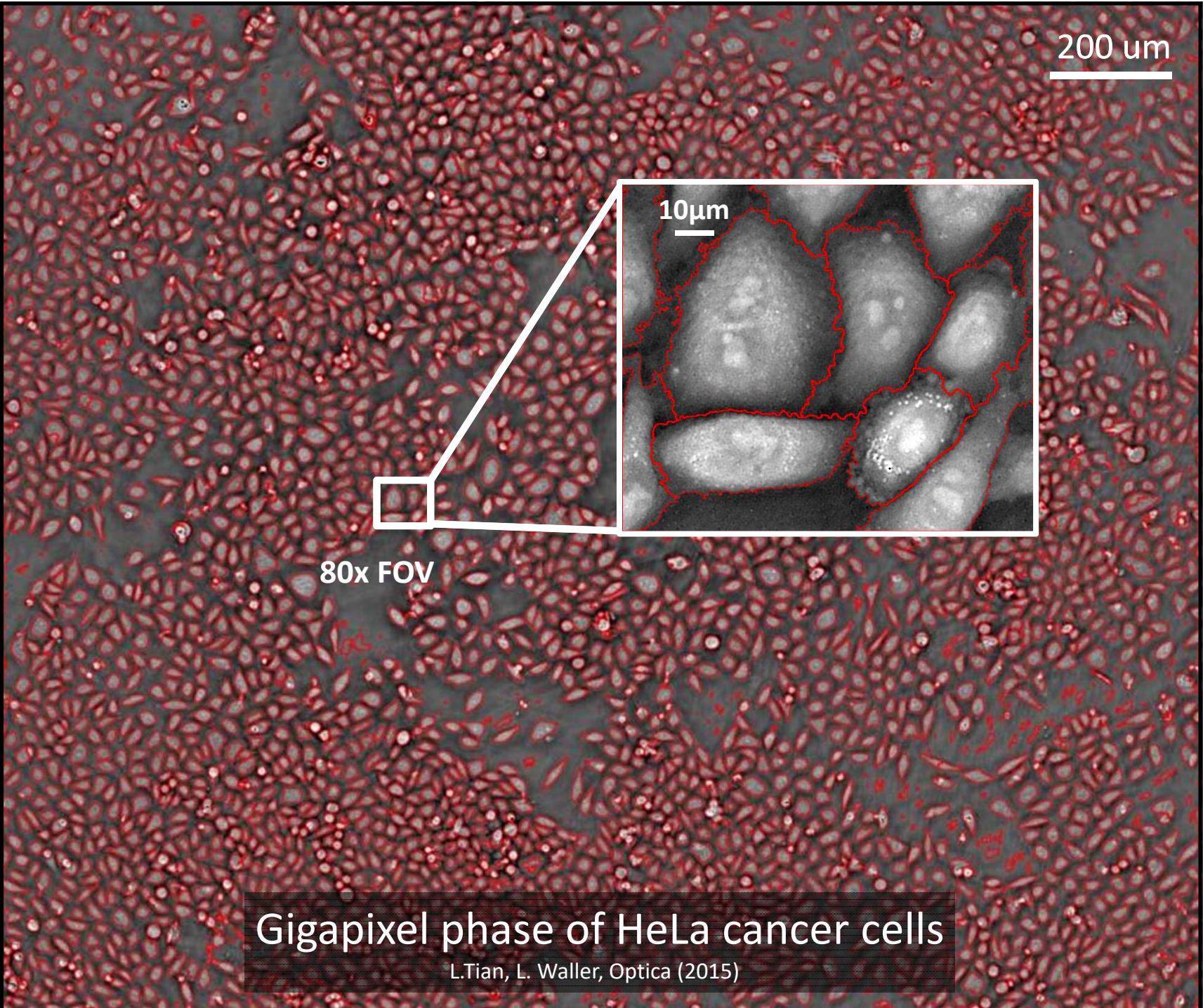
200 μm



80x FOV

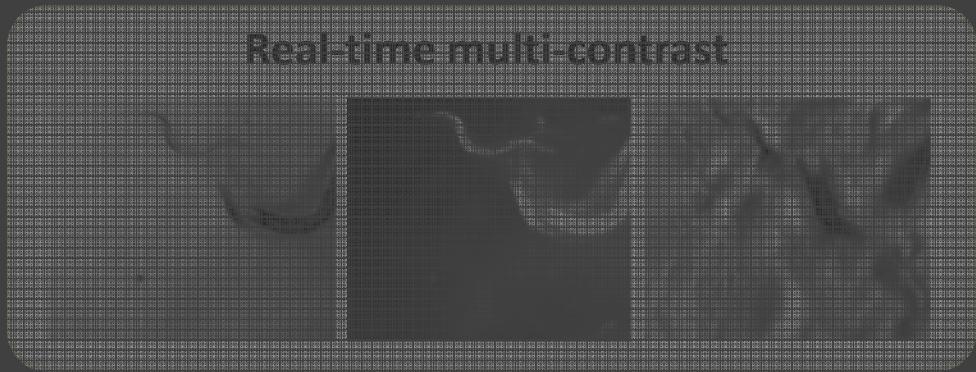
Gigapixel phase of HeLa cancer cells

L.Tian, L. Waller, *Optica* (2015)

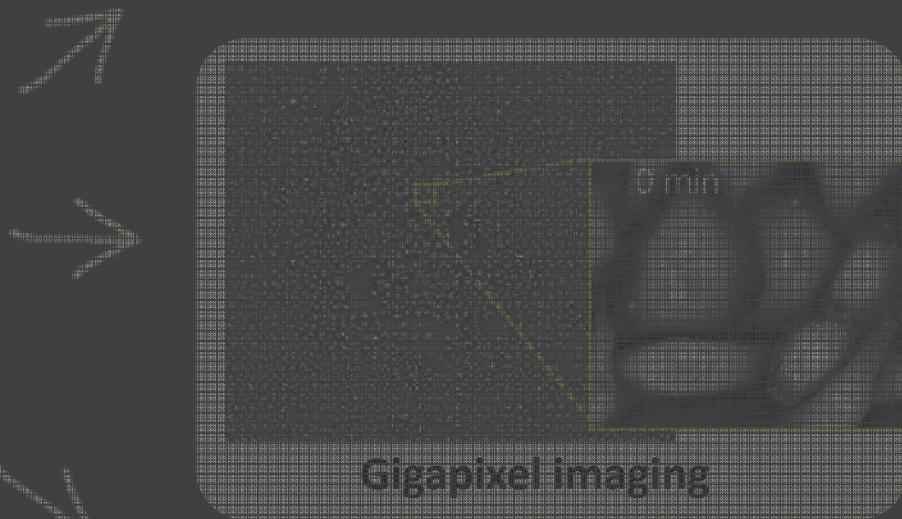


Gigapixel phase of HeLa cancer cells

L.Tian, L. Waller, Optica (2015)



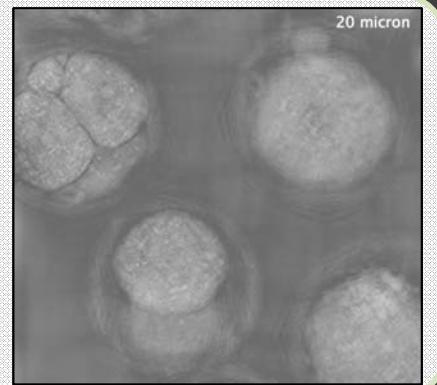
Real-time multi contrast



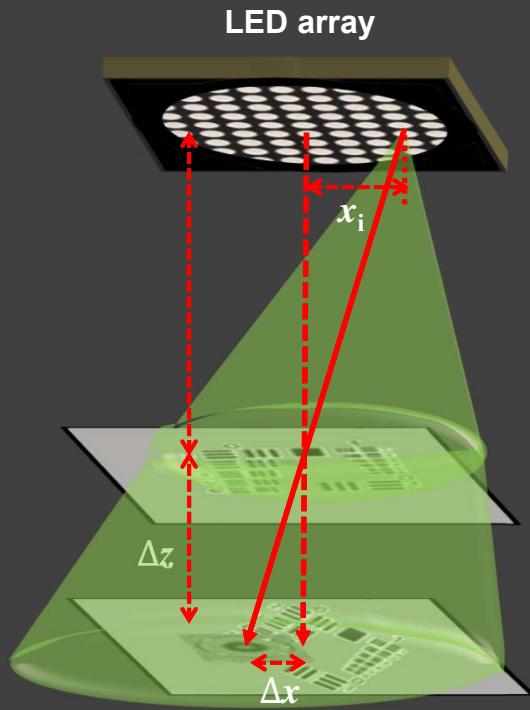
0 min

Gigapixel imaging

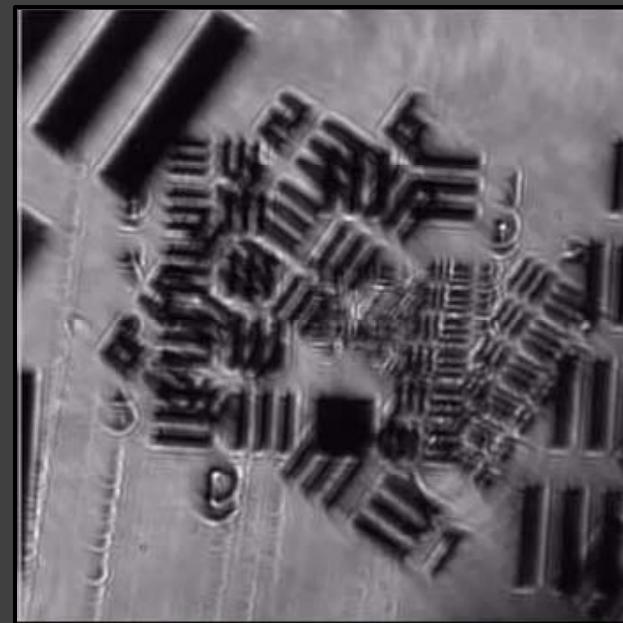
3D
imaging



Angle scanning gives 3D information

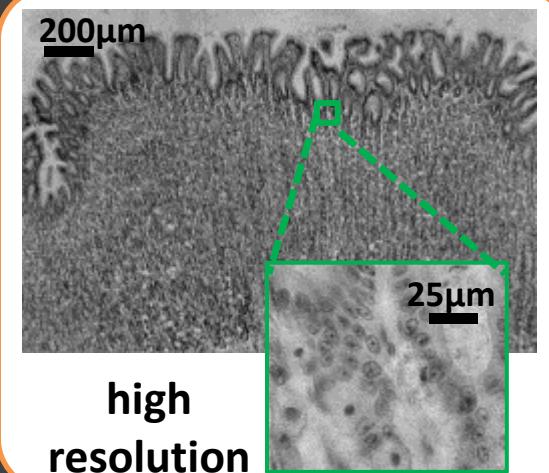
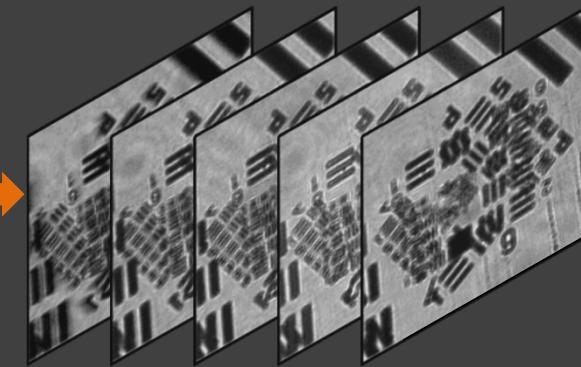


scan illumination
in (θ_x, θ_y)



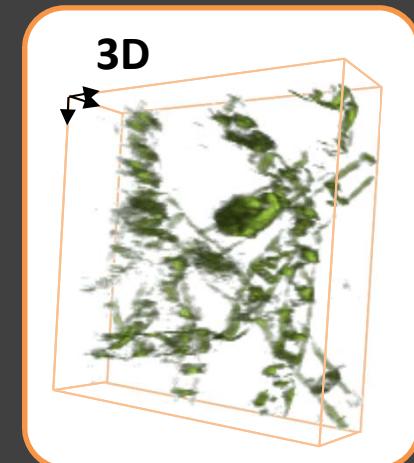


vary illumination angle



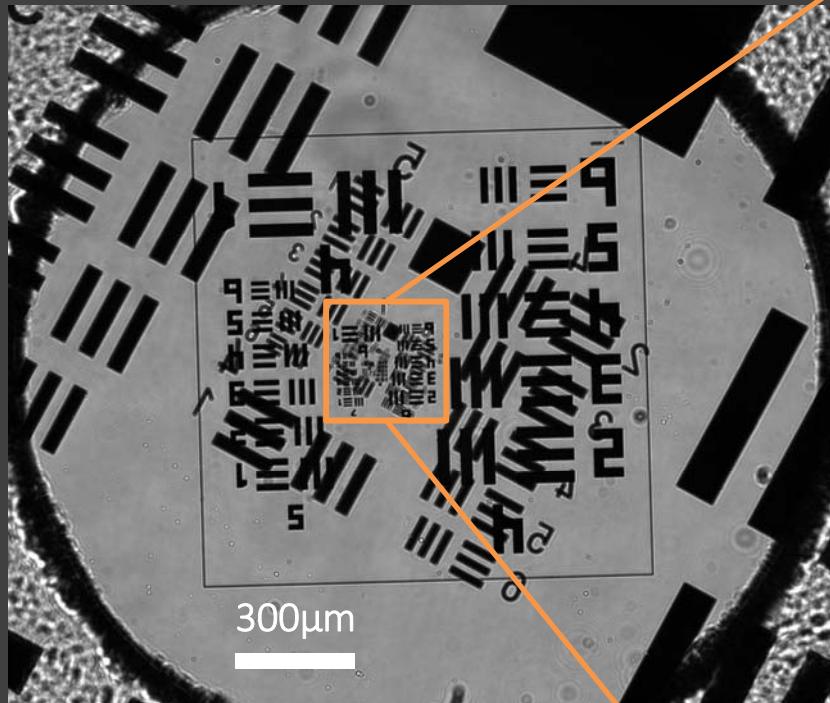
high
resolution

OR? AND?

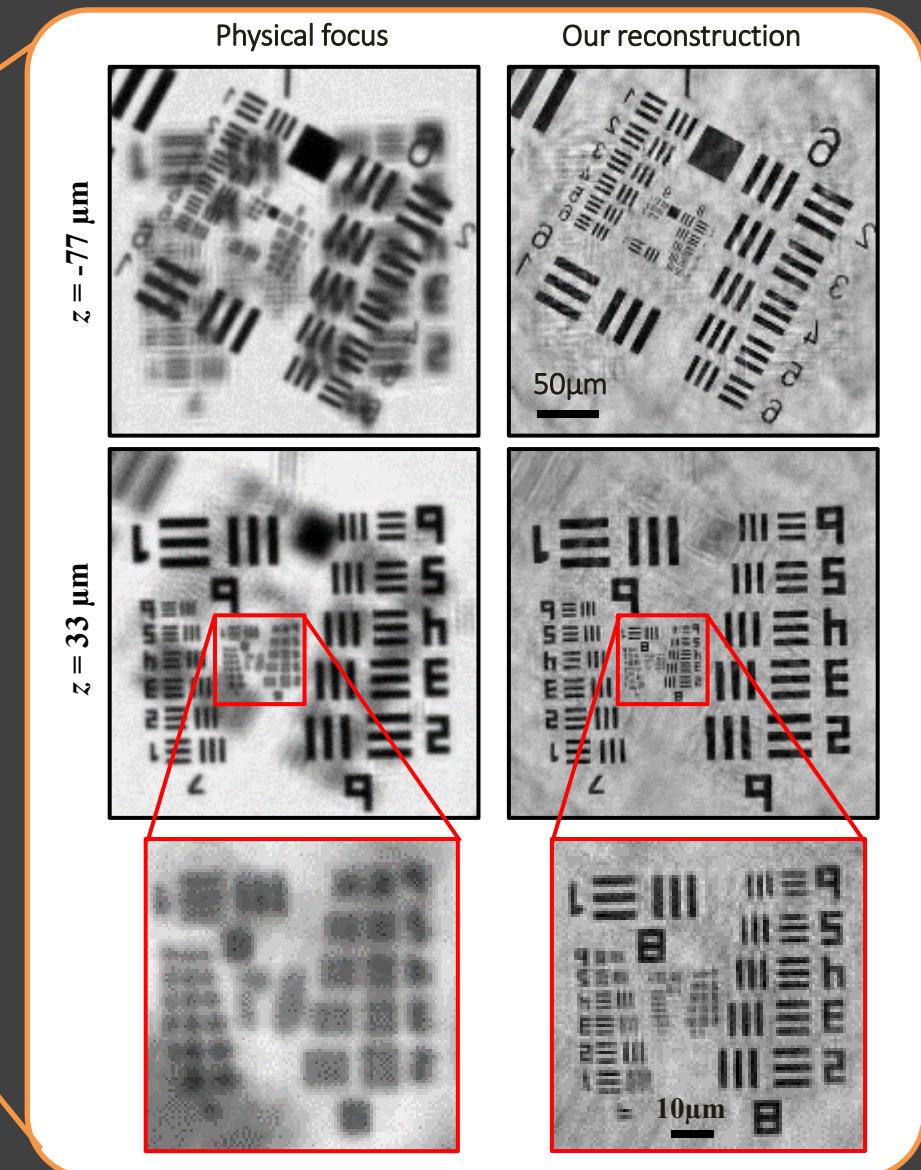


3D

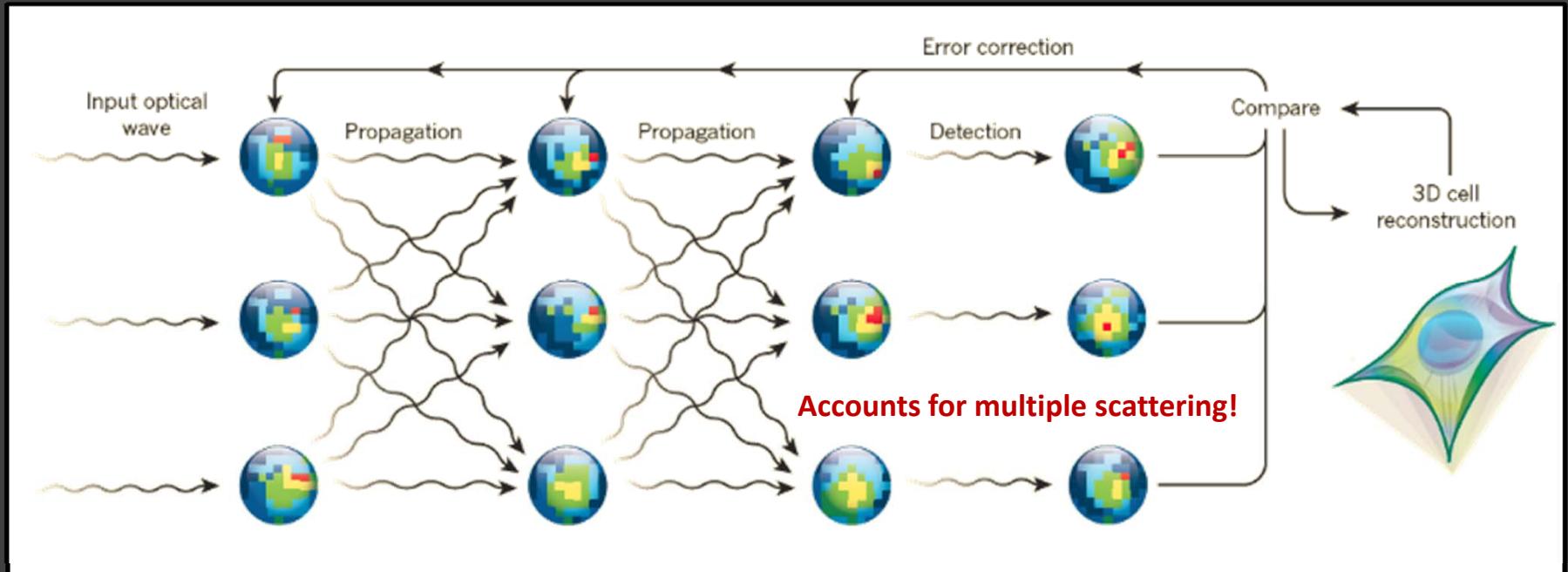
Can we super-resolution and 3D?



Low-resolution full FoV image
from 4x 0.1 NA objective



3D phase imaging as a neural network

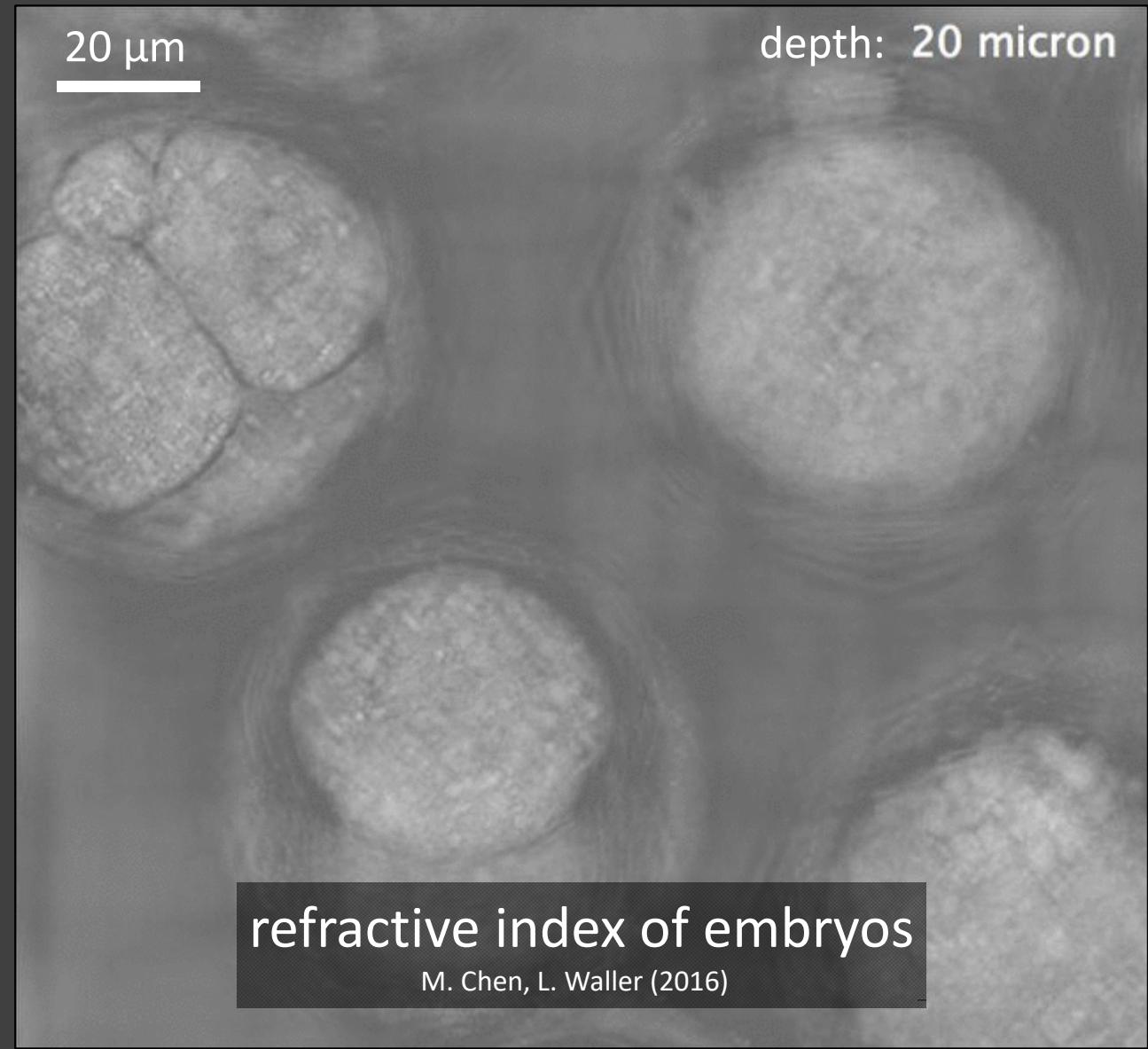


Nonlinear, nonconvex...
so will it converge?

Van Roey, van der Donk, Lagasse, *J. Opt. Soc. Am.* (1981)
Cowley, Moodie, *Acta Crystallogr.* (1957).
Maiden, Humphry, Rodenburg, *J. Opt. Soc. Am. A* (2012).
Tian, Waller, *Optica* (2015)
Van den Broek, Koch, *Phys. Rev. Lett.* (2012)
Van den Broek, Koch, *Phys. Rev. B* (2013)
Kamilov, Papadopoulos..., Psaltis, *Optica* (2015)
Waller, Tian, *Nature* (2015).

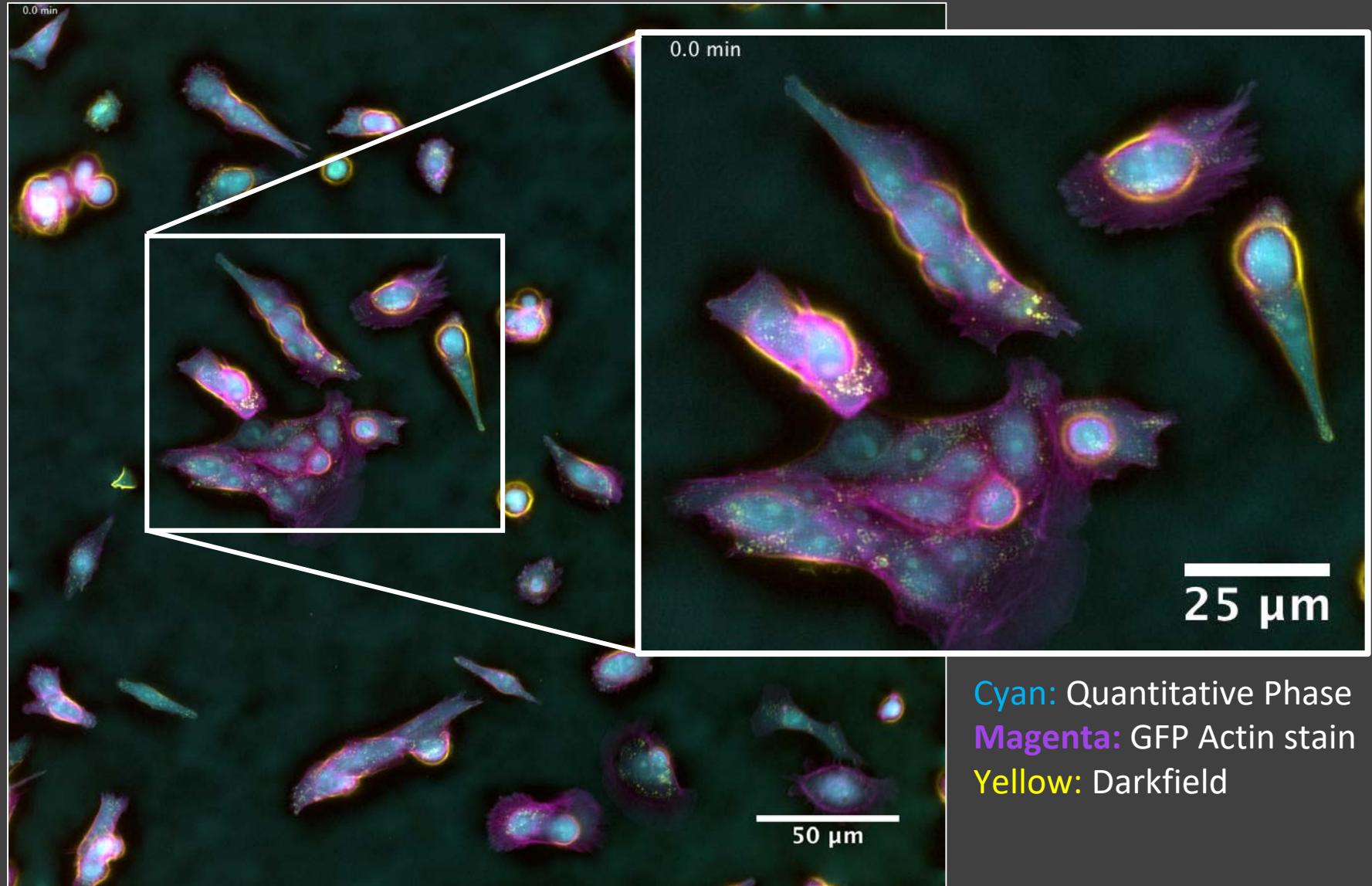
} **Analogy to Artificial Neural Networks**

3D refractive index measurement



Michael
Chen

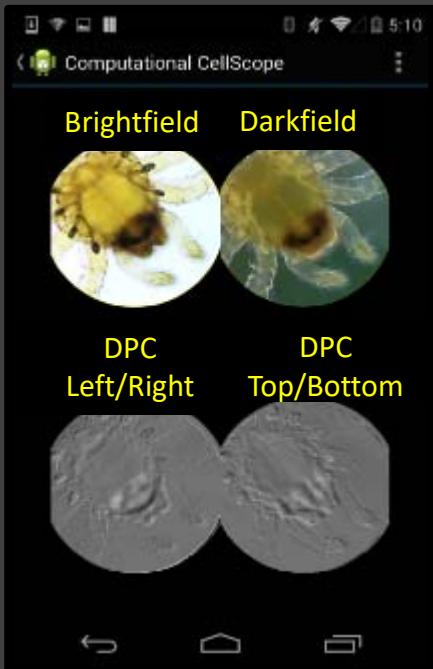
All together: phase + darkfield + fluorescence



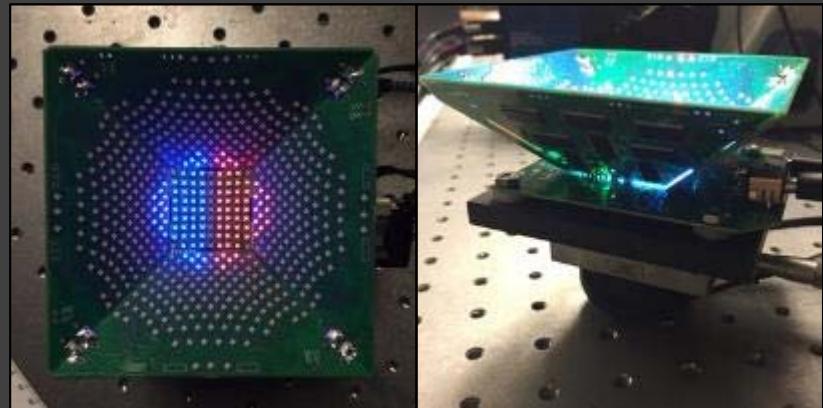
20x / 0.5NA | Mouse Kidney Cells | Courtesy of Marine Biology Lab (Woods Hole)

Open-source hardware + software

Computational
CellScope



Quasi-dome



ScotchTape
Cam



Outlook

Hardware Toolbox



Computational Toolbox



Computers + Optics should talk more!



Collaborators:

Hillel Adesnik (Neuro)
Ben Recht, Ren Ng (EECS)
David Schaffer, Lydia Sohn, Dan Fletcher (BioE)

GigaPan: WallerLab_Berkeley
Open-source : www.laurawaller.com

Twitter: @optrickster

Github: Waller_Lab



Bakar Fellows Program

